

GATE | PSUs

INSTRUMENTATION ENGINEERING

Electrical Circuits and Machines

(Text Book: Theory with worked out Examples and Practice Questions)

Basic Concepts (Solutions for Text Book Practice Questions)

01. Ans: (c) **Sol:** We know that; $i(t) = \frac{dq(t)}{dt}$ dq(t) = i(t).dti(t), Amps 5 4 3 t(usec) $q = \int i(t)dt = Area under i(t) upto 5 \ \mu sec$ $q = q_1 |+ q_2 |+ q_3 |$ $= \left(\frac{1}{2} \times 3 \times 5\right) + \left(\frac{1}{2} \times 1 \times 2 + (1 \times 3)\right) + \left(\frac{1}{2} \times 1 \times 1 + (1 \times 3)\right)$ $q = 15 \mu C$ 02. Ans: (a) Sol: Sinc 4 A 4A 8 V 8V $8V \ge 2 \Omega$ R

03. Ans: (a)

Sol: The energy stored by the inductor $(1\Omega, 2H)$ upto first 6 sec:

Estored upto 6 sec =
$$\int_{0}^{6} P_L dt = \int_{0}^{6} v_L(t)i_L(t)dt$$

$$= \int \left(L \frac{di(t)}{dt} \cdot i(t)\right) dt$$

$$= \int_{0}^{2} \left(2 \left[\frac{d}{dt}(3t)\right] \times 3t\right) dt + \int_{2}^{4} \left(2 \left[\frac{d}{dt}(6)\right] \times 6\right) dt$$

$$+ \int_{4}^{6} \left(2 \left[\frac{d}{dt}(-3t+18)\right] \times (-3t+18)\right) dt$$

$$= \int_{0}^{2} 18t dt + \int_{2}^{4} 0 dt + \int_{4}^{6} (-6[-3t+18]) dt$$

$$= 36 + 0 - 36 = 0 J \quad (or)$$

$$E_{stored upto 6sec} = E_L |_{t=6sec}$$

$$= \frac{1}{2} L \left(i(t)|_{t=6}\right)^{2}$$

$$= \frac{1}{2} \times 2 \times 0^{2} = 0 J$$
04. Ans: (d)
Sol: The energy absorbed by the inductor (1 Ω , 2H) upto first 6sec:

$$E_{absorbed} = E_{dissipated} + E_{stored}$$
Energy is dissipated in the resistor

$$E_{dissipated} = \int P_R dt = \int (i(t))^2 R dt$$

$$= \int_{0}^{2} (3t)^2 \times 1 dt + \int_{2}^{4} (6)^2 \times 1 dt + \int_{4}^{6} (-3t+18)^2 \times 1 dt$$

$$= \int_{0}^{2} 9t^2 dt + \int_{2}^{4} 36dt + \int_{4}^{6} (9t^2 + 324 - 108t) dt$$

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And

 \Rightarrow

4 A

 \Rightarrow

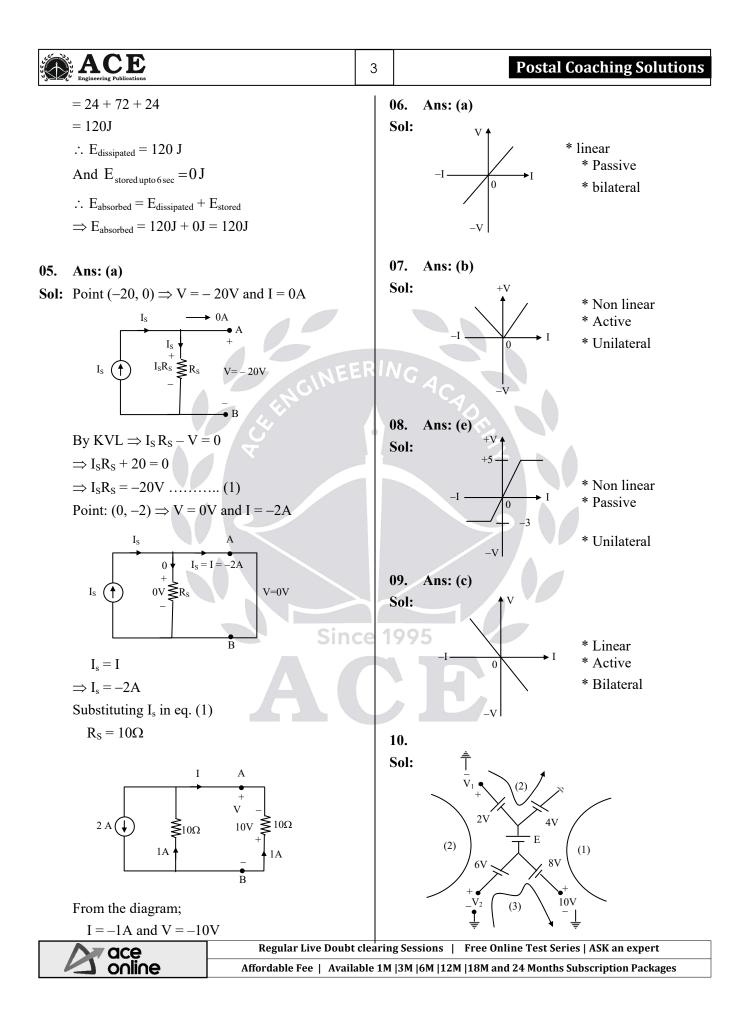
Applying KCL at node 'b' I + 4 = 4

I = 0A

 $\frac{8}{R} = 4$

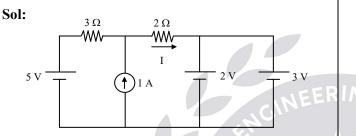
 $R = 2\Omega$

Chapter

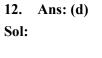


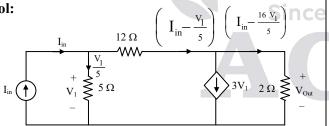
(1) By KVL \Rightarrow + 10 + 8 + E + 4 = 0 E = -22V(2) By KVL \Rightarrow + V₁ - 2 + 4 = 0 $V_1 = -2V$ (3) By KVL \Rightarrow + V₂ + 6 - 8 - 10 = 0 $V_2 = 12V$

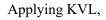
11. Ans: (d)



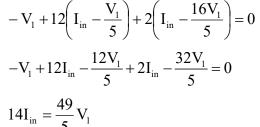
Here the 2V voltage source and 3V voltage source are in parallel which violates the KVL. Hence such circuit does not exist. (But practical voltage sources will have some internal resistance so that when two unequal voltage sources are connected in parallel current can flow and such a circuit may exist).







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 $\Rightarrow V_1 = \frac{70}{49} I_{in} \dots \dots (1)$: $V_{out} = 2 \left(I_{in} - \frac{16V_1}{5} \right) \dots (2)$ Substitute equation (1) in equation (2) $V_{out} = 2 \left(I_{in} - \frac{16}{5} \times \frac{70}{49} I_{in} \right)$ $=2\left(\frac{-25}{7}\right)I_{in}$ $=\frac{-50}{7}I_{in}$ $\therefore V_{out} = -7.143 I_{in}$ 13. Ans: (c) 1Ω Sol: 4A V=12V ₩₩ 8A 12A

Power delivered by the dependent source is $P_{del} = (12 \times 4) = 48$ watts

V = 12 volts

 $\ge 1\Omega$

0V

12V

 $\left(\frac{V_1}{5}\right) = 4A$

12V 🗸 🕇

14. Ans: (d)

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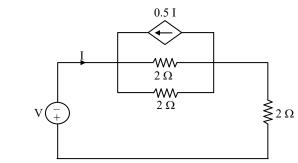
By nodal \Rightarrow

V - 20 + V - 4 = 0

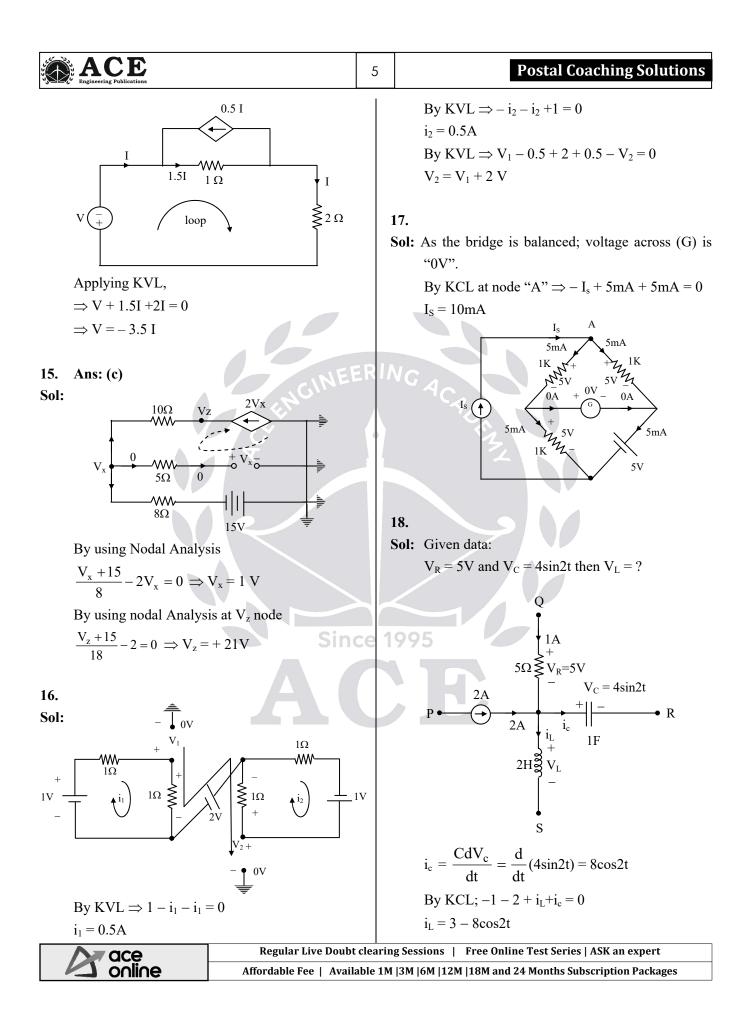


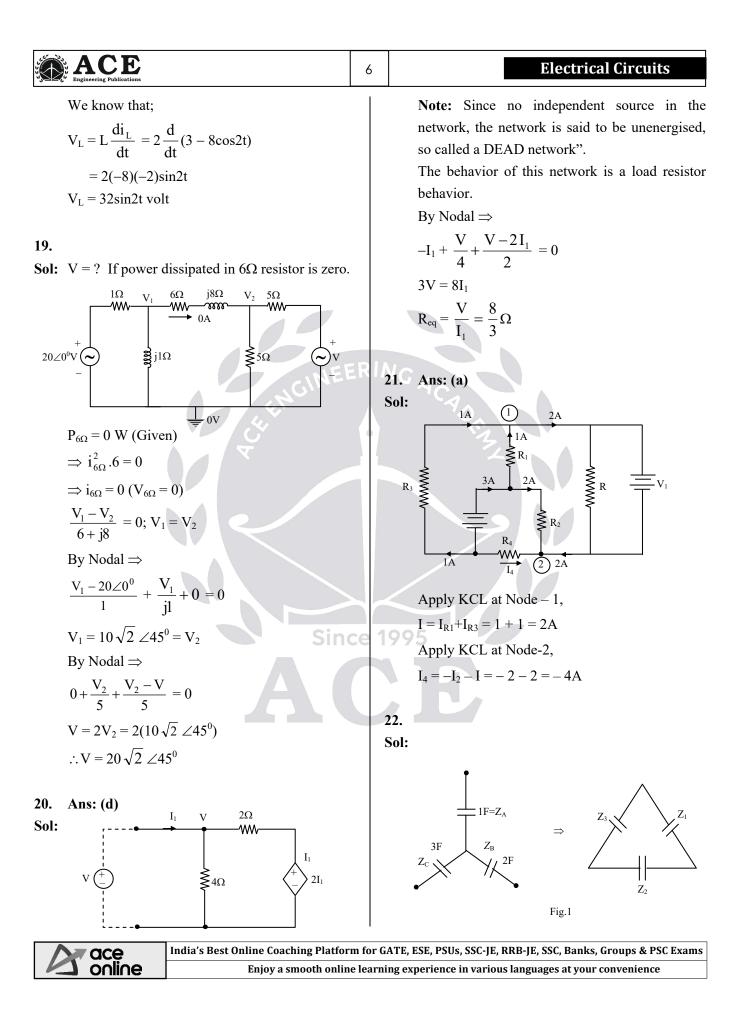
 $V_1 = 20V$

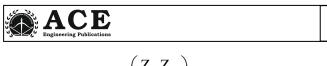
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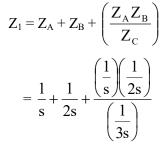


Electrical Circuits









$$Z_1 = \frac{1}{s\left(\frac{1}{3}\right)}; \qquad C = \frac{1}{3}F$$

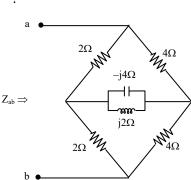
 $\frac{1}{2}$ F

$$Z_{2} = Z_{B} + Z_{C} + \frac{Z_{B} Z_{C}}{Z_{A}} = \frac{1}{2s} + \frac{1}{3s} + \frac{\left(\frac{1}{2s}\right)\left(\frac{1}{3s}\right)}{\left(\frac{1}{s}\right)}$$

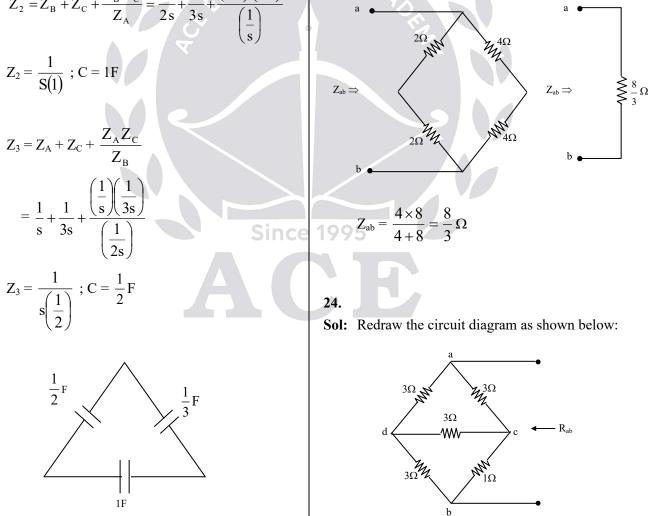
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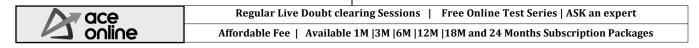
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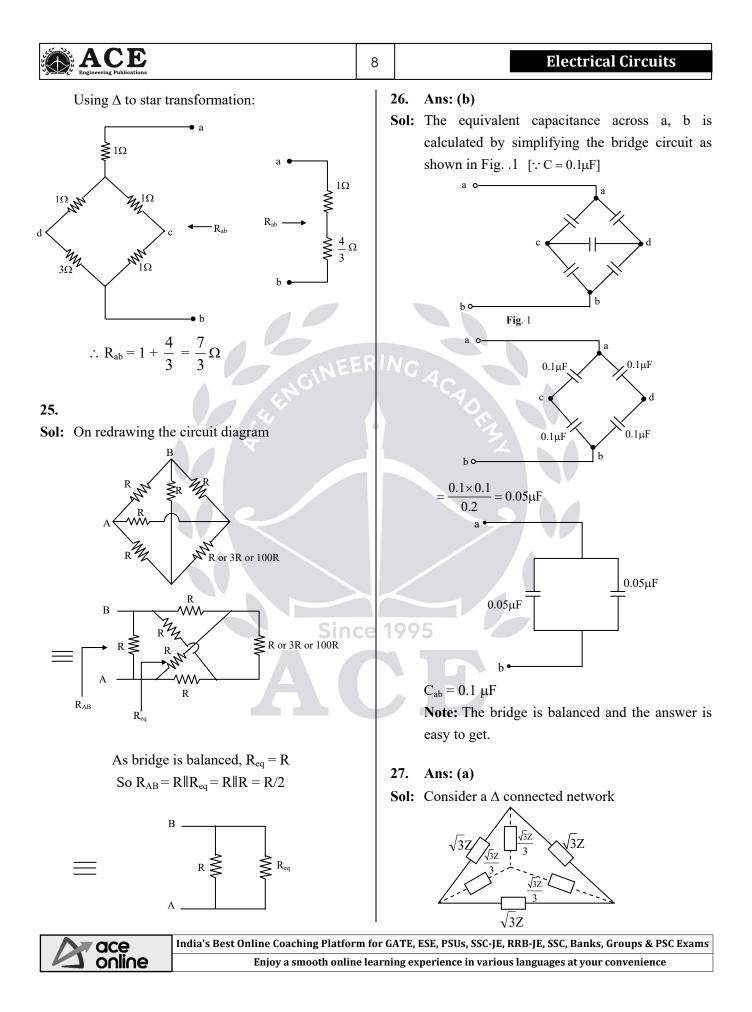


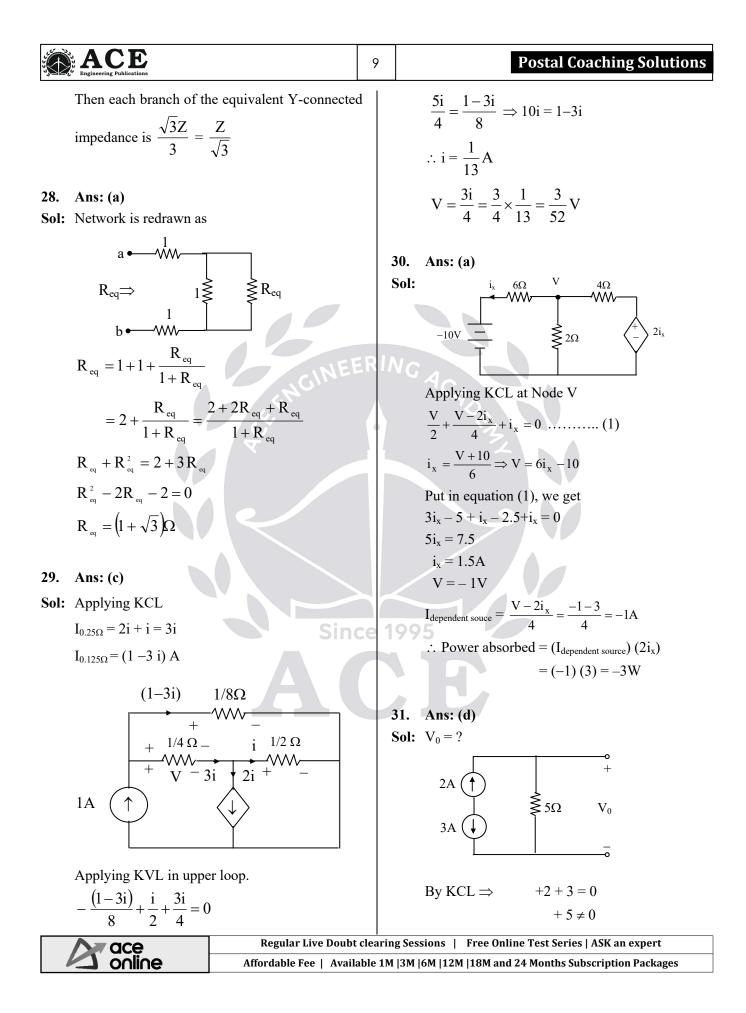


Since $2 \times 4 = 4 \times 2$; the given bridge is balanced one, therefore the current through the middle branch is zero. The bridge acts as below:









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A A	Engineering Publications

Electrical Circuits

 (\mp) 10V

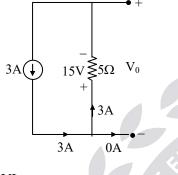
Ι

ξ5Ω

Since the violation of KCL in the circuit ; physical connection is not possible and the circuit does not exist.

