





Computer Science & Information Technology

THEORY OF COMPUTATION

Text Book: Theory with worked out Examples and Practice Questions

Theory of Computation

(Solutions for Text Book Practice Questions)

Chapter Introduction

01. Ans: (d)

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- **Sol:** (a) $\{x | x \ge 10 \text{ or } x \le 5\}$ is infinite set
 - (b) $\{x | x \ge 10 \text{ or } x \le 100\}$ is infinite set
 - (c) $\{x | x \le 100 \text{ or } x \ge 200\}$ is infinite set

02. Ans: (b)

Sol:

- (a) Set of real numbers between 10 and 100 is uncountable
- (b) $\{x | x \ge 10 \text{ or } x \le 100\}$ is finite set. So countable
- (c) Set of real numbers between 0 and 1 is uncountable

03. Ans: (d)

- **Sol:** (a) $|\varepsilon| = 0$
 - (b) $|\{\}| = 0$
 - (c) $|\{\epsilon\}| = 1$

04. Ans: (b)

Sol: $\Sigma = \{0,1\}$ 00, 01, 10, 11 are 2 length strings

05. Ans: (b)

Sol: w = abc

Prefix(w) = $\{\varepsilon, a, ab, abc\}$

06. Ans: (b) Sol: w = abcSuffix(w) = { ϵ , c, bc, abc}

- 07. Ans: (d) **Sol:** w = abcSubstring(w) = { ϵ , a, b, c, ab, bc, abc}
- **08.** Ans: (a)
- Sol: Language accepted by finite automata is called as Regular language.

09. Ans: (d)

Since

Sol: Every recursive language is REL but REL need not be recursive language.

10. Ans: (b)

Sol: Every regular grammar is CFG but CFG need not be regular grammar. 199



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- (II) Regular sets are not closed under infinite union
- (III) Regular sets are not closed under infinite intersection
- (IV) Regular languages are closed under substring operation
- : I and IV are correct.

11. Ans: (d)

- **Sol:** r = (0+1) * 00(0+1) *
 - A→0B| 0A | 1A
 - $B \rightarrow 0C|0$
 - $C \rightarrow 0C|1C|0|1$

12. Ans: (a)

Sol: $A_n = \{a^k | k \text{ is a multiple of } n\}$ For some n, A_n is regular Let n = 5, $A_n = A_5 = \{a^k | k \text{ is multiple of } 5\}$ = regular.

13. Ans: (d)

Sol: $L = \{a^m b^n | m \ge 1, n \ge 1\} = a^+ b^+$ is regular.

14. Ans: (c)

Sol: DFA accepts L and has m states It has 2 final states. It implies (m-2) non-final states.

DFA that accepts complement of L also has m states but it has (m–2) final states and 2 non-final states.

15. Ans: (d)

Sol: (a) 0* (1+0)* ; It generates invalid string '100'

(b) 0* 1010* ; It cannot generate valid string

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- 'ε'
 (c) 0* 1*01* ; It cannot generate valid string
 'ε'
- (d) 0* (10+1)*; It generates all strings not containing '100' as substring

16. Ans: (a)

- Sol: P1: Membership problem for FA is
 - decidable P2 : Infiniteness problem for CFG is
 - decidable
 - For P1, CYK algorithm exist
 - For P2, Dependency graph exist

17. Ans: (b)

Sol: L = set of all binary strings whose last 2 symbols are same.

0

$$A = 5 \text{ States.}$$

18. Ans: (a)

- **Sol:** $L = a^n b^n$ is not regular
 - It can be proved using Pumping Lemma
 - L does not satisfy Pumping Lemma

19. Ans: (c)

Sol: It requires 29099 remainders to represent the binary numbers of the given language. So, 29099 states required.



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20. Ans: (d)

Sol: The following problems are decidable for regular languages. Equivalence, Finiteness, Emptiness, infiniteness, totality, containment, Emptiness of complement, Emptiness of intersection, Emptiness of complement of intersection.