32. Ans: (b)

Sol: Redraw the given circuit as shown below:



By KVL
$$\Rightarrow$$

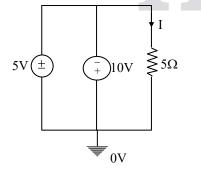
-15 -V₀ = 0
V₀ = -15V

- 33. Ans: (d)
- **Sol:** Redraw the circuit diagram as shown below: Across any element two different voltages at a time is impossible and hence the circuit does not exist.

Another method:

By KVL
$$\Rightarrow$$

5 + 10 = 0



Since the violation of KVL in the circuit, the physical connection is not possible.



Sol: Redraw the given circuit as shown below:

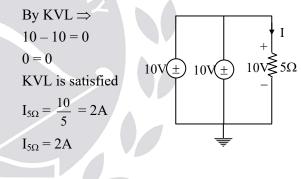
10V

By KVL \Rightarrow -10 -10 = 0 -20 \neq 0

Since the violation of KVL in the circuit, the physical connection is not possible.

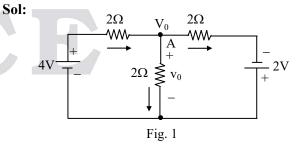
35. Ans: (b)

Sol: Redraw the given circuit as shown below:



36. Ans: (d)

Since

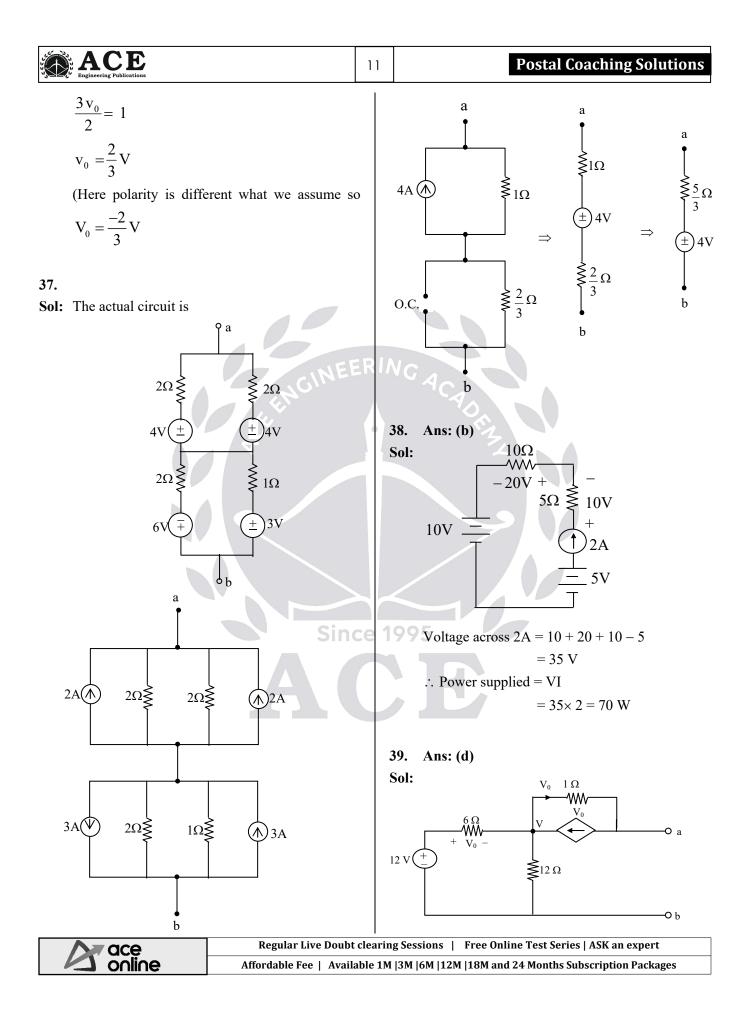


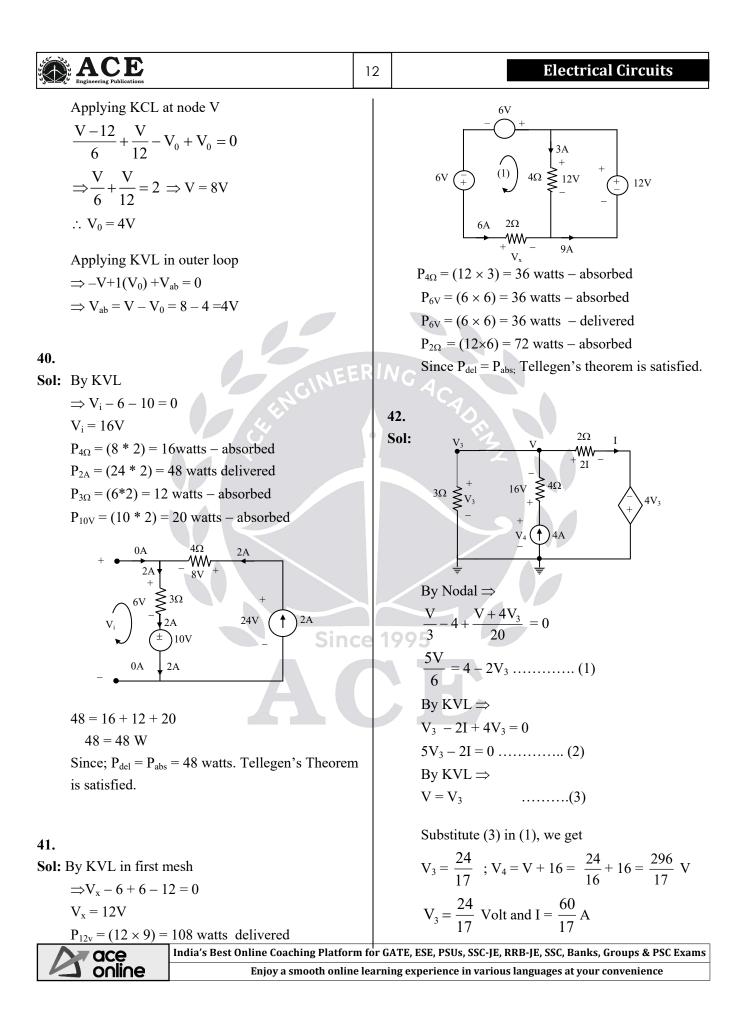
The diode is forward biased. Assuming that the diode is ideal, the Network is redrawn with node A marked as in Fig. 1.

Apply KCL at node A

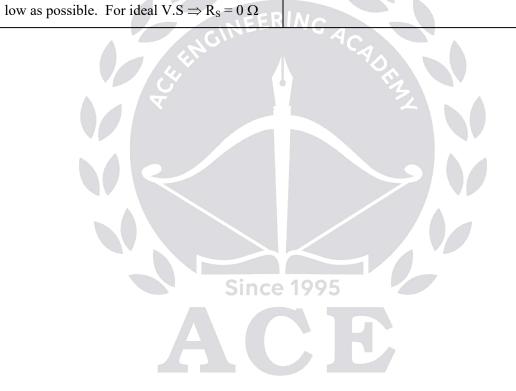
$$\frac{4 - v_0}{2} = \frac{v_0}{2} + \frac{v_0 + 2}{2}$$



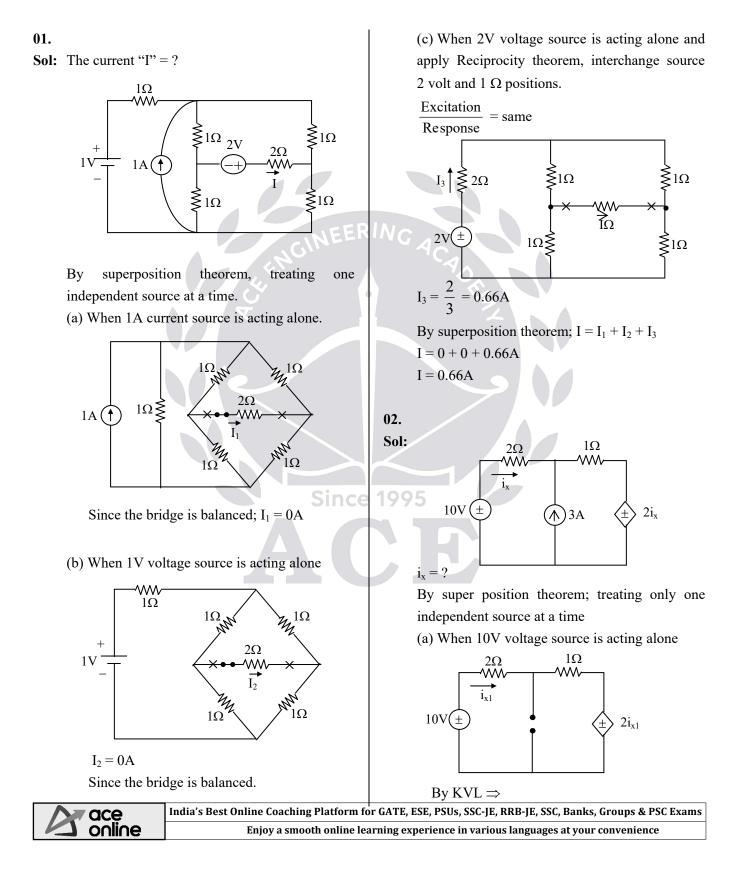




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$\begin{split} P_{3\Omega} &= 0.663 \text{W} \text{ absorbed} \\ P_{4\Omega} &= 64 \text{W} \text{ absorbed} \\ P_{4A} &= 69.64 \text{W} \text{ delivered} \\ P_{2\Omega} &= 24.91 \text{W} \text{ absorbed} \\ P_{4V3} &= 19.92 \text{W} \text{ delivered} \\ \text{Since } P_{del} &= P_{abs} = 89.57 \text{W} \text{ ; Tellegen's Theorem} \\ \text{is satisfied.} \end{split}$	1	 → For practical current I_s its internal resistance R_s connected in parallel as maximum as possible. For ideal C.S ⇒ R_s = ∞ Ω Any element connected with an ideal current source is not effect. Any element connected in parallel with an ideal voltage source is not effect.
 43. Ans: (a, d) Sol: → For practical voltage source V_s is connected in series with its internal resistance R_s as 		







ACE **Postal Coaching Solutions** 15 $10 - 2i_{x1} - i_{x1} - 2i_{x1} = 0$ For 120 V \rightarrow V₂ = 50 V $i_{x1} = 2A$ For 105 V \rightarrow V₂ = $\frac{105}{120} \times 50 = 43.75$ V (b) When 3A current source is acting alone $V_2 = 120 \text{ V} \Rightarrow I^2 R_3 = 60 \text{ W} \Rightarrow I = \sqrt{\frac{60}{R_2}}$ For $V_s = 105 V$ $P_3 = \left(\frac{105}{120}\sqrt{\frac{60}{R_3}}\right)^2 \times R_3 = 45.9 \text{ W}$ ∧)3A \pm 2 i_{x2} 04. Ans: (b) By Nodal \Rightarrow Sol: It is a liner network

$$\frac{V}{2} - 3 + \frac{(V - 2i_{x_2})}{1} = 0$$

$$3V - 4i_{x_2} = 6 \dots \dots \dots (1)$$

And

$$i_{x_2} = \frac{0 - V}{2} \Rightarrow V = -2i_{x_2} \dots \dots (2)$$

Put (2) in (1), we get

$$i_{x_2} = -\frac{3}{5}A$$

By SPT ;

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$$i_x = i_{x1} + i_{x2} = 2 - \frac{3}{5} = \frac{7}{5}$$

: $i_x = 1.4A$

03.

Sol:

$$R_{1} \quad i_{1} = 3A$$

$$R_{2} \quad i_{1} = 3A$$

$$R_{2} \quad i_{1} = 3K$$

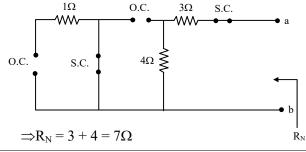
$$R_{2} \quad i_{1} = 50V$$

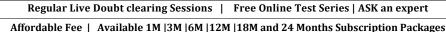
$$R_{3} \quad i_{1} = 50V$$

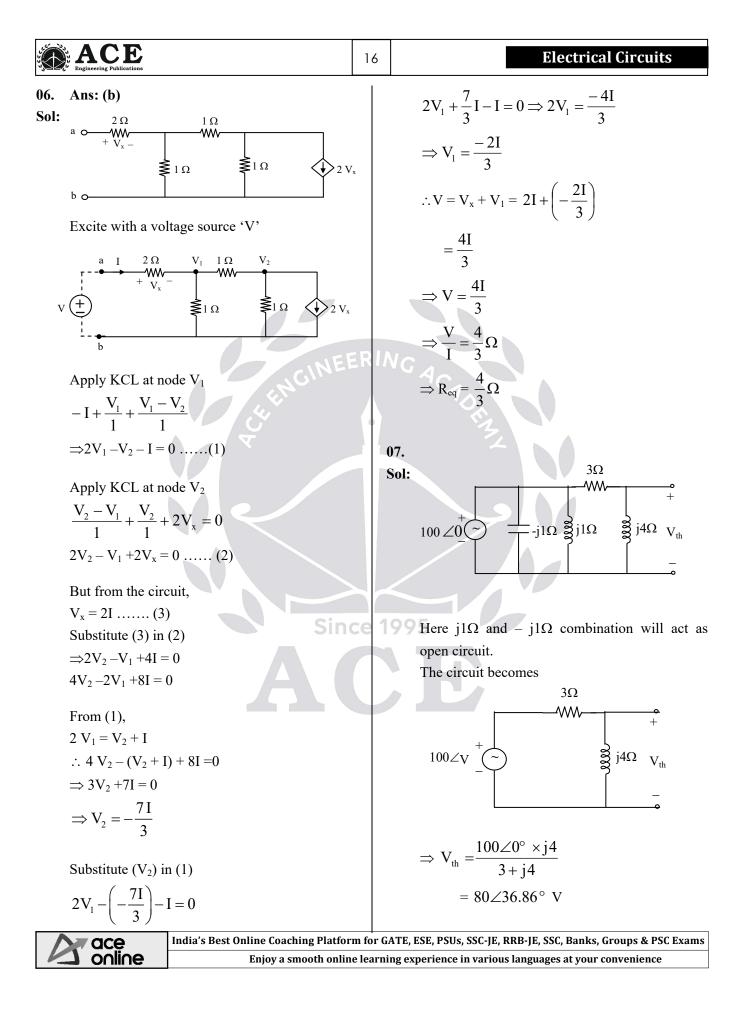
I: It is a liner network ∴ V_x can be assumed as function of i_{s1} and i_{s2} $V_x = Ai_{s_1} + Bi_{s_2}$ $80 = 8A + 12 B \rightarrow (1)$ $0 = -8A + 4B \rightarrow (2)$ From equation 1 & 2 A = 2.5, B = 5Now, V_x = (2.5)(20) + (5)(20) V_x = 150V

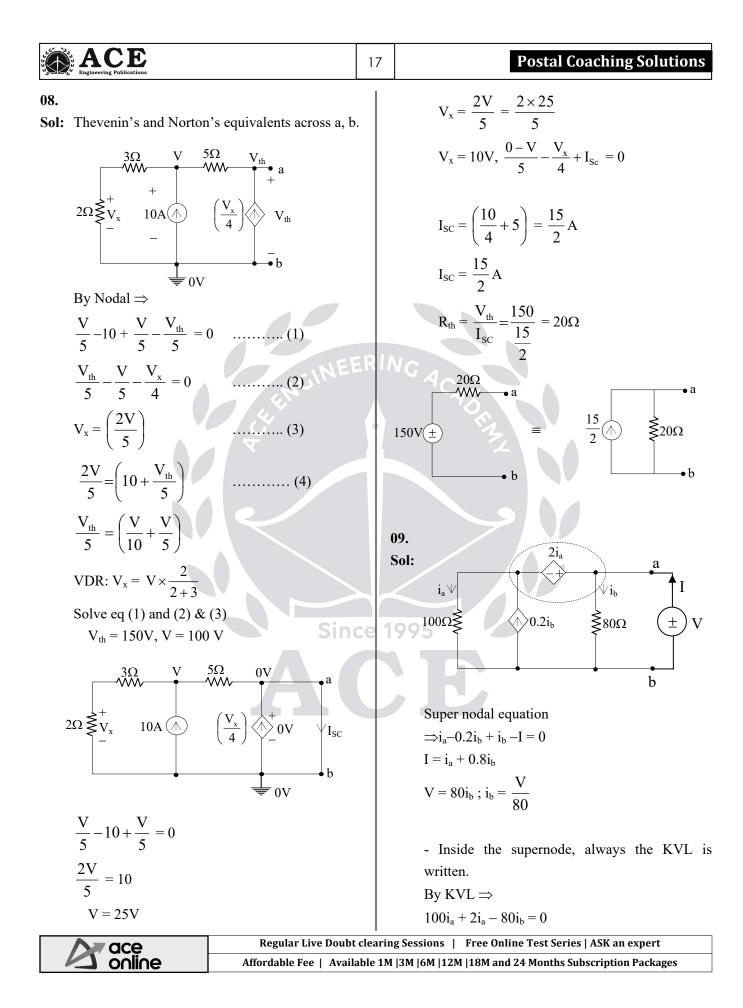
Since 05. Ans: (c) Sol: 1Ω 3A 3Ω 6VW 4Ω a

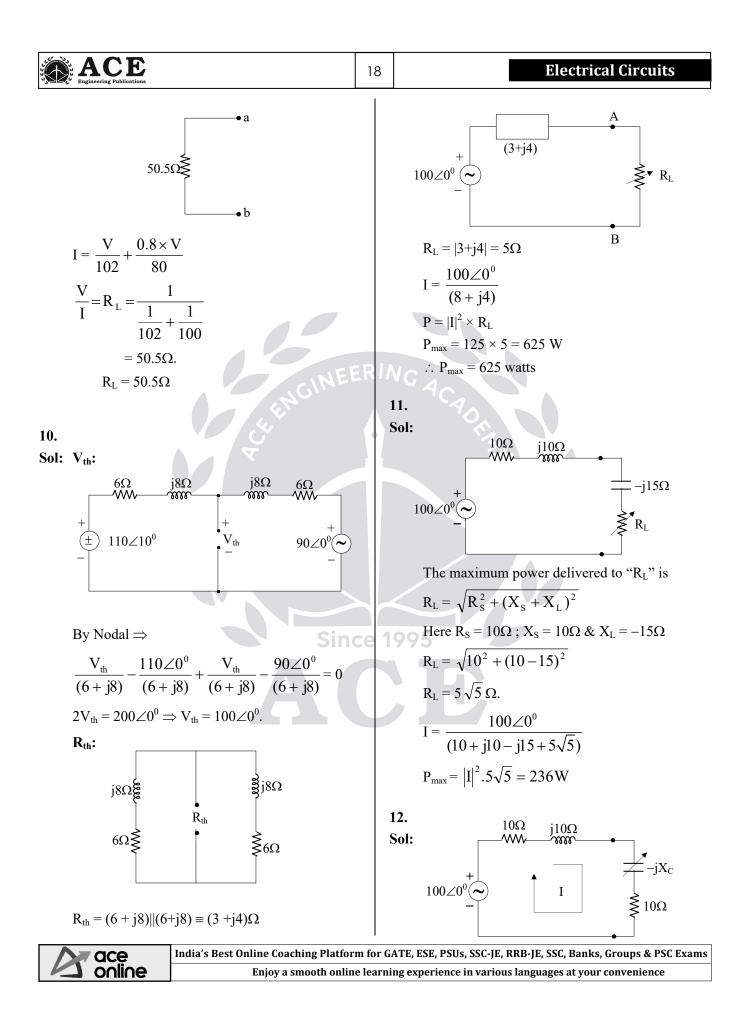
> For finding Norton's equivalent resistance independent voltage sources to be short circuited and independent current sources to be open circuited, then the above circuit becomes

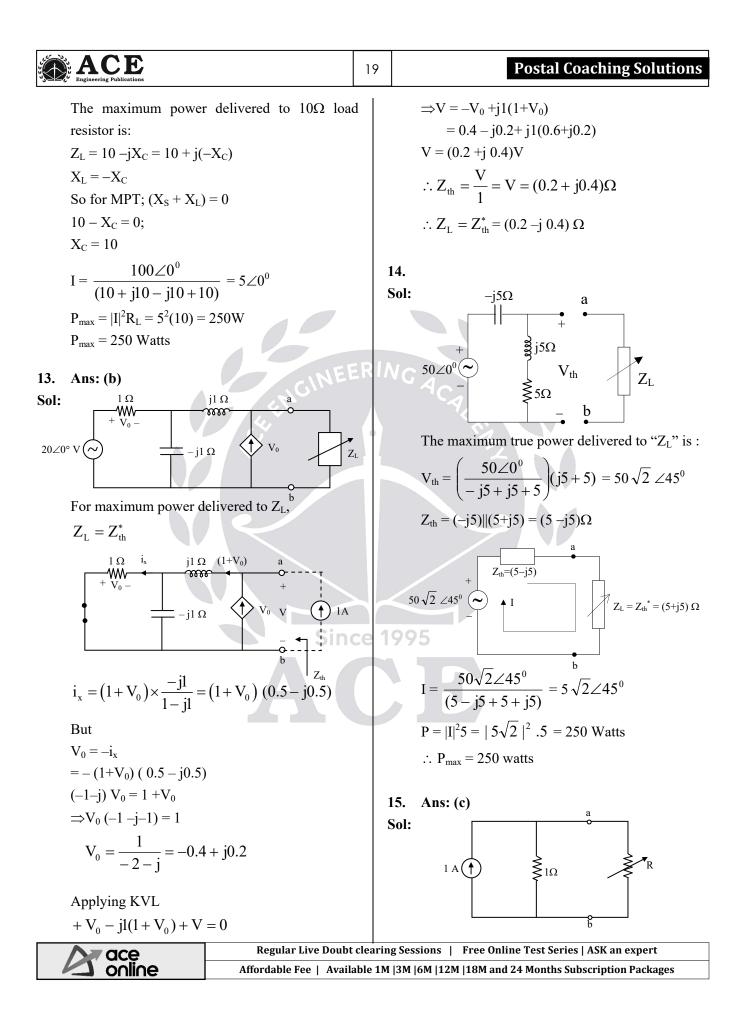


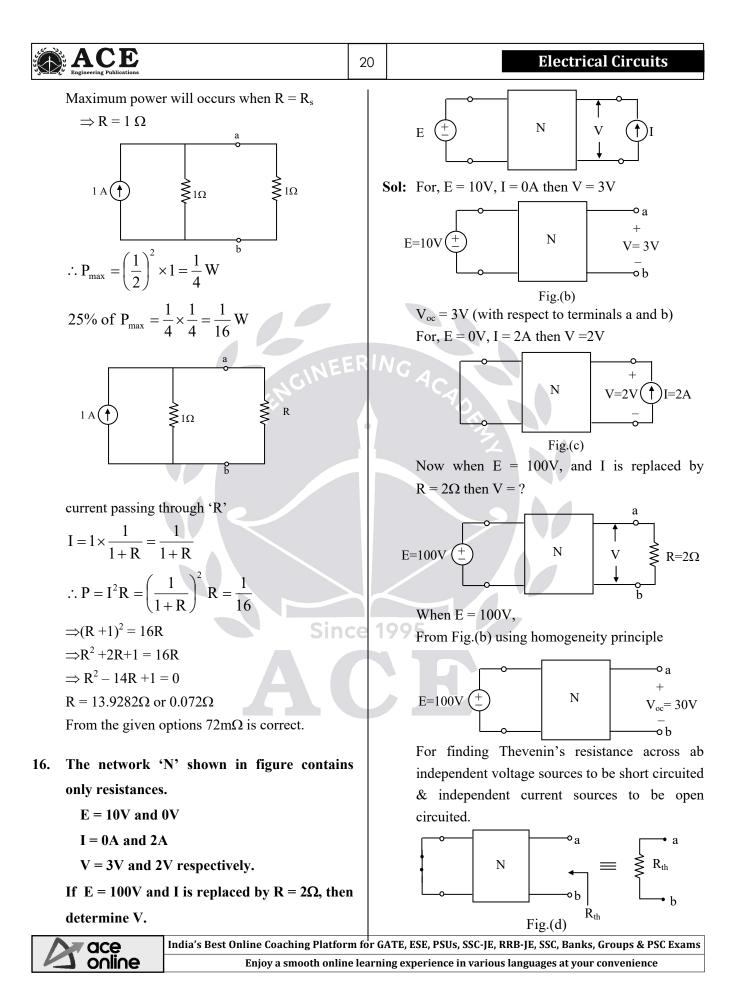


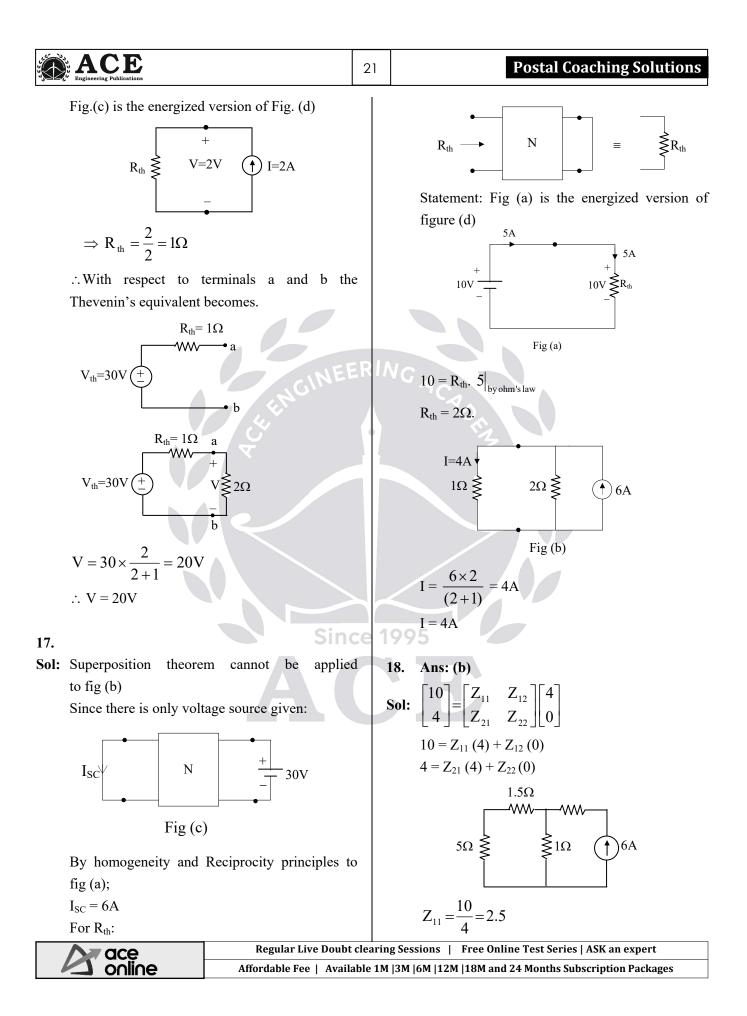


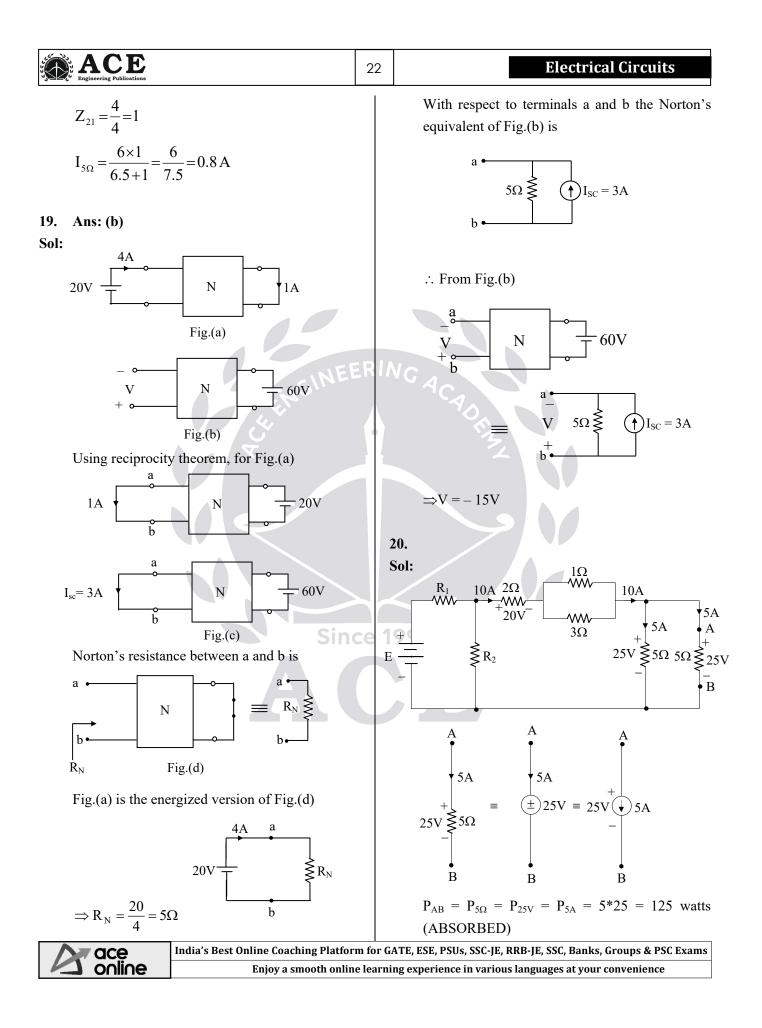








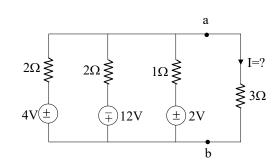




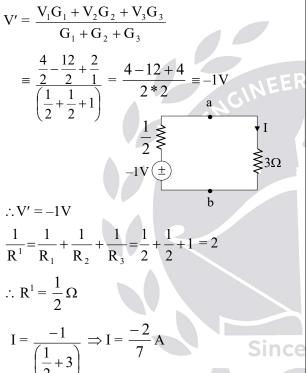
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21. Sol:



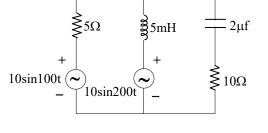
By Mill Man's theorem;



22. Ans: (d)

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Sol:

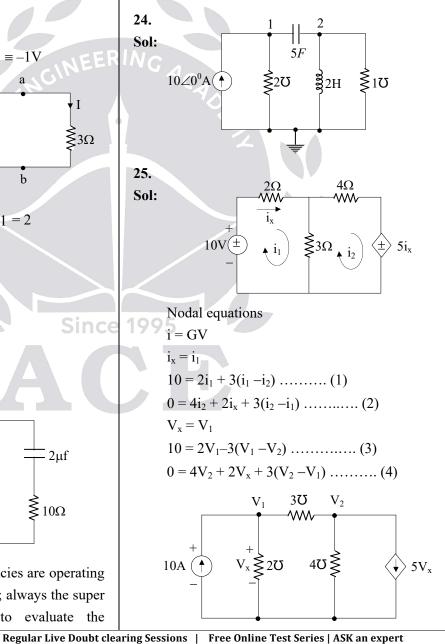


Since the two different frequencies are operating on the network simultaneously; always the super position theorem is used to evaluate the responses since the reactive elements are frequency sensitive

i.e.,
$$Z_L = j\omega L$$
 and $Z_C = \frac{1}{j\omega c} \Omega$.

23.

Sol: In the above case if both the source are100rad/sec, each then Millman's theorem is more conveniently used.