21. Ans: (a)

Sol: I. $\{a^n b^{2m} | n \ge 0, m \ge 0\} \Rightarrow$ Regular II. $\{a^n b^m | n = 2m\} \Rightarrow$ not regular III. $\{a^n b^m | n \ne m\} \Rightarrow$ not regular IV. $\{x \sub y | x, y \in \{a, b\}^*\} \Rightarrow$ Regular So, I & IV are correct.

22. Ans: (c)

Sol: Let n = 3

If w = abc, Substrings of $w = \{\varepsilon, a, b, c, ab, bc, abc\}$ non empty substrings of

 $w = \{a,b,c, ab, bc, abc\}$ number of substrings of w of length n is $\leq (\Sigma n) + 1$

number of non empty substrings of w of length $n \leq (\Sigma n)$.

23. Ans: (c)

Sol:

δ	a	b
→A	3 choices	3 choices
В	3	3
С	3	3

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Final states can be any of subset of {A, B, C}

So, 2³ possible final states combinations.

Total 8×3^6 DFAs.

Number of DFAs with atleast 2 final states $= 4 \times 3^6$.



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27. Sol:	(iv) $\frac{S \rightarrow aA \mid bB}{B \rightarrow b} L = \{bb\}$ (i) & (iii) are equivalent. Ans: (c) $L = (a+ba)^* b (a+b)^*$ strings of length ≤ 3 : b, ab, ba, bb, aab, aba, abb, baa, bab, bba bbb Number of strings = 11	1,	31. Sol: 32. Sol:	Ans: (c) $L = ((01)^* \ 0^*)^*$ $\begin{array}{c} h(a) = 0 \\ h(b) = 01 \end{array} \xrightarrow{h^{-1}(0)} = a \\ h^{-1}(01) = b \\ h^{-1} \ (L) = (b^* \ a^*)^* = (a+b)^*$ Ans: (a) $L_1 = a^*b \\ L_2 = ab^*$
28. Sol:	Ans: (b) $r = (0^* + (10)^*)^* = (0+10)^*$ $s = (0^*+10)^*$ $\therefore L(r) = L(s)$	ERI	۷G	$L_1/L_2 = a^*b/ab^* = \{a^*b/ab, a^*b/a,\}$ = { $a^*, \phi,\}$ = a^*
29. Sol:	 Ans: (d) The following sets are countable sets. 1) Set of regular sets 2) Set of CFLs 3) Set of Turing Machines The set of real numbers is uncountable 		33. Sol:	Ans: (d) : (a) $L(r^*) \supset L(r^+)$ (b) $L((r^+s)^*) \supset L(r^{*+s^*})$ (c) $L((r^+s)^*) \supset L((rs)^*)$ (d) $L(r^*) = L((r^+)^*)$
30. Sol:	The set of formal languages is uncountable. Ans: (a) a a b b a b b a b b a a b b a a b a a b a a b a a b a a b a a b a a b a a b a a b a a b a a b a a a b a a a b a a a b a a a b a a a a a a a a		34. Sol: 35. Sol:	 Ans: (b) Arden's lemma cannot be applied to NFA with ε moves. Arden's lemma applied to both DFA and NFA without ε moves. Ans: (d) Logic circuits, neural sets, toy's behavior can be modeled with regular sets.
	^b 2 Equivalence classes.			

		6			CSIT	-Post	tal Co	achin	g Solutic	ons
36. Sol:	Ans: (a) $L = (0+1)^* 00$ 1 0 1 0 0 3 state	es	41. A1 Sol: (0 (0 0((0 ∴	ns: (a) $0)^* + 0$ ($0)^* = set$ $00)^* = set$ $0)^* + 0(00)$	$(00)^*$ of all et of a $(00)^* =$	+00 (l ever ll odd set o +00(((000) [*] 1 strin 1 strin f all s 000)*:	* gs gs trings =0*	= 0*	
		4	42. Ai	ns: (d)						
37	Ans: (a)	\$	Sol:			0	1	2		
Sol:					q_0	q_0	\mathbf{q}_1	q_2	-	
			same		q_1	q ₃	q_4	q ₅	sar	ne
	$-\overline{q_0}$ $\overline{q_0}$ $\overline{q_1}$		q_{0}, q_{2}, q_{4} will be	4	q_2	q_0	\mathbf{q}_1	q_2	q_1	+q ₃ will be
	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		combine	ed	q_3	q ₃	q_4	q ₅	← ⁰	momed
	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$			└▶	q_4	q_0	q_1	q_2		
	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$				(q_5)	q ₃	q_4	q ₅		
	= 5 states		N	umber of	fstate	es = 3				
			{q	$[0, q_2, q_4]$	}, { q 1	, q ₃ },	${q_5}$			
38.	Ans: (a) 2^{rd} $1 + c$ 1^{r} (1)					Ć				
Sol:	3° symbol from ending is 1'		43. Ai	ns: (b)		C				
	DFA has 2^3 states.	:	Sol: i)	$\{a^{2^n} \mid n \geq n\}$	≥1} is	not r	egula	r		
			ii)	a ^{prime} is	not re	egula	r			
39. Soli	Ans: (a) $I = (a^i b^j) = 10000$		iii) $\{0^{i} 1^{j}\}$	i <i<1< th=""><th>000}</th><th>is fin</th><th>ite. So</th><th>o regular</th><th></th></i<1<>	000}	is fin	ite. So	o regular	
501:	$= \{ \varepsilon \ a \ b \ a^{99} \ b^{10000} \}$		iv) Comple	emen	t of I	when	e	8	
	L is finite set		1,	L = (0+	-1)* ()	0001	01010	00101	0010(0+	1)*
				is also	regul	ar	01010	50101	0010(0	1)
40.	Ans: (a)			(iii) & (i	v) ard	a rom	ilor ce	te		
Sol:	$L = (0+1)^* \ 0001 \ (0+1)^*$		••	(III) & (I	v) are	e Tegi				
	DFA that accepts complement of L als	50 4	44. Ai	ns: (b)						
	requires 5 states.		Sol: i) 1	n th symbo	ol fro	m rig	ht end	d is '1	$\Rightarrow 2^n$ sta	ates
	DFA that accepts complement of L.		ii)	n th syml	bol fr	om le	eft end	l is '1	\Rightarrow (n+2))
				states.						
		0,1	÷	(i) has 64	4 stat	es (ii)) has ′	7 state	es.	
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45. Ans: (c)

Sol: $L = \{w | w \in (a+b+c)^*, n_a(w) = n_b(w) = n_c(w)\}$ L is not regular because symbols have dependency.

46. Ans: (a)

Sol: If X = r+Xs and s has no ' ε ' then x has unique solution otherwise infinite solutions.

47. Ans: (a), (b) & (d)

- **Sol:** i. $\phi + \varepsilon = \varepsilon$
 - ii. $\{\varepsilon\}^* = \varepsilon = \varepsilon^*$

48. Ans: (b) & (d)

Sol: Option (a) is regular because it is finite language therefore it is regular. Options (b) & (d) non regular because it is not satisfying the pumping lemma

49. Ans: (a) & (d)

Sol: 1.
$$\longrightarrow \bigcirc^{\epsilon} \bigcirc^{a} \Rightarrow r = a$$

2.
$$\rightarrow \bigcirc \rightarrow \bigcirc \Rightarrow r = \varepsilon$$

3.
$$\rightarrow \bigcirc \stackrel{a}{\longrightarrow} \bigcirc \Rightarrow r = a$$

4. $\rightarrow \bigcirc \stackrel{a, \varepsilon}{\longrightarrow} \bigcirc \Rightarrow r = a, \varepsilon$

50. Ans: (a) & (d)

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Sol: Mealy machine does not responds for ε . Moore machine output depends only on current state

51. Ans: (b) & (d)

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Since

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Sol: (b) We know that $L = \Sigma^* - L$