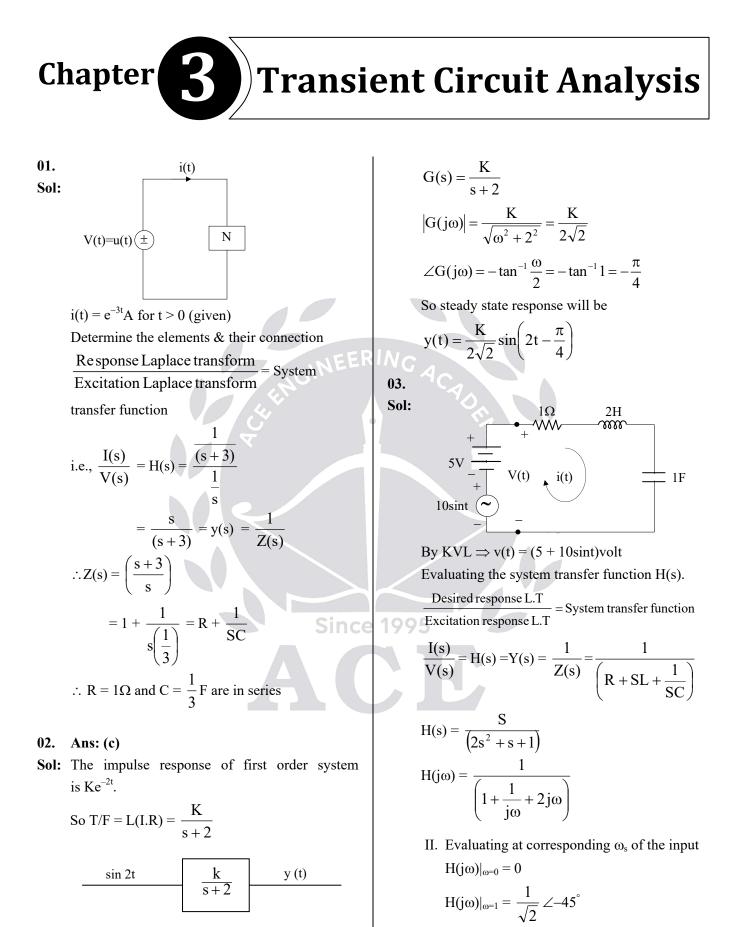


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26. (b, c)Sol: Tellegen's Theorem is applicable to any nonlinear Network.	у	$I = 1 \Longrightarrow 4I = 4(1) = 4 V$ $R_{th} = \frac{V_s}{I}$		
27. Ans: (c, d)		$\frac{V_s - 4}{4} + \frac{V_s}{2} - 1 = 0$		
Sol: 4Ω V _s I = 1		$\frac{3V_{s}}{4} = 2 \Longrightarrow V_{s} = \frac{8}{3}V$		
$4V \Leftrightarrow \qquad $		$R_{th} = \frac{V_s}{I} = \frac{8}{3}\Omega$		
		∴ There is no independent source, $V_{th} = 0$ ∴ (c, d) are correct.		
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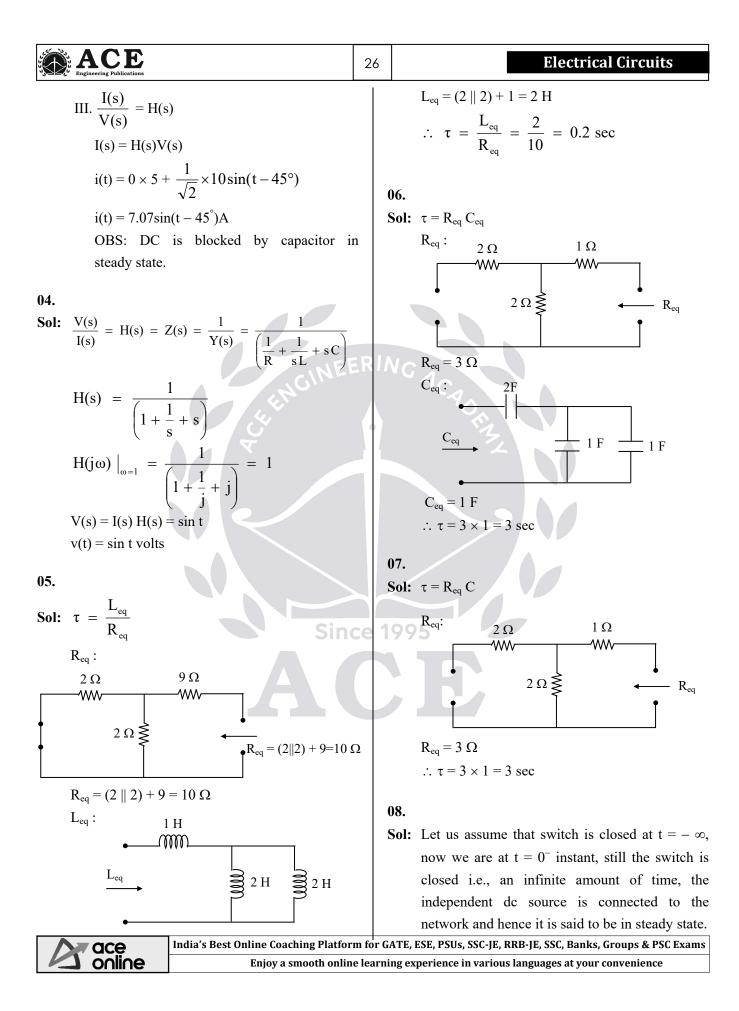
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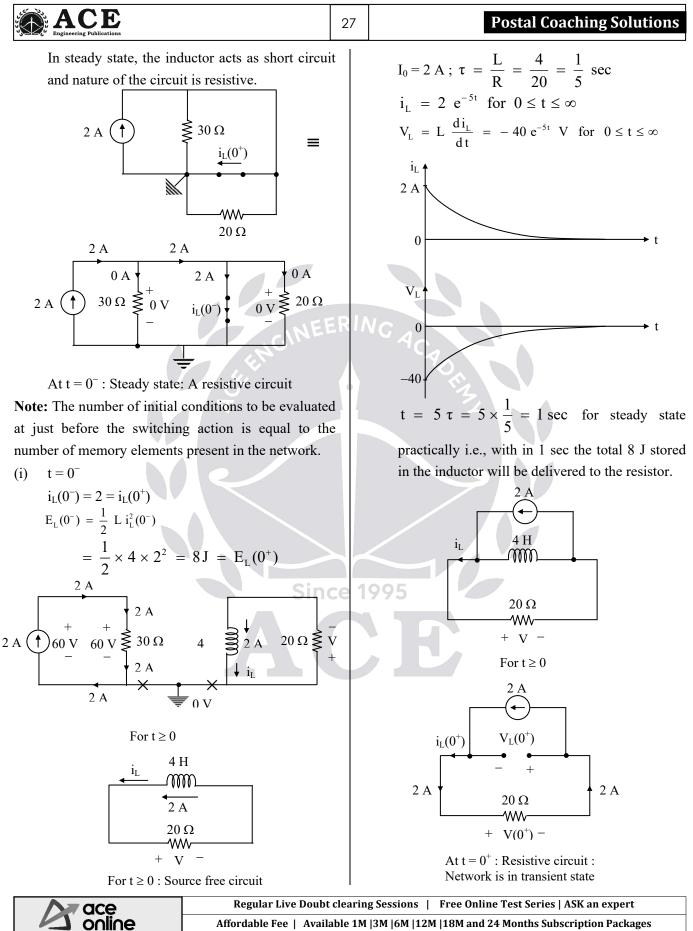


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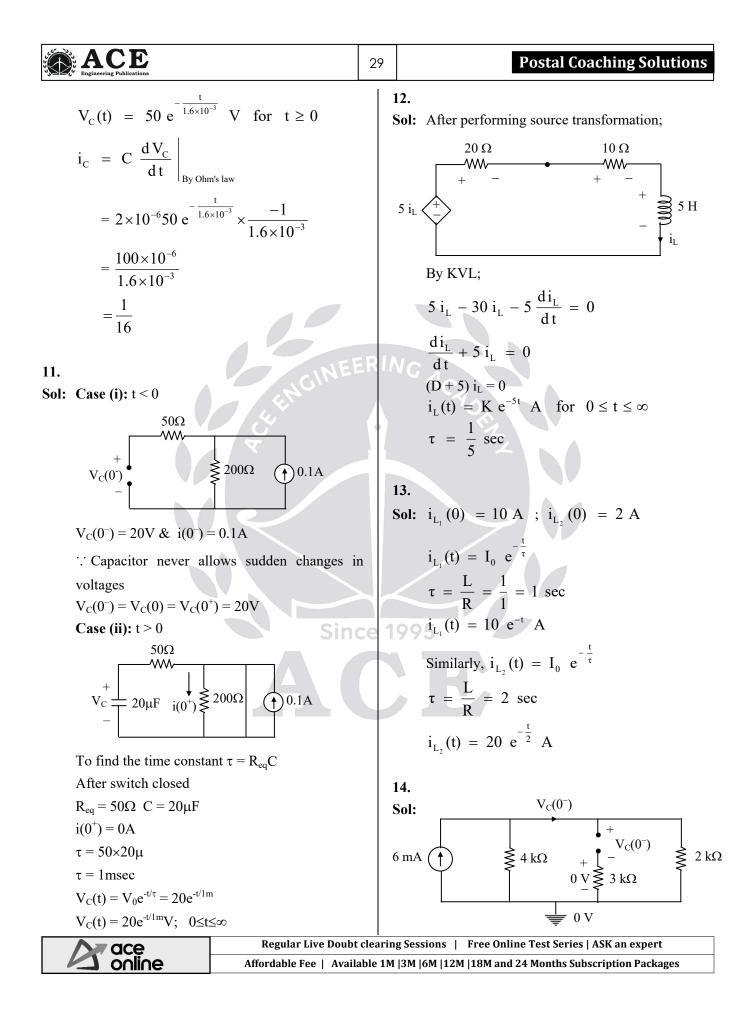


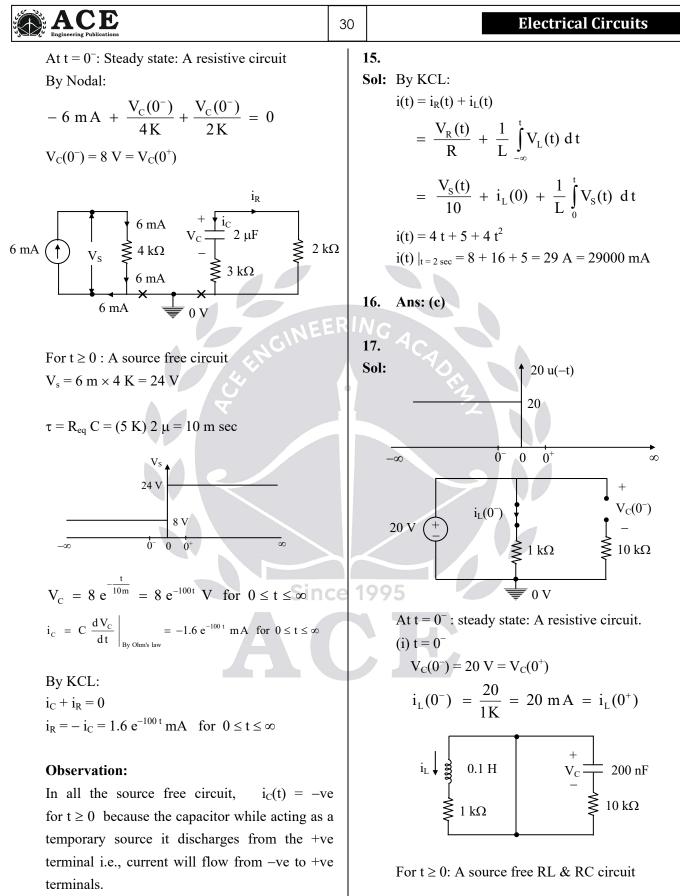


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By KCL:	(3) $V_L(0^+) = -40 \text{ V}$
$-2 + i_L(0^+) = 0$	$V_{\rm L}(t) \Big _{t=0^+} = -40 \text{ V}$
$i_{L}(0^{+}) = 2 A$	$L () _{t=0^+}$
$V(0^+) = R i_L(0^+) _{By Ohm's law}$	$L \frac{d i_{L}(t)}{d t} \bigg _{t=0^{+}} = -40$
$V(0^+) = 20 (2) = 40 V$	dt $\Big _{t=0^+}$
By KVL:	$di_{1}(t)$ 40 40
$V_L(0^+) + V(0^+) = 0$	$\frac{di_{L}(t)}{dt}\Big _{t=0} = -\frac{40}{L} = -\frac{40}{4} = -10 \text{ A/sec}$
$V_L(0^+) = -V(0^+) = -40 V = V_L(t)\Big _{t=0^+}$	Check :
Observations:	$i_{\rm L}(t) = 2 e^{-5t} A$ for $0 \le t \le \infty$
$t = 0^{-}$ $t = 0^{+}$	
$i_L(0^-) = 2 A$ $i_L(0^+) = 2 A$	$\frac{di_{L}(t)}{dt} = -10 e^{-5t} A/sec \text{ for } 0 \le t \le \infty$
$i_{20\Omega}(0^-) = 0 A$ $i_{20\Omega}(0^+) = 2 A$	BINC 4: (1)
$V_{20\Omega}(0^{-}) = 0 V$ $V_{20\Omega}(0^{+}) = 40 V$	$\frac{di_{L}(t)}{dt} = -10 \text{ A/sec}$
$V_L(0^-) = 0 V$ $V_L(0^+) = -40 V$	dt $t = 0^+$
Conclusion:	
To keep the same energy as $t = 0^{-}$ and to protect	
the KCL and KVL in the circuit (i.e., to ensur	e Sol:
the stability of the network), the inducto	
voltage, the resistor current and its voltag	
can change instantaneously i.e., within zero tim	$e 40 \Omega \leq V + 35 H$
at $t = 0^+$.	$24 \text{ V} = i_{\text{L}}$
(2) $i_{L}(t)$	
$20 \Omega $ $4 H $ $V_{L}(t)$ Sin	
	$i_L(0^+) = 2.4 \text{ A}$
	$V(0^+) = -96 V$
For $t \ge 0$	$i_L(t) = 2.4 \ e^{-10 \ t} \ A \ \text{ for } \ 0 \le t \le \infty$
$i_L(t) = 2 e^{-5t} A$ for $0 \le t \le \infty$	
$V_L(t) = -40 e^{-5t} V \text{ for } 0 \le t \le \infty$	10. Sale
Conclusion:	Sol: $2 \stackrel{\text{S}}{=} 1 \qquad 732 \Omega$
For all the source free circuits, $V_L(t) = -ve$ for	
$t \ge 0$, since the inductor while acting as	
temporary source (upto 5τ), it discharges from	
positive terminal i.e., the current will flow from	
negative to positive terminals. (This is the mus	
condition required for delivery, by Tellegan'	^s $V_{\rm C}(0^+) = 50 \text{ V}; i(0^+) = 62.5 \text{ mA}$
theorem)	

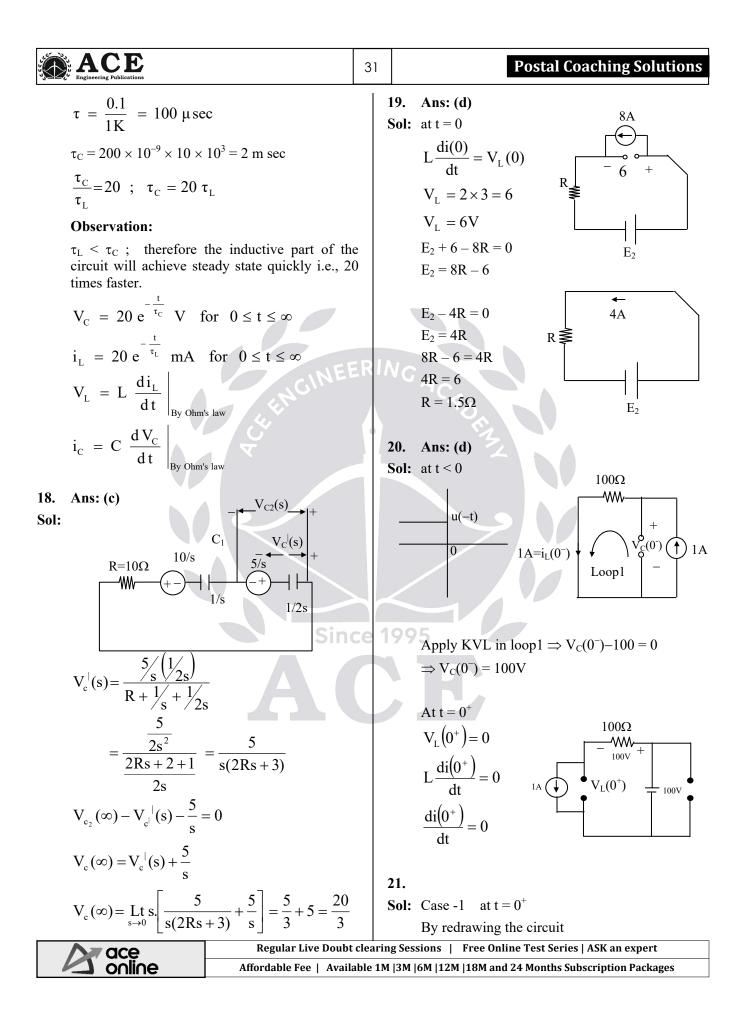
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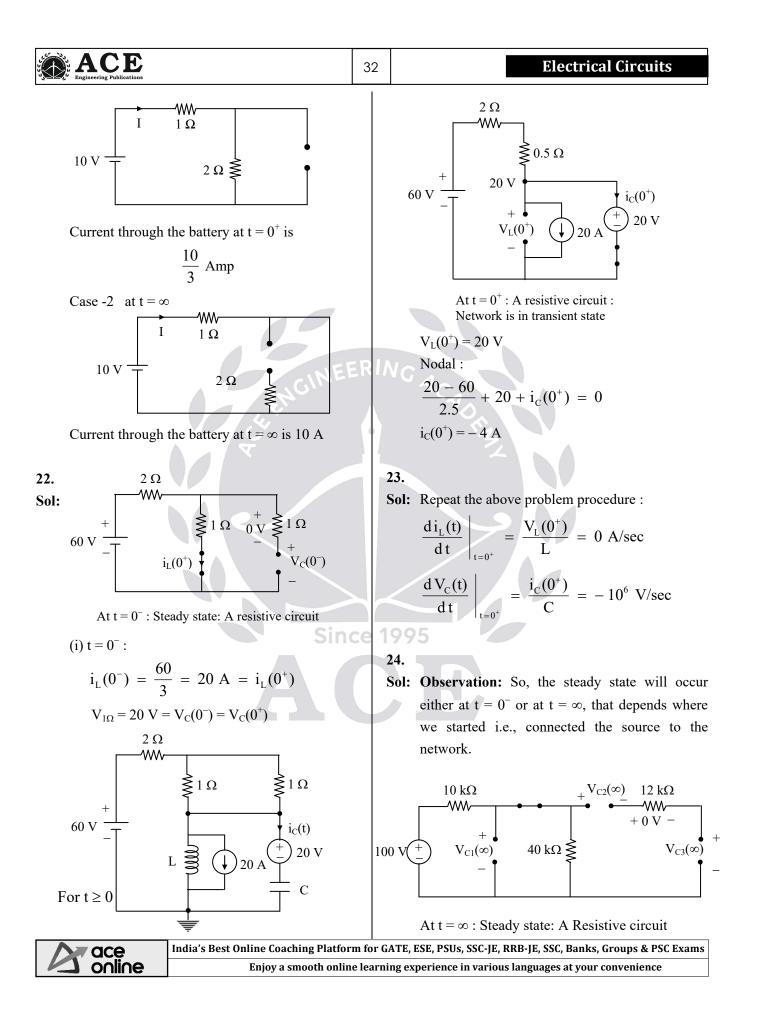


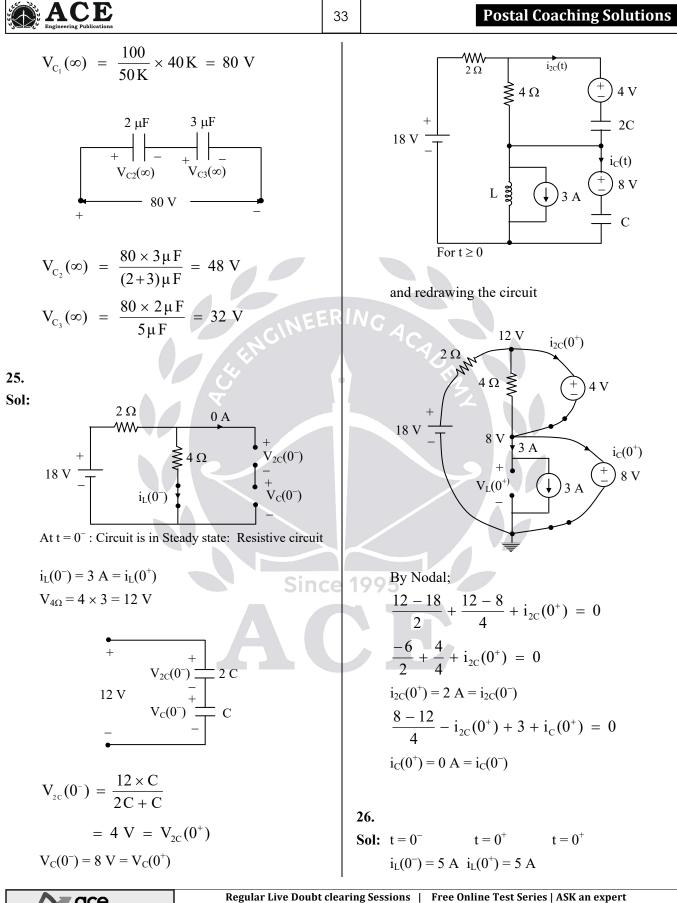


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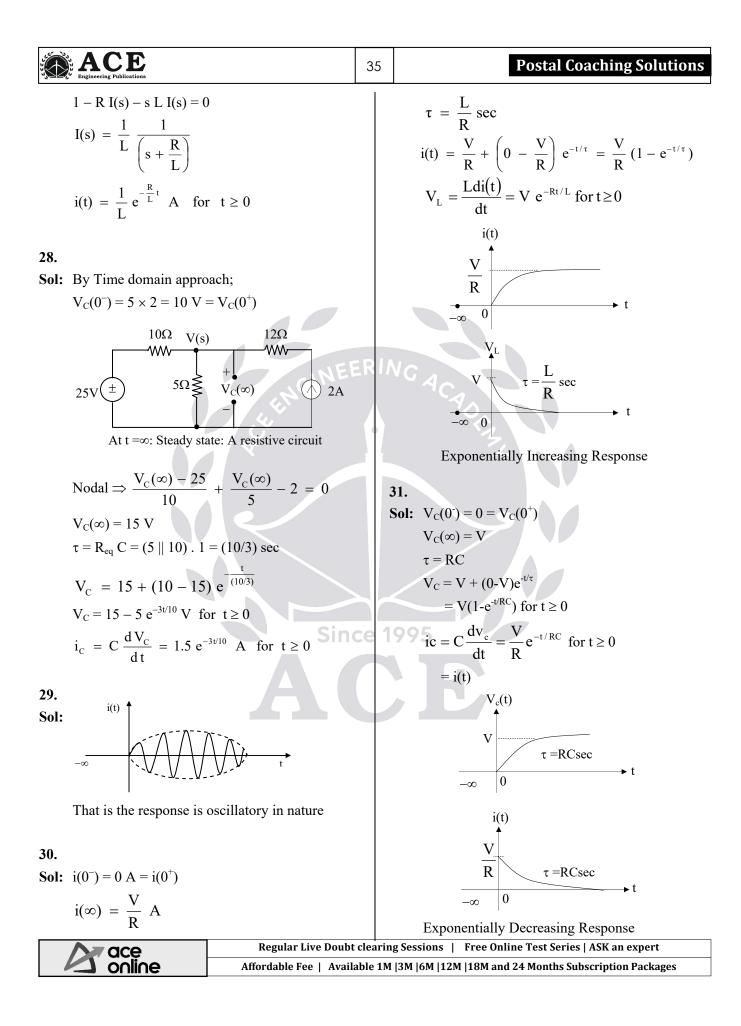