DFA for $(0+1)^* 1 = (0+1)^* 11^*$ Interchange final & Non-final states



$$L = (0+1^{+}0)^{*}$$
$$L = (1^{*}0)^{*}$$
$$0 + 1^{+}0 = 1^{*}$$

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Chapter Context Free Languages (CFG, PDA)		i) Emptiness ii) Finiteness
 01. Ans: (c) Sol: CFLs are closed under: i) Finite union ii) Union iii) Concatenation iv) Kleene closure v) Reversal CFLs are not closed under: i) Intersection ii) Complement iii) Infinite union 		 iii) Non emptiness iv) Non finiteness (infiniteness) v) Membership Following problems are undecidable about CFLs: i) Equivalence ii) Containment iii) Totality 05. Ans: (a) Sol: i) {0ⁿ 1ⁿ n> 99} is CFL ii) {aⁿ bⁿ cⁿ n< 990} is finite, So CFL iii) {aⁿ b^m c^l m = l or m = n} is CFL
 02. Ans: (a) Sol: CFLs are closed under: i) Finite union ii) Homomorphism iii) Inverse Homomorphism iv) Substitution v) Substitution v) Reversal vi) Init vii) Quotient with regular set. 	C	iv) {ww w \in (a+b)* and w <1000} is finite, so CFL All languages are CFLs 06. Ans: (a) Sol: L ₁ = {ww w \in (0+1)*} is not CFL $\overline{L}_1 = \Sigma^* - L_1$ is CFL L ₂ = {a ⁿ b ⁿ c ⁿ n>1} is not CFL $\overline{L}_2 = \Sigma^* - L_2$ is CFL.
03. Ans: (d)Sol: CFLs are not closed under:		07. Ans: (b)

- i) Intersection
- ii) Intersection with non CFL
- iii) Infinite union

04. Ans: (a)

Sol: Decidable problems for CFLs.



by PDA.

regular

Sol: i) $\{ww^R | w \in (a+b)^*\}$ is CFL but not DCFL

ii) $\{w\$w^R | w \in (a+b)^*\}$ is DCFL but not

 \therefore (ii) accepted by DPDA but (i) accepted

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08.	Ans: (b)				iv) $\{a^{n!} \mid n \ge 0\}$ is not regular
Sol:	i) $\{0^n \ 1^n n > 1\}$ is DC	FL			If language over 1 symbol is not regular then
	ii) $\{0^n \ 1^{2n} \mid n \ge 1\} \cup$ but not DCFL	$\{0^n \ 1^n \mid n > 10\}$ is CFI	-		it is also not CFL. So all are not CLFs
	: (i) accepted by I	OPDA and (ii) accepted	1	13.	Ans: (c) & (d)
	by PDA.	· · · -	5	Sol:	i) $\{w w \in (a+b)^*\} = (a+b)^*$ is regular
					ii) $\{ww w \in (a+b)^*\}$ is not CFL
09.	Ans: (c)				iii) {www $w \in (a+b)^*$ } is not CFL
Sol:	S→SS a ε				iv) $\{ww^R w w \in (a+b)^*\}$ is not CFL
	It is ambiguous CFG				Only (i) is regular and remaining are not
	Every string generat	ed by the grammar has	5		regular.
	more than one deriva	tion tree.	R1/	۷G	So, only (i) is CFL and remaining are not
10	$\mathbf{A}_{\mathrm{max}}(\mathbf{a})$ (b) $\mathbf{P}_{\mathrm{max}}(\mathbf{a})$	E.NO.			CFLs.
IV. Sali	Ans: (a), (b) \propto (c)				
501:	$S \rightarrow a A$	र		14.	Ans: (c)
	$A \rightarrow a$	2 and has 2 names track		Sol:	Decidable problems about CFLs:
	for string 's'	3 and has 2 parse trees	5		i) Emptiness
	For string 'a' 2 pars	a trace 2 IMD's and 2	,		ii) Infiniteness
	PMD's are there	se trees, 2 LIVID's and 2	-		iii) Membership
	RIVID'S are there.			15.	Ans: (b)
11.	Ans: (d)			Sol:	Finiteness, Infiniteness, Membership are
Sol:	$\mathbf{L} = \{\mathbf{a}^l \mathbf{b}^m \mathbf{c}^n l, m, n\}$	> 1}			decidable for CFLs.
	$L = \{aa^+bb^+cc^+\}$	Sinc	:e 1	99	5
	unambiguous CFG th	nat generates L:		16.	Ans: (c)
	S→ABC			Sol:	DCFLs are closed under:
	A→aA aa				1) Complement
	B→bB bb				11) Inverse homomorphism
	C→cC cc				111) Intersection with regular set
	For given L, there e	xist unambiguous CFG	, .	17.	Ans: (a)
	So L is called as I	nherently unambiguous	5	Sol:	DCFLs can be described by LR(k)
	language.				grammars.
12.	Ans: (d)			18	Ans. (a)
Sol:	i) $\{a^p p \text{ is prime}\}$ is	not regular		Sol:	$L = \{1, 01, \dots, 110, 0110, \dots, \}$
	ii) $\{a^p p \text{ is not prime}\}$	e} is not regular			It is neither regular nor CFL.
	iii) $\{a^{2^n} n \ge 1\}$ is not	regular			
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 19. Ans: (a) Sol: L = 0*10*1 L is regular, so 0 	CFL.		i	v) L = {w w \in (a=b+c)*, n _a (w) = n _b (w), n _a (w)= 4n _c (w)} is not CFL.
20. Ans: (d) Sol: In CNF, if le derivation length If Derivation len (k+1)/2	ength of string is n then h is always 2n–1. ngth is k then string length i	n s	25. A Sol: L L L L	Ans: (a) $L = \{w \mid w \in (a+b+c+d)^*, n_a(w) = n_b (w) = n_c(w) = n_d(w)\}$ $L \text{ is not CFL but } \overline{L} \text{ is CFL}$ $L_1 = \{ww \mid w \in (a+b)^*\}$ $L_1 \text{ is not CFL but } \overline{L} \text{ is CFL}.$
 21. Ans: (a) Sol: Top down parsin GNF CFG can PDA derives a s 	ng can use PDA. be converted to PDA. Sucl tring using LMD.	h	26. A Sol: I E E	Ans: (a) & (b) $DTM \cong NTM$ Every DCFL has equivalent DTM Every CFL can have either DPDA and
22. Ans: (a) Sol: If PDA simulat derivation of a s	ted by GNF CFG then the tring uses LMD.	e	F E V	NPDA Every Recursive Language is REL but vice versa not true
23. Ans: (b) Sol: i) $L = \{w \mid w \in (a and n_b(w) is ii) L = \{w \mid w \in regular but C iii) L = \{w \mid n_a(w)+n_b(w)$	$(a+b)^*$, $n_a(w)$ is divisible by 3 divisible by 5} is regular $(a+b)^*$, $n_a(w) = n_b(w)$ } is no CFL $w \in (a+b)^*$, $n_a(w) = n_b(w)$ is divisible by 3} is no	3 t t	27. A Sol: I A A 28. A Sol: C	Ans: (a) & (c) Decidable for PDAs or CFG includes Membership, infiniteness and emptiness Any 2 PDAs are not necessary equivalent Ambiguity problem for CFGs is undecidable Ans: (c) & (d) Complement of CFL is recursive.
regular but C iv) L={w w∈(regular but C So (i) is regular	CFL a+b)*, $n_a(w) \neq n_b(w)$ } is no CFLs.	t	In n	ntersection and difference operations are not closed for CFL's
24. Ans: (c) Sol: i) $L = (a+b+c)*$ ii) $L = \{w \mid w \in n_a(w) = n_c(w)$ iii) $L = \{w \mid w \in (n_a(w) = n_b(w))$	is regular $\in (a+b+c)^*$, $n_a(w)=n_b(w)$ o y } is CFL. $(a+b+c)^*$, $y)+n_c(w)$ } is CFL.	r	29. A Sol: ((((Ans: (a) & (c) a) {wxw^R w∈ {a,b}*, x∈ {a, b}⁺} is regular hence it can be DCFL b) {xww^R w∈ {a,b}*, x∈ {a, b}} is CFL but not DCFL c) {wxw^R w∈ {a,b}*, x∈T} is odd palindrome hence it is DCFL d) {ww^Rx w∈ {a,b}*, x∈ {a, b}* } is CFL
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Online	Affordable Fee Availa	able 1M	3M 6M	1 12M 18M and 24 Months Subscription Packages