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$\frac{di_{L}(0^{+})}{dt} = \frac{V_{L}(0^{+})}{L} = 40$ $i_{R}(0^{-}) = -5 A \qquad i_{R}(0^{+}) = -1A$ $\frac{di_{R}(0^{+})}{dt} = -40 \text{ A/sec}$ $i_{C}(0^{-}) = 0 A \qquad i_{C}(0^{+}) = 4A$ $\frac{di_{C}(0^{+})}{dt} = -40 \text{ A/sec}$ $V_{L}(0^{-}) = 0 V$ $V_{L}(0^{+}) = 120 V$ $\frac{dV_{L}(0^{+})}{dt} = 1098 \text{ V/sec}$ $V_{R}(0^{-}) = -150 V$ $V_{R}(0^{+}) = -30 V$ $\frac{dV_{R}(0^{+})}{dt} = -1200 \text{ V/sec}$ $V_{C}(0^{-}) = 150 V$ $V_{L}(0^{+}) = 150 V$ $V_{L}(0^{+}) = 108 \text{ V/sec}$ $(i). t = 0^{-}$		$V_{R}(0^{+}) = R i_{R}(0^{+})$ $V_{R}(0^{+}) = -30 V$ By KVL $\Rightarrow V_{L}(t) - V_{R}(t) - V_{C}(t) = 0$ $V_{L}(0^{+}) = V_{R}(0^{+}) + V_{C}(0^{+})$ $= 150 - 30 = 120 V$ By KCL at 2 nd node; $-5 + i_{C}(t) - i_{R}(t) = 0$ $i_{C}(0^{+}) = 4 A$ (iii). t = 0 ⁺ By KCL at 1 st node \Rightarrow $-4 + i_{L}(t) + i_{R}(t) = 0$ di (t) d
By KCL at 1^{st} node \Rightarrow		$1 \begin{pmatrix} + & R & - & + \\ - & I(s) & - & - \end{pmatrix} $ sL Ω
$-4 + i_{L}(0^{+}) + i_{R}(0^{+}) = 0$ $i_{R}(0^{+}) = -i_{L}(0^{+}) + 4$ $i_{L}(0^{+}) = -5 + 4 = -1.4$		S - domain $V(s) = Z(s) I(s)$
$i_R(0^+) = -5 + 4 = -1 \text{ A}$ $V_R(t) = R i_R(t) _{By \text{ Ohm's law}}$		By KVL in S-domain \Rightarrow
		ATE, ESE, PSUs, SSC-JE, RRB-JE, SSC, Banks, Groups & PSC Exams ng experience in various languages at your convenience



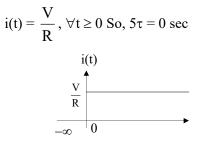
ACE Engineering Publications

36

Electrical Circuits

32.

Sol: It's an RL circuit with $L = 0 \Rightarrow \tau = 0$ sec



i.e., the response is constant

33.

Sol:
$$i_1 = \frac{100u(t) - V_L}{10}$$

 $i_1 = \left(10u(t) - \frac{1}{100} \frac{di_L}{dt}\right)$

 $Nodal \Rightarrow$

$$-i_{1} + i_{L} + \frac{V_{L} - 20i_{1}}{20} = 0$$
$$-2i_{1} + i_{L} + \frac{1}{200} \frac{di_{L}}{dt} = 0$$

Substitute i1;

$$\frac{di_{L}}{dt} + 40i_{L} = 800u(t)$$

$$SI_{L}(s) - i_{L}(0+) + 40I_{L}(s) = \frac{800}{s}$$

$$i_{L}(0^{-}) = 0A = i_{L}(0^{+})$$

$$I_{L}(s) = \frac{800}{s(s+40)} = \frac{20}{s} - \frac{20}{s+40}$$

$$I_{L}t) = 20u(t) - 20e^{-40t} u(t)$$

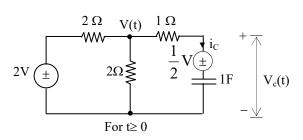
$$I_{L}(t) = 20(1-e^{-40t}) u(t)$$

$$i_{l} = 10u(t) - \frac{1}{100} d\frac{i_{L}}{dt}$$

$$i_{l} = (10-8e^{-40t}) u(t)$$



Sol: By Laplace transform approach:



Transform the above network into the Laplace domain

For t \ge 0
Nodal
$$\Rightarrow$$

 $\frac{V(s) - \frac{2}{s}}{2} + \frac{V(s)}{2} + \frac{V(s) - \frac{1}{2s}}{1 + \frac{1}{s}} = 0$
Since $I_c(s) = \left(\frac{V(s) - \frac{1}{2s}}{1 + \frac{1}{s}}\right)$
 $\Rightarrow i_c(t) = \frac{1}{4}e^{-\frac{t}{2}} \text{ A for } t \ge 0$

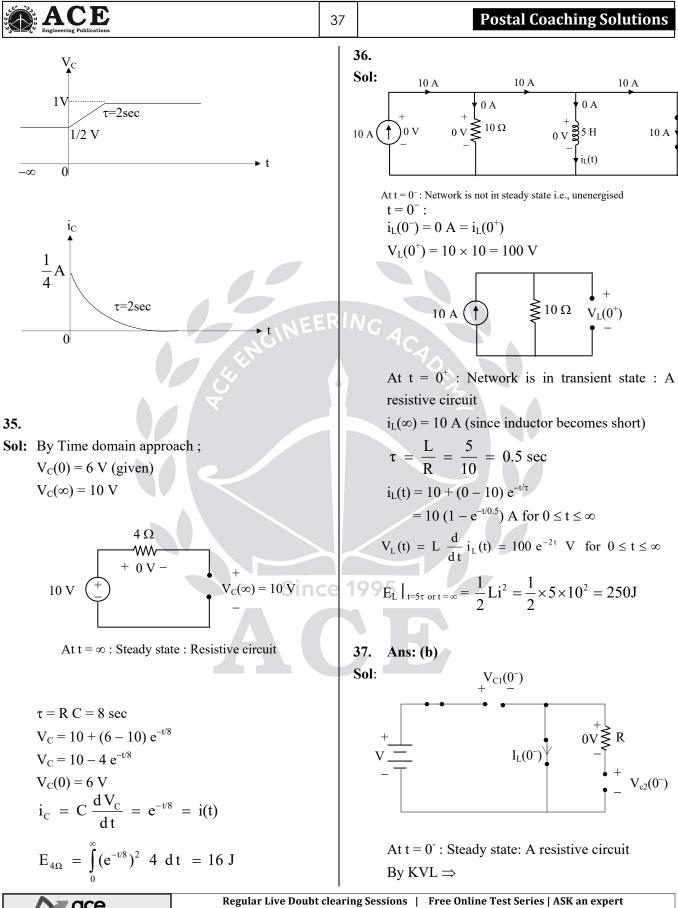
By KVL
$$\Rightarrow$$

 $V_{c}(s) - \frac{1}{2s} - \frac{1}{s} I_{c}(s) = 0$
 $V_{c}(s) = \frac{1}{2s} + \frac{1}{s} I_{c}(s)$

$$v_{c}(t) = 1 - \frac{1}{2} e^{-\frac{t}{2}} V \text{ for } t \ge 0$$

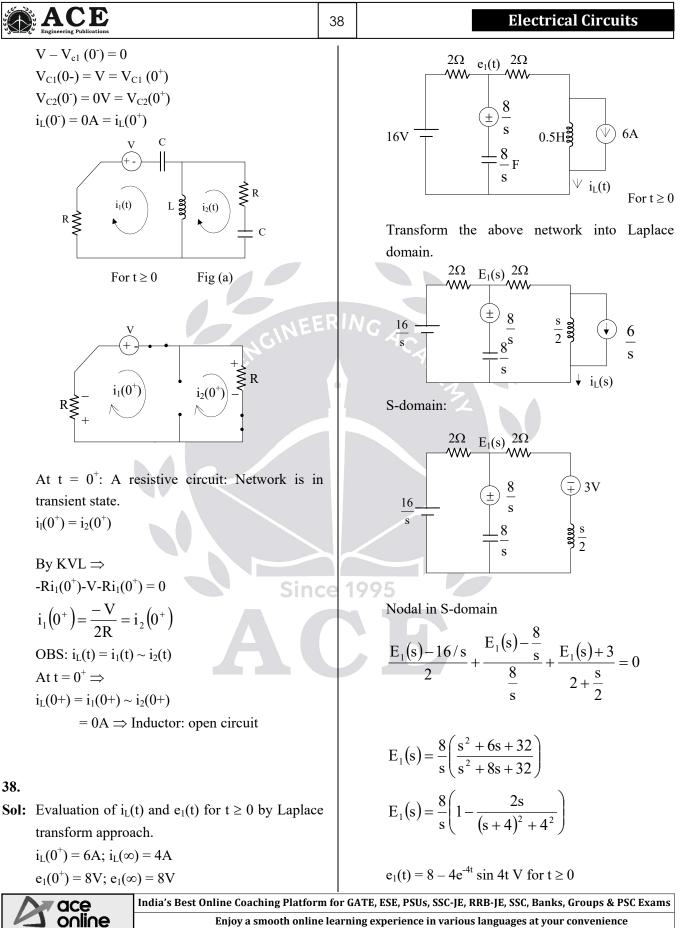
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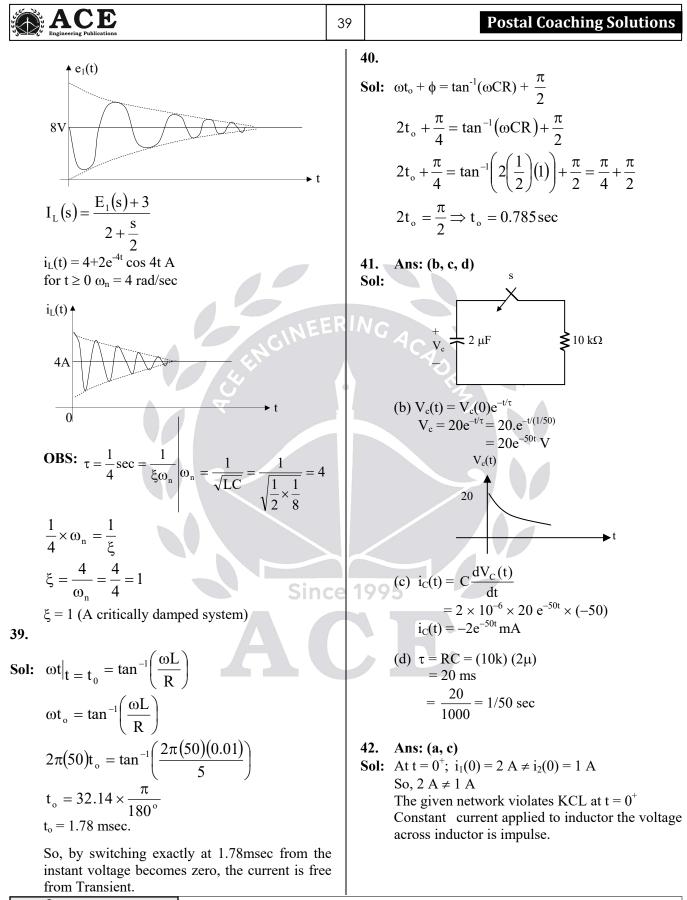


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Chapter A AC Circuit Analysis

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value of half cycle.

$$I_{2} = \frac{I(1 - jI)}{1 - jI + 1 + j2}$$

= 3.922\angle - 81.31° A
$$E_{2} = (1 - jI)I_{1} = 8.7705 \angle - 17.875° V$$
$$E_{0} = 0.5I_{2} = 1.961 \angle - 81.31° V$$

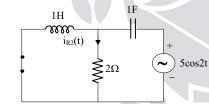
07.

Sol: Since two different frequencies are operating on the network simultaneously always the super position theorem is used to evaluate the response.

Network is in steady state, therefore the network

is resistive. $I_{R1}(t) = \frac{10}{2} = 5A$

(ii)



Network is in steady state

As impedances of L and C are present because of $\omega = 2$. They are physically present.

$$Z_{L} = j\omega L; Z_{c} = \frac{1}{j\omega C} \Big|_{\omega=2}$$

$$j2\Omega \quad V$$

$$i_{R2}(t) \quad \downarrow$$

$$Z_{L} = j\omega L; Z_{c} = \frac{1}{j\omega C} \Big|_{\omega=2}$$

Network is in phasor domain

Nodal \Rightarrow

$$\frac{V}{j2} + \frac{V}{2} + \frac{V - 5 \angle 0^0}{-j0.5} = 0$$

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$$\begin{split} V &= 6.32 \angle 18.44^0 \\ I_{R2} &= \frac{V}{2} = 3.16 \angle 18.44^0 = 3.16 \, e^{j18.14^0} \\ i_{R2}(t) &= R.P[I_{R2}e^{j2t}]A \\ &= 3.16 \cos \left(2t + 18.44^0\right) \\ By \text{ super position theorem,} \\ i_R(t) &= i_{R1}(t) + i_{R2}(t) \\ &= 5 + 3.16 \cos \left(2t + 18.44^0\right)A \end{split}$$

08. Ans: (c)
Sol:
$$\frac{1}{s^2 + 1} - I(s)(2 + 2s + \frac{1}{s}) = 0$$

 $I(s)(\frac{2s + 2s^2 + 1}{s}) = \frac{1}{s^2 + 1}$
 $I(s) + 2s^2I(s) + 2sI(s) = \frac{s}{s^2 + 1}$
 $i(t) + \frac{2d^2i}{dt^2} + 2\frac{di}{dt} = \cos t$
 $2\frac{d^2i}{dt^2} + 2\frac{di}{dt} + i(t) = \cos t$

09.

Since

Sol:
$$V = \sqrt{V_R^2 + (V_L - V_C)^2}$$

 $V = V_R = I.R$
 $100 = I.20; I = 5A$
Power factor $= \cos\phi = \frac{V_R}{V} = \frac{V_R}{V_R} = 1$

So, unity power factor.

10.