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30. Sol:	Ans: (d) (i) $L_1 = \{1^n \ 0^n \ 1^n \ 0^n / n > 0\}$ as there i association all four members it cannot be CFL.	S Ə	Chapter 4. Recursive Enumerable Languages (REG, TM, REL, CSG, LBA, CSL, Undecidability)
	(ii) $L_2 = \{a^n b^n\} \cup \{a^n b^{2n}\}$ it is equivalent $L_2 = \{a^n b^k/n \le k \le 2n\}$ is CFL	t	01. Ans: (d) Sol: Turing machine is equivalent to the
31. Sol:	Ans: (a), (c) & (d) (a), (c) & (d) we can have PDA therefore they are CFLs.	3	 TM with single tape TM start with blank tape TM with 2-way infinite tape
32.	Ans: (a) & (d)	RI	• TM with 2 symbols and blank
Sol:	(a) & (d) are true statements because is length of the derivations k and derivation appears as LMD.	t 1	02. Ans: (a) & (c)Sol: (a) TM with one push down tape and read only is equivalent to push down
33. Sol:	Ans: (a) & (b)(a) $S \rightarrow aSbb$ $S \rightarrow aabb$ (b) $S \rightarrow aSbb$ $S \rightarrow aabb$ $S \rightarrow aaaAbb$ $S \rightarrow aaaAbb$ $S \rightarrow aaabBbb$ $S \rightarrow aaabbbb$		 automata (b) TM with two push down tapes is equivalent to TM (c) TM without alphabet is not equivalent to any machine. 03. Ans: (d) Sol: (a) TM with 4 counters is equivalent to TM
34. Sol:	Ans: (b) & (d) The given grammar generates the odd lengt	2e 1	(b) TM with 3 counters is equivalent to TM(c) TM with 2 counters is equivalent to TM
	palindromes and recognizes by the DPDA. Given grammar is not ambiguous.		04. Ans: (d) Sol: (a) TM with multiple heads \cong TM
35.	Ans: (a) & (b)		(b) Multi dimensional tape $TM \cong TM$
Sol:	(a) $\{a^n, b^n\}$ is DCFL and $\{a^n, b^n\}$ is also DCFL)	(c) n-dimensional tape $TM \cong TM$
	 (b) {ww^R} is CFL and {ww^R}⁺ is also CFL (c) {a[*] b[*]} is regular and {a[*] b[*]}⁺ is also regular (d) {aⁿ bⁿ cⁿ n ≥ 0} is CSL but it is no closed under Kleene closure) t	 05. Ans: (a) Sol: (a) TM that have no link is equivalent to finite automata (b) TM with 3 pebbles ≅ TM (c) 2-way infinite tape TM ≅ TM (d) 100000 tape TM ≅ TM

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06. Sol: (Ans: (a) & (b) (a) TM that cannot leave their input is equivalent to LBA (b) TM that cannot use more than n! cells of 'n' length input is not equivalent to TM. 	n	11. Sol:	Ans: (a) The class of an assembly programs is equivalent to class of all functions computed by turing machines.
07	 (c) 3-tape TM is equivalent to TM (d) TM with single symbol alphabet is equivalent to TM Ans: (d) 		Sol:	Set of regular languages and set of recursive languages are closed under intersection and complement.
07. Sol: 08. Sol:	 The set of partial recursive function represent the sets computed by turing machines. Ans: (a) (a) Turing machines are equivalent to 0 programs. 	s 1 g S	13. Sol:	 Ans: (c) Non-deterministic TM is equivalent to deterministic TM Non-deterministic halting TM is equivalent to deterministic halting TM.
	 (b) TMs that always halt are equivalent to halting C programs. (c) Halting C programs not equivalent to turing machines (d) C++ programs are equivalent to turing machines. 		14. Sol: 15. Sol:	Ans: (a) Universal TM is equivalent to TM. Ans: (a) $\overline{L} = Set of regular expressions$ $\overline{L} = \phi$ L is REL and \overline{L} is also REL So, L is recursive language.
09. Sol:	Ans: (c) Set of turing machines is logically equivalent to set of LISP programs.	y S	16. Sol:	Ans: (a) Algorithms \cong Procedures \cong TMs
10. Sol:	Ans: (b) Class of halting turing machines i equivalent to class of halting prolog	s g	17. Sol:	Ans: (a) Hyper computer is equivalent to TM. TM can accept non-regular.
	 The class of prolog programs describes richer set of functions. 	a 1	18. Sol:	Ans: (b) TM head restricted to input accepts CSL

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19. Sol:	Ans: (b) Type 0 grammar is equivalent to turin	σ	26. Sol:	Ans: (d) Recursive languages are closed under union.
	machine.	6	~ • • •	intersection, complement, reversal and concatenation.
20.	Ans: (c)			Recursive languages are not closed under
Sol:	Type 1 grammar is equivalent to linear	r		substitution, homomorphism, quotient and
	bounded automata.			subset.
21.	Ans: (a) & (d)		27.	Ans: (d)
Sol:	$L = \{wwwwwww / w \in (a + b + c)^*\}$		Sol	
	L is CSL but not CFL		• (Regular sets are closed under finite
	So, L is also recursive language			have a set of the set
	A A A			and reversal
22.	Ans: (a) & (d)			Containment equivalence emptiness
Sol:	$L = \{a^{n} b^{n!} c^{(n!)!} \mid n > 1\}$			totality problems are decidable for
	L is CSL but not CFL			regular sets
	So, L is also recursive language			regular sets.
	So (a) & (d) are false		28.	Ans: (d)
a a			Sol	The following problems are undecidable for
23.	Ans: (d) Sine	ce 1	99	CFL's
Sol:	$L = \{ww^{n} \mid w \in (a+b)\}$			1. Equivalence
	L is CFL but not regular			2. Totality
24		Y		3. Containment
24.	Ans: (d)		• •	
Sol:	$(0 + 1 + \dots + n + A + B + \dots + F)^* 1 (0 + 1 + \dots + F)^*$	+	29.	Ans: (c)
	$\dots + 9 + A + B + C + D + E + F)^*$		501	CSL'a
	It is regular language			CSL S
25	Ans: (a)			2 Emptiness
23.	Ans. (c)			2. Empiricss 3. Totality (Σ^*)
Sol:	$L = a^{+}$			4 Equivalence
	L 18 CSL			5. Containment
			(
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30. Sol:	 Ans: (d) Undecidable problems for recursive sets: 1. Emptiness 2. Infiniteness 3. Regularity 4. Equivalence 5. Containment Membership problem is decidable for recursive sets 	r	 33. Ans: (c) & (d) Sol: L = {aⁿbⁿcⁿ n ≥ 1} L is CSL and it can be defined by DTM in polynomial space ∴L is in CSL and Recursive Languages 34. Ans: (a) & (c) Sol: Equality of DPDA is decidable and can be decided in polynomial time So on the same argument (c) and (a) are true.
31. Sol: 32. Sol:	<pre>Ans: (a), (b) &(d) Given TM accepts only 2 strings of length one L = {0, 1} Ans: (a), (b) & (c) All conversions are possible other than convert NPDA to DPDA.</pre>		 35. Ans: (a) & (d) Sol: CSL is accepted by LBA and LBA is a TM with finite read and write tape-bounded so it won't be accepted by DFA even if we add any no. of states because the tape of DFA is read only. Again regular expression always generates regular language