Sol: By KCL in phasor - domain

$$\Rightarrow -I_1 - I_2 - I_3 = 0$$

$$I_3 = -(I_1 + I_2)$$

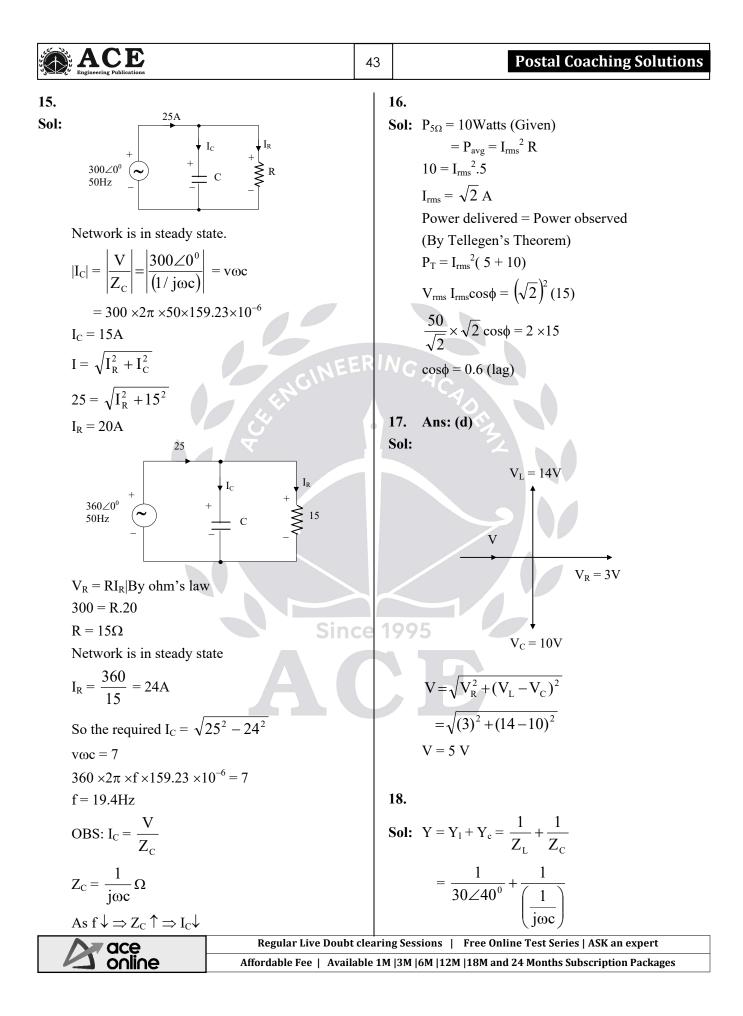
$$i_1(t) = \cos(\omega t + 90^0)$$

$$I_1 = 1 \angle 90^0 = j1$$

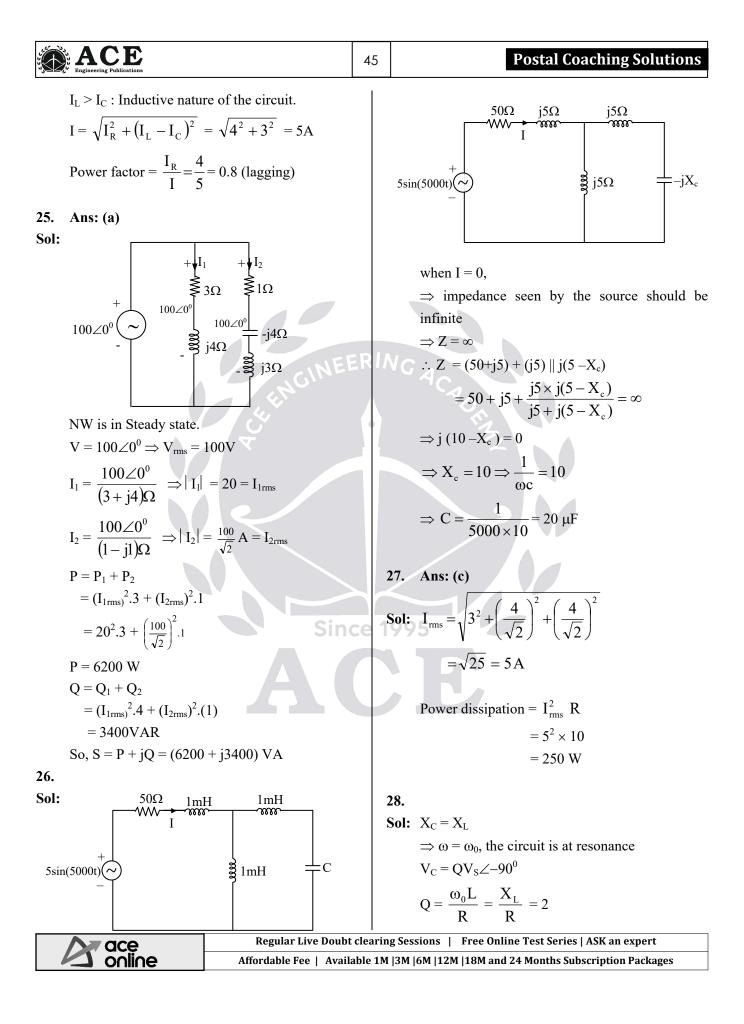
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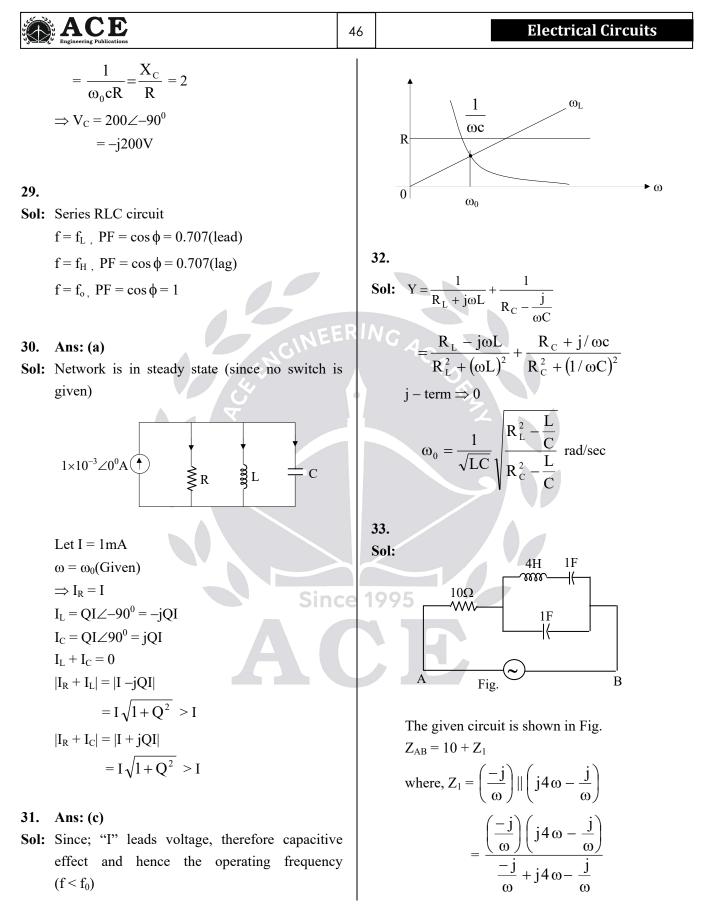
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Engineering Publications	42 Electrical Circuits
$I_2 = 1 \angle 0^0 = (1 + j0)$	Therefore, the phasor I_1 leads I_2 by an angle
$I_3 = \sqrt{2} \ \angle \pi + 45^0 = \sqrt{2} \ e^{i(\pi + 45)}$	of 135°.
$i_3(t) = \text{Real part}[I_3.e^{j\omega t}]\text{mA}$	
$= -\sqrt{2}\cos(\omega t + 45^0 + \pi)mA$	14. $\sqrt{2}$
$i_3(t) = -\sqrt{2}\cos(\omega t + 45^0)mA$	Sol: $I_2 = \sqrt{I_R^2 + I_C^2} \implies 10 = \sqrt{I_R^2 + 8^2}$
	$I_R = 6A$
11.	$I_1 = I = \sqrt{I_R^2 + (I_L - I_C)^2}$
Sol: $I = \frac{V}{R} + \frac{V}{Z_L} + \frac{V}{Z_C} = 8 - j12 + j18$	$10 = \sqrt{6^2 + (I_{\rm L} - I_{\rm C})^2}$
I = 8 + 6j	$I_L - I_C = \pm 8A$
$ \mathbf{I} = \sqrt{100} = 10\mathbf{A}$	$I_L - 8 = \pm 8$
	$I_{L} - 8 = -8$ (Not acceptable)
12. Solv $Pir KCL \rightarrow$	Since $I_L = \frac{V}{Z_L} \neq 0$.
Sol: By KCL \Rightarrow -I + I _L + I _C = 0	$I_L - 8 = 8$
$I = I_L + I_C$	$I_{L} = 16A$
$V V 3 \angle 0^{\circ}$	$I_L > I_C$
$I_{L} = \frac{V}{Z_{L}} = \frac{V}{j\omega L} = \frac{3\angle 0^{\circ}}{j(3).\left(\frac{1}{3}\right)}$	$I_{\rm C} = 8A$
$I_{L} = \frac{3 \angle 0^{0}}{i} = \frac{3 \angle 0^{0}}{\angle 90^{0}} = 3 \angle -90^{0}$	$I_2 = 10A \qquad \qquad$
J = 290 I = 3∠-90 ⁰ + 4∠90 ⁰ = -i3 + i4 = i1 = 1∠90 ⁰	ϕ ϕ 90° $120 \angle 0^{\circ}$
1-32-90+4290=-13+14-11-1290	$I_{\rm I} = 10A$
13. Ans: (d)	$(l_L - l_C) = 8A$
Sol: I	
	$I_L = 16A$
90 135 $\omega=2 \text{ rad/sec}$	I ₂ leads $120 \angle 0^0$ by $\tan^{-1}\left(\frac{8}{6}\right)$
45 V	
	$I_1 \text{ lags } 120 \angle 0^0 \text{ by } \tan^{-1} \left(\frac{8}{6} \right)$
$I_1 = I_C = \frac{V}{Z_C} = \frac{V}{X_C} \angle 90^0$	Power factor $\cos\phi = \frac{I_R}{I} = \frac{I_R}{I}$
$I_2 = \frac{V}{2 + j\omega L} = \frac{V}{2 + j2} = \frac{V}{2\sqrt{2}} \angle 45^\circ$	$=\frac{6}{10}=0.6$ (lag)
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ACE Engineering Publications	4 Electrical Circuits
$= j\omega c + \frac{1}{30} \angle -40^{0}$ $= j\omega c + \frac{1}{30} (\cos 40^{0} - j\sin 40^{0})$	 21. Sol: V = 4∠10° and I = 2 ∠-20° Note: When directly phasors are given the magnitudes are taken as rms values since they are measured
Unit power factor \Rightarrow j-term = 0 $\omega c = \frac{\sin 40^{\circ}}{30}$	using rms meters. $V_{rms} = 4V$ and $I_{rms} = 2A$
$C = \frac{\sin 40^{\circ}}{2\pi \times 50 \times 30} = 68.1 \mu F$ $C = 68.1 \mu F$	$Z = \frac{V}{I} = 2 \angle 30^{\circ}; \phi = 30^{\circ} \text{ (Inductive)}$ $P = 10\sqrt{3} \text{ W}, Q = 10\text{VAR}$ $S = 10(\sqrt{3} + j1) \text{ VA}$
 19. Ans: (b) Sol: To increase power factor shunt capacitor is to be placed. VAR supplied by capacitor = P (tanφ₁-tanφ₂) = 2×10³[tan(cos⁻¹ 0.65) - tan(cos⁻¹0.95)] = 1680 VAR 	22. Ans: (a) Sol: $S = VI^*$ = $(10 \angle 15^\circ) (2 \angle 45^\circ)$ = $10 + j17.32$ S = P + jQ P = 10 W Q = 17.32 VAR
VAR supplied = $\frac{V^2}{X_c}$ = V ² ωC = 1680 ∴ C = $\frac{1680}{(115)^2 \times 2\pi \times 60}$ = 337 µF	23. Ans: (c) Sol: $P_R = (I_{rms})^2 \times R$ $I_{rms} = \frac{10}{\sqrt{2}}$
20. Sol: $Z = \frac{V}{I} = \frac{160 \angle 10^{\circ} - 90^{\circ}}{5 \angle -20^{\circ} - 90^{\circ}} = 32 \angle 30^{\circ}$ Since $\phi = 30^{\circ}$ (Inductive) $V_{\rm rms} = \frac{160}{\sqrt{2}}$ Vj, $I_{\rm rms} = \frac{5}{\sqrt{2}}$	$P_{R} = \left(\frac{10}{\sqrt{2}}\right)^{2} \times 100$ 24. Sol: $P_{avg} = \frac{V_{rms}^{2}}{R} = \frac{\left(\frac{240}{\sqrt{2}}\right)^{2}}{60} = 480$ Watts
Real power (P) = $\frac{160}{\sqrt{2}} \times \frac{5}{\sqrt{2}} \times \cos 30^{\circ}$ = $200\sqrt{3}$ W	$V = 240 \angle 0^{0}$ $I_{R} = \frac{V}{R} = \frac{240}{60} = 4A$
	$I_{L} = \frac{V}{Z_{L}} = \frac{V}{X_{L}} = \frac{240}{40} = 6A$ $I_{C} = \frac{V}{Z_{C}} = \frac{V}{X_{C}} = \frac{240}{80} = 3A$ or GATE, ESE, PSUs, SSC-JE, RRB-JE, SSC, Banks, Groups & PSC Exams arning experience in various languages at your convenience







ACE Engineering Publications	47	Postal Coaching Solutions
$= \frac{4 - \frac{1}{\omega^2}}{j4\omega - \frac{j2}{\omega}}$ For circuit to be resonant i.e., $\omega^2 = \frac{1}{4}$ $\omega = \frac{1}{2} = 0.5$ rad/sec $\therefore \omega_{\text{resonance}} = 0.5$ rad/sec 34.		(ii) $\frac{L}{C} \neq R^2$ circuit will resonate at only one frequency. i.e., at $\omega_0 = \frac{1}{\sqrt{LC}} = \frac{1}{4}$ rad/sec Then $Y = \frac{2R}{R^2 + \frac{L}{C}}$ mho $Y = \frac{2(2)}{2^2 + \frac{4}{4}} = \frac{4}{5}$ mho
Sol: (i) $\frac{L}{C} = R^2 \implies circuit$ will resonate for all the frequencies, out of infinite number of frequencies we are selecting one frequency. i.e., $\omega_0 = \frac{1}{\sqrt{LC}} = \frac{1}{2}$ rad/sec then $Z = R = 2\Omega$. $I = \frac{V}{Z} = \frac{10 \angle 0^0}{2} = 5 \angle 0^0$ $i(t) = 5 cos \frac{t}{2} A$ $Z_L = j\omega_0 L = j2\Omega$; $Z_C = \frac{1}{j\omega_0 c} = -j2\Omega$.		$2^{2} + \frac{1}{4} = 5$ $Z = \frac{5}{4}\Omega$ $I = \frac{V}{Z} = \frac{10 \angle 0^{0}}{5/4} = 8 \angle 0^{0}$ $i(t) = 8\cos\frac{t}{4}A$ $Z_{L} = j\omega_{0}L = j1\Omega$ $Z_{c} = \frac{1}{j\omega_{0}C} = -j1\Omega$ $I_{L} = \frac{I(2-j1)}{2+i1+2-i1} = \frac{\sqrt{5}}{4}I.\angle \tan^{-1}\left(\frac{1}{2}\right)$
$I_{L} = \frac{I(2 - j2)}{2 + j2 + 2 - j2} = \frac{I}{\sqrt{2}} \angle -45^{\circ} \text{ Since}$ $i_{L} = \frac{5}{\sqrt{2}} \cos\left(\frac{t}{2} - 45^{\circ}\right) A$ $i_{c} = \frac{I(2 + j2)}{2 + j2 + 2 - j2} = \frac{I}{\sqrt{2}} \angle 45^{\circ}$ $i_{c} = \frac{5}{\sqrt{2}} \cos\left(\frac{t}{2} + 45^{\circ}\right) A$	ce 1	$i_{L} = \frac{8\sqrt{5}}{4} \cos\left(\frac{t}{4} - \tan^{-1}\left(\frac{1}{2}\right)\right)$ $I_{c} = \frac{I(2+j1)}{2+j1+2-j1} = \frac{\sqrt{5}}{4} I \angle \tan^{-1}\left(\frac{1}{2}\right)$ $i_{c} = \frac{8\sqrt{5}}{4} \cos\left(\frac{t}{4} + \tan^{-1}\left(\frac{1}{2}\right)\right)$
$P_{\text{avg}} = I_{\text{L(rms)}}^{2} \cdot \mathbf{R} + I_{\text{c(rms)}}^{2} \cdot \mathbf{R}$ $= \left(\frac{5/\sqrt{2}}{\sqrt{2}}\right)^{2} \cdot 2 + \left(\frac{5/\sqrt{2}}{\sqrt{2}}\right)^{2} \cdot 2$ $= 25 \text{ watts}$		$P_{\text{avg}} = I_{\text{Lrms}}^2 \cdot \mathbf{R} + I_{\text{Crms}}^2 \mathbf{R}$ $= \left(\frac{2\sqrt{5}}{\sqrt{2}}\right)^2 \cdot 2 + \left(\frac{2\sqrt{5}}{\sqrt{2}}\right)^2 \cdot 2$ $= 40 \text{ watts}$
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ACE 48 35. 36. Ans: (d) **Sol:** (i) $Z_{ab} = 2 + (Z_{I} \parallel Z_{C} \parallel 2)$ Sol: $= 2 + jX_L || - jX_C || 2$ $=\frac{2+2X_{L}X_{C}(X_{L}X_{C}-j2(X_{L}-X_{C}))}{(X_{L}X_{C})^{2}+4(X_{L}-X_{C})^{2}}$ j-term = 0 $\Rightarrow -2(X_L - X_C) = 0$ $X_I = X_C$ $\omega_0 L = \frac{1}{\omega_0 C}$ $\omega_0 = \frac{1}{\sqrt{LC}} = \frac{1}{\sqrt{44}} = \frac{1}{4} \text{ rad / sec}$ At resonance entire current flows through 2Ω only. (ii) $Z_{ab}|_{\omega=\omega_0} = 2 + 2 = 4\Omega$ $X_I = X_C$ $P \approx \frac{V^2}{R^2 \Omega^2}$ (iii) $V_i(t) = V_m \sin\left(\frac{t}{\lambda}\right) V$ $Z = 4\Omega$ $i(t) = \frac{V_i(t)}{Z} = \frac{V_m}{4} \sin\left(\frac{t}{4}\right) = \dot{i}_R$ 37. Sol Since $V = 2i_R = \frac{V_m}{2} \sin\left(\frac{t}{4}\right) V = V_C = V_L$ $i_{\rm C} = C \frac{dV_{\rm C}}{dt} = \frac{V_{\rm m}}{2} \cos\left(\frac{t}{4}\right)$

OBS: Here $i_L + i_C = 0$ \Rightarrow LC Combination is like an open circuit. India's Best Online Coaching Platfor

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 $i_{\rm L} = \frac{V_{\rm m}}{2} \sin\left(\frac{t}{4} - 90^{\circ}\right) A$

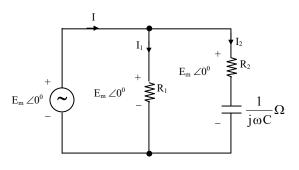
 $i_c = \frac{V_m}{2} \sin\left(\frac{t}{4} + 90^0\right) A$

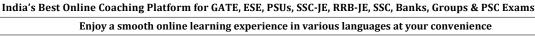
 $i_{\rm L} = \frac{1}{L} \int V_{\rm L} dt = \frac{-V_{\rm m}}{2} \cos\left(\frac{t}{4}\right)$

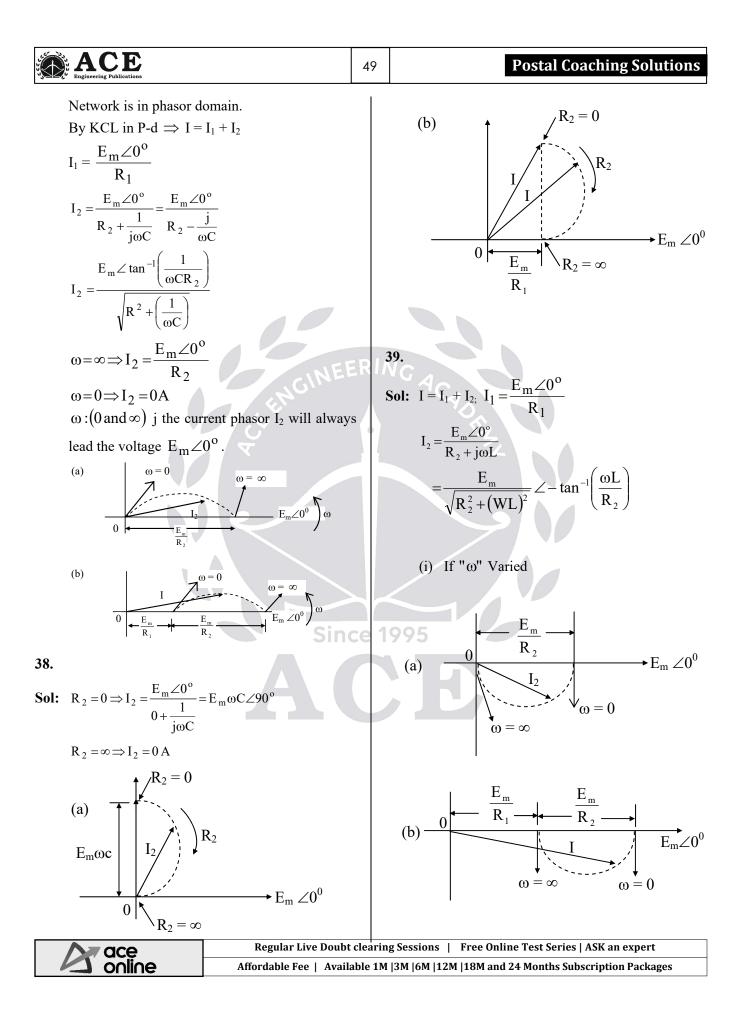
As Q is doubled, P decreases by four times.

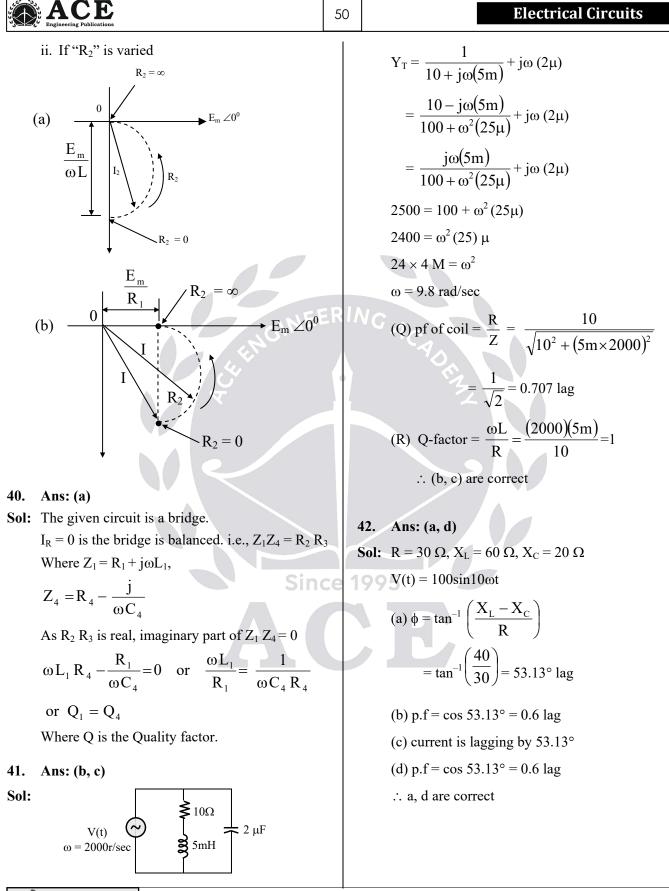
:
$$Z_{C} = \frac{1}{j\omega C}$$

 $\omega = 0; Z_{C} = \infty \Rightarrow C$: open circuit $\Rightarrow i_{2} = 0$
 $\omega = \infty; Z_{C} = 0 \Rightarrow C$: Short Circuit $\Rightarrow i_{2} = \frac{E_{m}}{R_{2}} \angle 0^{\circ}$
Transform the given network into phasor
domain.











Magnetic Circuits

01.

Chapter

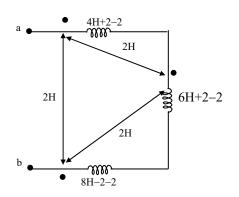
Sol: $X_C = 12$ (Given) $X_{eq} = 12$ (must for series resonance) So the dot in the second coil at point "Q" $L_{eq} = L_1 + L_2 - 2M$ $L_{eq} = L_1 + L_2 - 2K\sqrt{L_1L_2}$ $\omega L_{eq} = \omega L_1 + \omega L_2 - 2K\sqrt{L_1L_2\omega.\omega}$ $12 = 8 + 8 - 2K\sqrt{8.8}$ $\Rightarrow K = 0.25$

02.

Sol: $X_C = 14$ (Given) $X_{Leq} = 14$ (must for series resonance) So the dot in the 2nd coil at "P" $L_{eq} = L_1 + L_2 + 2M$ $L_{eq} = L_1 + L_2 + K\sqrt{L_1L_2}$ $\omega L_{eq} = \omega L_1 + \omega L_2 + 2K\sqrt{\omega L_1L_2\omega}$ $14 = 2 + 8 + 2K\sqrt{2(8)}$ $\Rightarrow K = 0.5$

03.

Sol: $L_{ab} = 4H + 2 - 2 + 6H + 2 - 2 + 8H - 2 - 2$ $L_{ab} = 14H$



Sol: Impedance seen by the source

$$Z_{s} = \frac{Z_{L}}{16} + (4 - j2)$$
$$= \frac{10\angle 30^{\circ}}{16} + (4 - j2)$$
$$= 4.54 - j1.69$$

$$45\Omega$$

$$W$$

$$The second state is a constraint of the second state is constraint of the second state is$$

For maximum power transfer; $R_L = R_s$ $n^2 5 = 45 \implies n = 3$

06. Ans: (b)

Since

Sol:
$$6V \xrightarrow{30mH} 5mH$$
 $30mH$ V_2

Apply KVL at input loop

$$-6-30\times10^3 \frac{di_1}{dt} + 5\times10^3 \frac{di_2}{dt} - 50i_1 = 0...(1)$$

Take Laplace transform

$$\frac{6}{s} + [-30 \times 10^{-3} (s) - 50] I_1(s) + 5 \times 10^{-3} s I_2(s) = 0...(2)$$

Apply KVL at output loop

$$V_2(s) - 30 \times 10^{-3} \frac{di_2}{dt} + 5 \times 10^{-3} \frac{di_1}{dt} = 0$$

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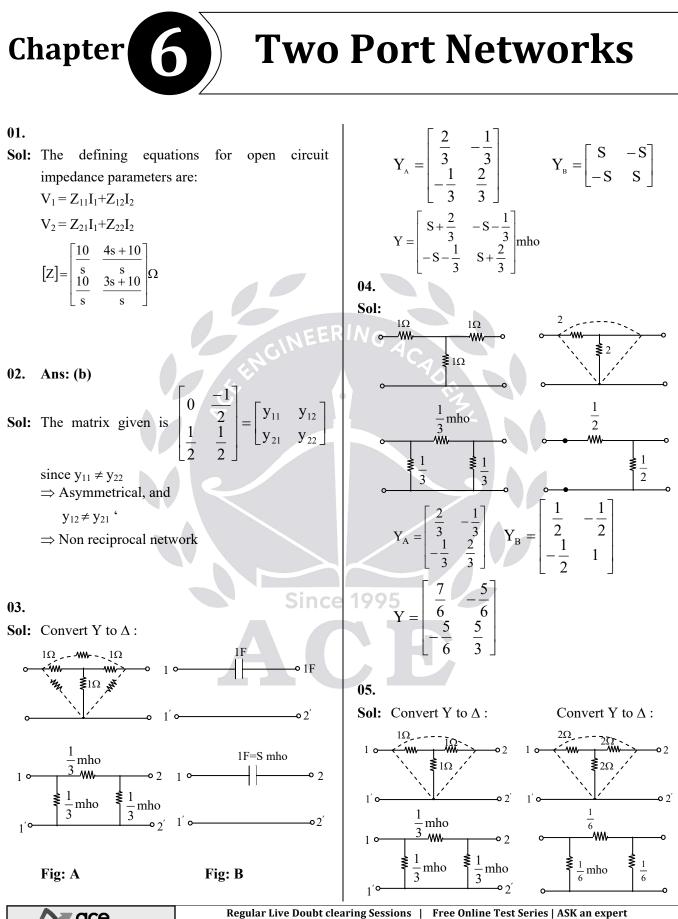
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ACE **Postal Coaching Solutions** 52 $I_1 = \frac{10\angle 20}{5} = 2\angle 20^{\circ}$ Take Laplace transform $V_2(s) - 30 \times 10^{-3} s I_2(s) + 5 \times 10^{-3} s I_1(s) = 0$ Substitute $I_2(s) = 0$ in above equation $\frac{I_1}{I_2} = n = 2 \implies I_2 = 1 \angle 20^{\circ} A$ $V_2 + 5 \times 10^{-3} \text{ sI}_1(\text{s}) = 0 \dots (3)$ From equation (2) 08. $-\frac{6}{10} + (-30 \times 10^{-3} (s) + 50) I_1(s) = 0$ Sol: By the definition of KVL in phasor domain $V_{s} - V_{0} - V_{2} = 0$ $I_{1}(s) = \frac{-6}{s (30 \times 10^{-3} (s) + 50)} \quad \dots \dots \dots (4)$ $V_0 = V_s - V_2 = V_s \left(1 - \frac{V_2}{V_s} \right)$ Substitute eqn (4) in eqn (3)V=ZI $V_{2}(s) = \frac{-5 \times 10^{-3} (s) (-6)}{s (30 \times 10^{-3} (s) + 50)}$ By KVL Apply Initial value theorem $V_{\rm S} = j\omega L_1 I_1 + j\omega M (0)$ Lt s $\frac{-5 \times 10^{-3} (s)(-6)}{s (30 \times 10^{-3} (s) + 50)}$ $V_2 = j\omega L_2(0) + j\omega MI_1$ $V_0 = V_s \left(1 - \frac{M}{L_s}\right)$ $v_2(t) = \frac{-5 \times 10^{-3} \times (-6)}{30 \times 10^{-3}} = +1$ 07. **Sol:** $R_{in}' = \frac{8}{2^2} = 2\Omega$ $R_{in} = 3 + R_{in}' = 3 + 2 = 5\Omega$





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Sol:
$$T_1 = T_2 = \begin{bmatrix} 1 + \frac{1}{3} & \frac{2}{3} \\ -\frac{1}{3} & \frac{2}{3} \end{bmatrix}$$
The set of the vertex is shown in
Fig.1 $T_1 = T_2 = \begin{bmatrix} 1 + \frac{1}{-\frac{1}{2}} & 1 \\ -\frac{1}{2} & 1 \end{bmatrix}$ The set of the vertex is shown in
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Fig.2 $T_1 = T_2 = \begin{bmatrix} 1 + \frac{1}{-\frac{1}{2}} & 1 \\ -\frac{1}{2} & 1 \end{bmatrix}$ The vertex is shown in
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Fig.2 $T_2 = \begin{bmatrix} 1 & 0 \\ \frac{1}{2} & 1 \\ 1 \end{bmatrix}$ The vertex is shown in
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Fig.2 $T_1 = \begin{bmatrix} 2 & 3 \\ 2 & 2 \end{bmatrix}$ The vertex is shown in
Fig.2 $T_2 = \begin{bmatrix} 1 & 0 \\ \frac{1}{2} & 1 \\ 2 & 2 \end{bmatrix}$ The vertex is shown in
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Fig.2 $T_2 = \begin{bmatrix} 1 & 0 \\ \frac{1}{2} & 1 \\ 2 & 2 \end{bmatrix}$

55

09.

Sol: By Nodal

$$-I_{1} + V_{1} - 3V_{2} + V_{1} + 2V_{1} - V_{2} = 0$$
$$-I_{2} + V_{2} + V_{2} - 2V_{1} = 0$$
$$Y = \begin{bmatrix} 4 & -4 \\ -3 & 2 \end{bmatrix} \mathcal{O}$$
$$[Z] = Y^{-1}$$

We can also obtain [g], [h], [T] and $[T]^{-1}$ by rewriting the equations.

10.

Sol: The defining equations for open-circuit impedance parameters are:

 $V_1 = Z_{11}I_1 + Z_{12}I_2$

 $V_2 = Z_{21}I_1 \!+\! Z_{22}I_2$

In this case, the individual Z-parameter matrices get added.

$$(\mathbf{Z}) = (\mathbf{Z}_{a}) + (\mathbf{Z}_{b})$$

$$\begin{bmatrix} Z \end{bmatrix} = \begin{bmatrix} 10 & 2 \\ 2 & 7 \end{bmatrix} \Omega$$

11.

Sol: For this case the individual y-parameter matrices get added to give the y-parameter matrix of the overall network.

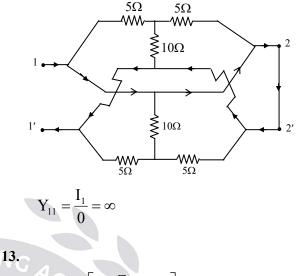
 $Y=Y_a+Y_b$

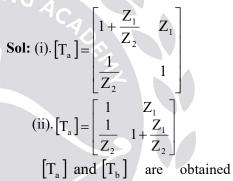
The individual y-parameters also get added

$$Y_{11} = Y_{11a} + Y_{11b} \text{ etc}$$
$$[Y] = \begin{bmatrix} 1.4 & -0.4 \\ -0.4 & 1.4 \end{bmatrix} \text{mhc}$$

12. Ans: (c)

Sol: $Y_{11} = \frac{I_1}{V_1}\Big|_{V_1}$





 $[T_a]$ and $[T_b]$ are obtained by defining equations for transmission parameters.

14.

Sol: In this case, the individual T-matrices get multiplied

$$(T) = (T_1) \times (T_{N1})$$

$$(T) = (T_1)(T_{N1}) = \begin{pmatrix} 1+s/4 & s/2 \\ 1/2 & 1 \end{pmatrix} \begin{pmatrix} 8 & 4 \\ 2 & 5 \end{pmatrix}$$

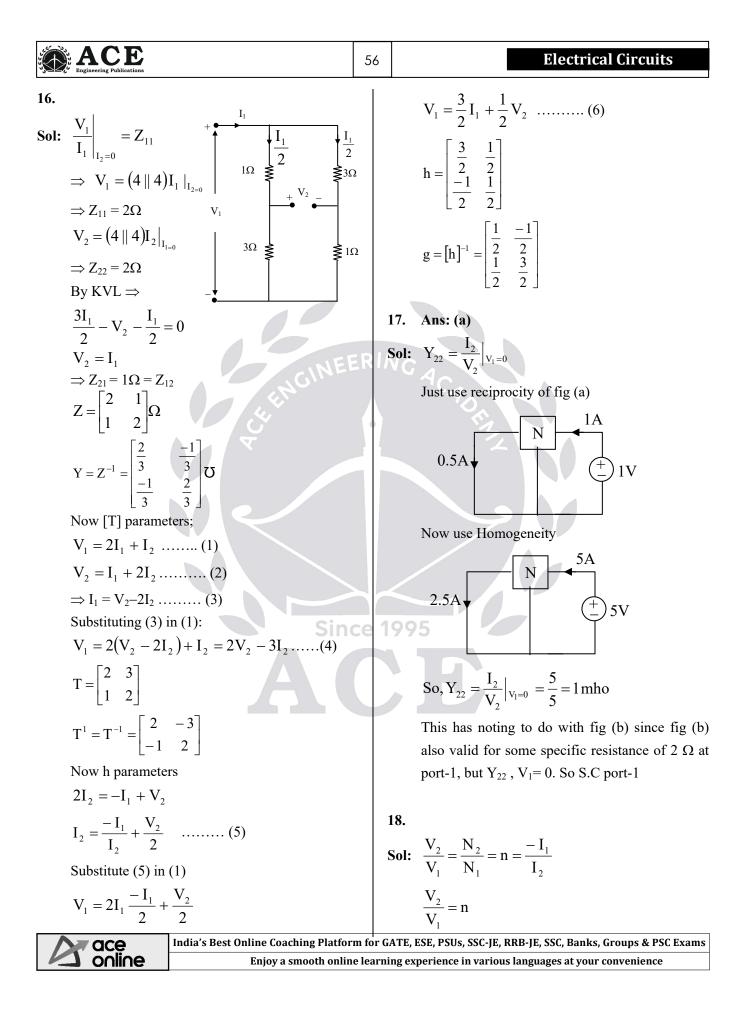
$$= \begin{pmatrix} 3s+8 & 3.5s+4 \\ 6 & 7 \end{pmatrix}$$

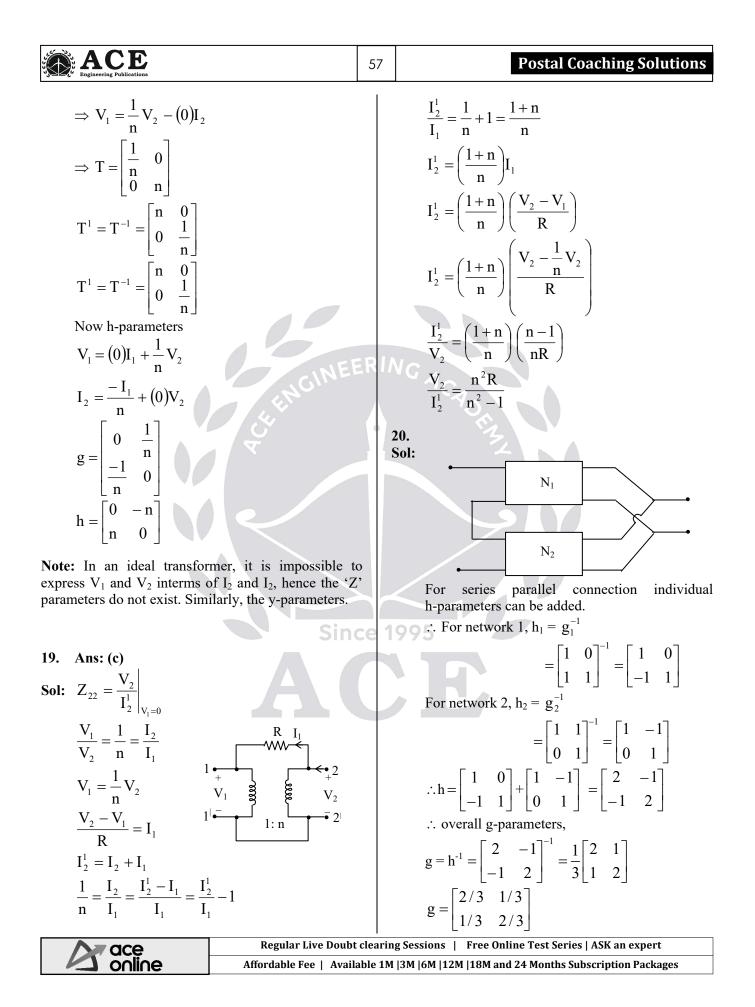
15.

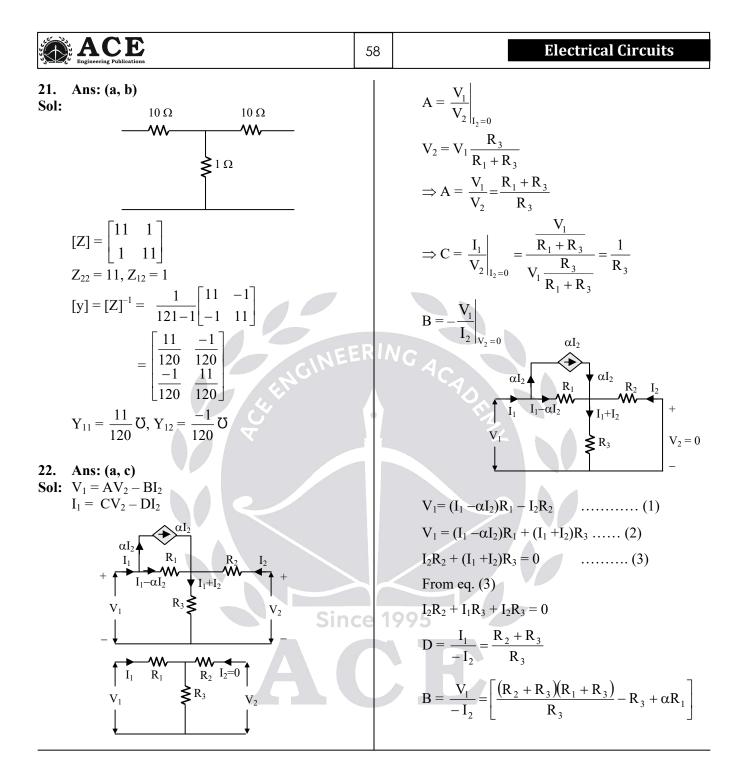
Sol:
$$Z_{in} = R_{in} = \frac{V_1}{I_1} = \frac{AV_2 - BI_2}{CV_2 - DI_2} = \frac{V_2 - 2I_2}{V_2 - 3I_2}$$
,
 $V_2 = 10(-I_2)$
 $Z_{in} = R_{in} = \frac{12}{13}\Omega$

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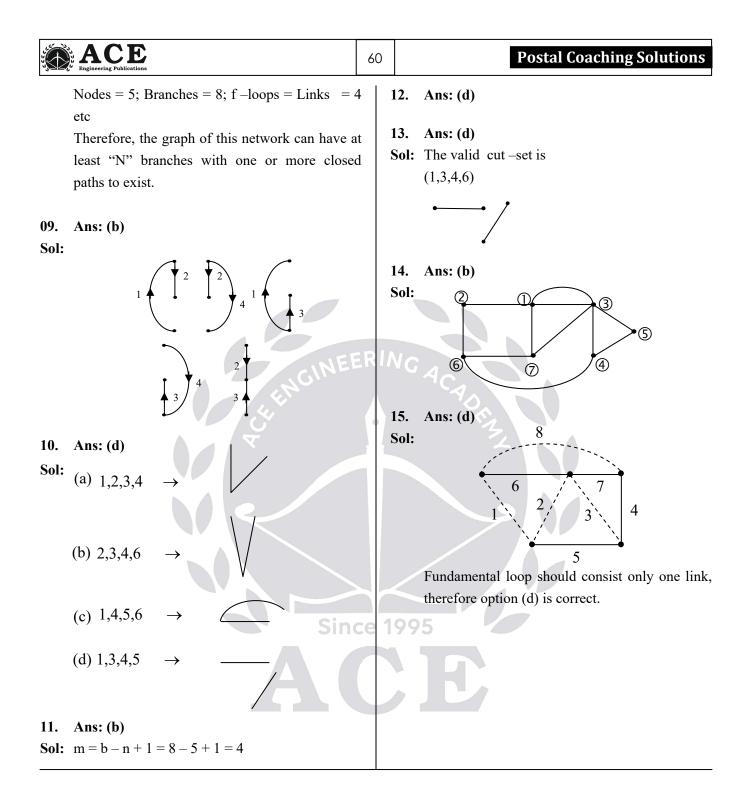






Graph Theory

01. Ans: (c) f-loops = (b-n+1) = 55**Sol:** $n > \frac{b}{2} + 1$ f-loop = f-cutset matrices = $n^{(n-2)}$ $= 12^{12-2} = 12^{10}$ Note: Mesh analysis simple when the nodes are more than the meshes. 08. Ans: (a) Sol: Let N=1 02. Ans: (c) Nodes=1, Branches = 0; f-loops = 0**Sol:** Loops = $b - (n-1) \Rightarrow loops = 5$ Let N=2 n = 7 $\therefore b = 11$ 03. Ans: (a) 04. Nodes = 2; Branches = 1; f-loop = 0 **Sol:** Nodal equations required = f-cut sets Let N=3 =(n-1)=(10-1)=9Mesh equations required = f-loops = b - n + 1 = 17 - 10 + 1 = 8So, the number of equations required Nodes = 3; Branches = 3; f-loop = 1= Minimum (Nodal, mesh) = Min(9,8) = 8 \Rightarrow Links = 1 Let N = 405. Ans: (c) Since Sol: Not a tree (Because trees are not in closed path) Nodes=4; Branches = 4; f-loops=Links=1 Still N = 4Ans: (a) **06**. 07. Branches = 6; f-loops = Links = 3 **Sol:** For a complete graph ; Let N = 5 $b = n_{C_2} \Rightarrow \frac{n(n-1)}{2} = 66$ n = 12 f-cut sets = (n-1) = 11Regular Live Doubt clearing Sessions | Free Online Test Series | ASK an expert ace online Affordable Fee | Available 1M |3M |6M |12M |18M and 24 Months Subscription Packages







Passive Filters

01. Sol:

 $\begin{array}{l} \omega = 0 \Longrightarrow V_0 = V_i \\ \omega = \infty \Longrightarrow V_0 = 0 \end{array} \end{array} \Rightarrow \text{Low pass filter}$

02.

Sol: $\omega = 0 \Rightarrow V_0 = \frac{V_i R_2}{R_1 + R_2}$ "V_0" is attenuated $\Rightarrow V_0 = 0$

$$\omega = \infty \Longrightarrow V_0 = V_i$$

It represents a high pass filter characteristics.

03.

Sol:
$$H(s) = \frac{V_i(s)}{I(s)} = \frac{s^2LC + sRC + 1}{sC}$$

Put $s = j\omega \implies H(j\omega) = -\frac{\omega^2LC + j\omega RC + 1}{j\omega C}$
 $\omega = 0 \Rightarrow H(s) = 0$
 $\omega = \infty \Rightarrow H(s) = 0$
It represents band pass filter characteristics.

04.

Sol: $\omega = 0 \Rightarrow V_0 = 0$

 $\omega = \infty \Longrightarrow V_0 = 0$

It represents Band pass filter characteristics.

05.

Sol: $\omega = 0 \Longrightarrow V_0 = 0$

 $\omega = \infty \Longrightarrow V_0 = V_i$

It represents High Pass filter characteristics.

06.

Sol: $H(s) = \frac{1}{s^2 + s + 1}$

ace online $\omega = 0 : s = 0 \implies H(s) = 1$ $\omega = \infty : s = \infty \implies H(s) = 0$ It represents a Low pass filter characteristics.

Sol: $H(s) = \frac{s^2}{s^2 + s + 1}$ $\omega = 0 : s = 0 \implies H(s) = 0$ $\omega = \infty : s = \infty \implies H(s) = 1$

It represents a High pass filter characteristics.

08.

Sol: $\omega = 0; V_0 = V_i$ $\omega = \infty; V_0 = 0$

It represents a low pass filter characteristics.

09.

Sol:
$$\omega = 0 \Rightarrow V_0 = V_{in}$$

 $\omega = \infty \Rightarrow V_0 = V_{in}$
It represents a Band stop filter or notch filter.

110.95

Sol:
$$H(s) = \frac{s}{s^2 + s + 1}$$

 $\omega = 0 : s = 0 \Rightarrow H(s) = 0$
 $\omega = \infty : s = \infty \Rightarrow H(s) = 0$

It represents a Band pass filter characteristics.

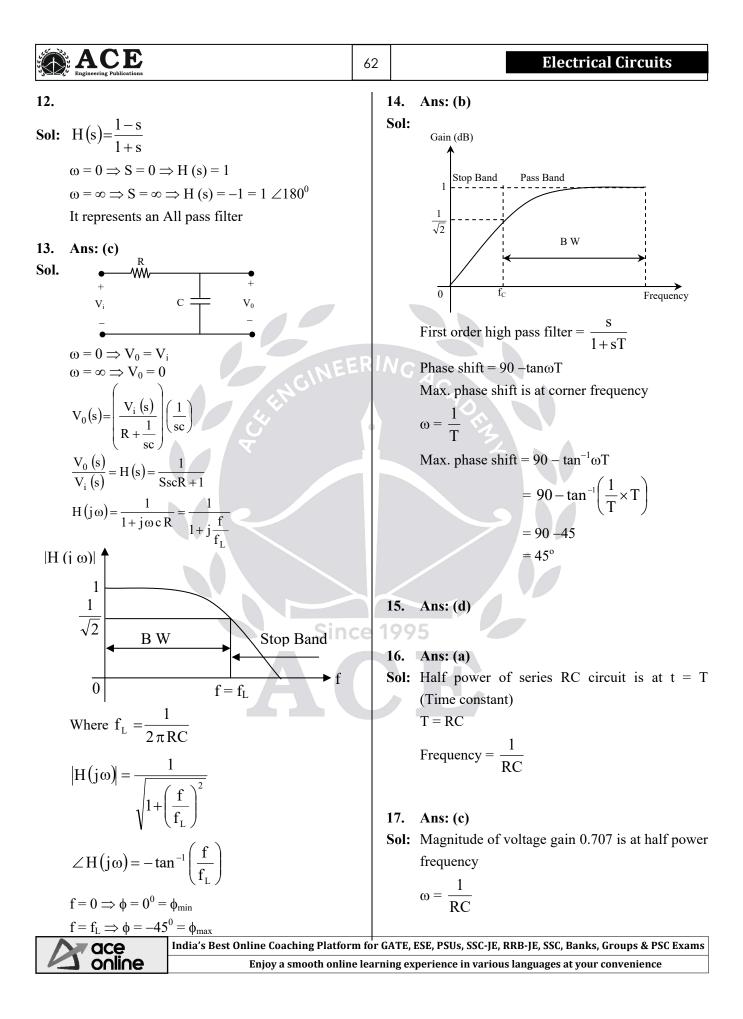
11.

Sol:
$$H(s) = \frac{s^2 + 1}{s^2 + s + 1}$$

 $\omega = 0 \Rightarrow s = 0 \Rightarrow H(s) = 1$
 $\omega = \infty \Rightarrow s = \infty \Rightarrow H(s) = 1$
It represents a Band stop filter

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Chapter

Single Phase Transformer

01. Ans: (b)

Sol: \uparrow B_{max} $\propto \frac{V}{f\downarrow}$

Here V \rightarrow constant, f \rightarrow decreased to half \Rightarrow B_{max} increased to double, which will drive the core in to deep saturation and also I_µ is very high to create double the rated flux.

02. Ans: (d)

- **Sol:** As $\frac{V}{f}$ ratio is not equal
 - (i) $W_h \propto \frac{V_1^{1.6}}{f^{0.6}}$; as frequency increases, the
 - hysteresis loss will decreases.
 - (ii) $W_e\,{\propto}\,V_l^2$ (Independent on frequency)
 - : Eddy current loss will be constant.

03. Ans: (a)

Sol: Lenz's Law:

The direction of statically induced emf is such that the current due to this emf will flow through a closed circuit in such a direction that it will in turn produce some flux according to **Electro Magnetic Theory** and this flux must opposes the changes in main field flux which is the cause for production of emf as well as current.

04. Ans: (a)

Sol: Specific weight = $\frac{\text{weight of transformer}}{\text{kVA rating}}$

If flux density is high, then required cross sectional area of core will be less.

$$\left(\because \mathbf{B} \propto \frac{1}{\mathbf{A}} \right)$$

Therefore transformer weight will be decreased, the transformer should have less specific weight.

05. Ans: (d)

Sol: In ideal transformer, resistance of windings and magnetic leakage flux are zero.

06. Ans: (d)

Sol: As leakage flux is more, coefficient of coupling of transformer will decrease and also the inductive reactance drop will be increased.

07. Ans: (a)

Since

Sol: V = constant and f > f_{rated}

$$\Rightarrow \frac{V}{f}$$
 Ratio is not constant

$$: W_{h} \propto \frac{V_{1}^{0.6}}{f^{0.6} \uparrow} \Rightarrow W_{h} \downarrow \& W_{e} = \text{Const}$$

But "Wh" is due to core loss component of current $I_{\rm w}$

$$\Rightarrow \operatorname{As} f \uparrow, W_h \downarrow \Rightarrow I_w \downarrow.$$

Similarly
$$\downarrow I_{\mu} \propto \downarrow B_{max} \propto \frac{V}{f \uparrow}$$

 $\Rightarrow f \uparrow \Rightarrow B_{max} \downarrow \Rightarrow I_{\mu} \downarrow$



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ACE Engineering Publications	64	Machines
08. Ans: (c)	11	1. Ans: (a)
Sol: Copper loss $\propto I^2$ i.e depends on load current	: So	ol: Distribution transformer: Cu-losses take
called variable losses.		place based on load cycle of Consumer and
Iron loss $(W_h + W_e) \propto V^2$ (applied voltage)	,	Iron losses takes place throughout 24 hrs.
called constant losses.		Iron losses are kept minimum while designing
09. Ans: (a)		Power transformer: Cu-losses and Iron
Sol: $W_i = 100 \text{ W}$ at 40 Hz.		losses takes place steadily throughout 24
= 72 W at 30 Hz.		hrs. Copper losses are kept minimum while
At 40 Hz, $W_i = Af + Bf^2$.		designing.
$100 = A \times 40 + B \times 40^2 \dots (1)$		Both assertion and reason are correct,
At 30 Hz, $72 = A \times 30 + B \times 30^2 \dots (2) = 1$	RIN	reason is correct explanation to assertion.
By solving above two equations,	5	A CA
B = 1/100 and $A = 2.1$	12	2. Ans: (a)
Hysteresis loss, $W_h = A \times f$	Se	ol: At 230 V, 50 Hz \Rightarrow W _I = 1050 W
$= 2.1 \times 50 \Rightarrow 105 \text{ W}.$		At 138 V, 30 Hz \Rightarrow W ₁ = 500 W
Eddy current loss $W_e = B \times f^2$ = $\frac{50 \times 50}{100}$		$V_{11} = 230 \text{ V}$ $\frac{V_{11}}{f_1} = \frac{230}{50} = 4.6$
≜ 25 W.		$f_1 = 50 \text{ Hz}$ $\frac{V_{12}}{f_2} = \frac{138}{30} = 4.6$
10. Ans: (c)		$V_{12} = 138 v$
Sol: • For a given kVA rating of transformer	e 19	$V_1 = 30 \text{ Hz}$ $\frac{V_1}{f} = \text{ constant}$
more the design frequency, lesser th cross sectional area of the core and lesser will be the size and weight of transformer. For a given kVA rating and designed frequency of transformer, superior th magnetic material used for transformer core, higher will be the flux density and lesser will be the size and weight of th transformer. Copper loss is directly proportional to square of the current and resistance.		at $\frac{V_1}{f} = \text{constant}$ $W_1 = Af + Bf^2$ at 50 Hz \Rightarrow 1050 = A (50) + B (50) ² (i) at 30 Hz \Rightarrow 500 = A (30) + B (30) ² (ii) by solving equation (1) & (2), we get A = 10.1667 B = 0.2167 Then at 230V, 50 Hz $W_h = Af = 10.1667 \times 50 = 508.33 \text{ W}$ $W_e = Bf^2 = 0.2167 \times (50)^2 = 541.75 \text{ W}$
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13. Ans: (b)

- **Sol: Open circuit test** is convenient to conduct on LV side by opening H.V winding due to the following reasons:
 - 1. If the test is conducted on LV side, LV source sufficient to conduct the test to maintain rated flux.
 - 2. If the test is conducted on LV side, low range meters are sufficient to conduct the test.
 - As magnitude of no-load current is more on LV side, this high no-load current can be accurately measured on LV side when compared to HV side.

Short circuit Test: As rated current is less on HV side, it is convenient to conduct this test on HV side by short circuiting LV terminals. By doing so low range of meters can be used for conducting this test.

- 14. Ans: (b)
- Sol: $P = V I_w$
 - : Loss component $I_w = \frac{5 \times 10^3}{220} = 22.7 \text{ A}$
- 15. Ans: (a)

16. Ans: (a)

Sol: It is equivalent circuit of the Transformer under S.C condition when referred to primary side.

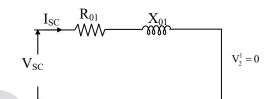
17. Ans: (b)



18. Ans: (d)

Sol: S.C test is conducted at reduced voltage (V_{SC}) and at rated frequency.

If V_{SC} constant and 'f' (f > f_{rated}) is increased, the consequences are



Equivalent circuit under S.C test

(i) $R_{01} = \text{constant}$ (ii) $\uparrow X_{01} \alpha f \uparrow$ (iii) $z_{01} = \sqrt{x_{01}^2 + R_{01}^2} \Rightarrow z_{01} \uparrow$ (iv) $\downarrow I_{SC} = \frac{V_{SC} = \text{constant}}{z_{01} \uparrow}$ (v) $\downarrow \cos \phi_{SC} = \frac{R_{01} = \text{constant}}{z_{01} \uparrow}$

Sol: The Condition for maximum efficiency = $2W_i$

V

:. At maximum efficiency

$$W_{total} = (150 + 150) W = 300 V$$

20. Ans: (b)

Since

Sol: kVA at
$$\eta_{max} = F.L k VA \times \sqrt{\frac{\text{Iron loss}}{F.L \text{ culoss}}}$$

= $F.L k VA \times \sqrt{\frac{P_{C}}{P_{SC}}}$

21. Ans: (d)

Sol: As lamination size is thin, resistance offered by the each laminated part of core is

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increased, hence the magnitude of eddy current will decrease and therefore corresponding loss will be decreased.

22. Ans: (c)

- **Sol:** Core losses = 150 W (Constant) Copper loss at full load = 220 W
 - \therefore Copper loss at halt full load

$$=\left(\frac{1}{2}\right)^2 220W = 55W$$

... Total losses at half full load

$$= 150 + 55$$

 $= 205 W$

Efficiency at half full load

$$=\frac{\frac{1}{2} \times 10^{3} \times 1}{\frac{1}{2} \times 10 \times 10^{3} + 205} \times 100$$

= 96.06%

23. Ans: (c)

Sol: $\%\eta = \frac{(x)(VI)\cos\phi}{x(VI)\cos\phi + W_c + W_{eu}} \times 100$ $x = 1 \quad (\because \text{ full load})$ $VI = 200 \text{ kVA}; \cos\phi = 0.9 \text{ lag}; W_c = 1.8 \text{ kW}$ $W_{cu} = \left(\frac{1.1}{100}\right) \times 200 \times 10^3 = 2200 \text{ watts}$ $\%\eta = \frac{(1)(200 \times 10^3)(0.9)}{(200 \times 10^3 \times 0.9) + (1.8 \times 10^3) + 2200} \times 100$ = 97.82%

24. Ans: (a)

Sol: % Reg = (%R) $\cos \phi_2 \pm (\%X) \sin \phi_2$ For lagging power for

% V.R = (2) (0.8) + (4) (0.6) = 4%

For leading power factor

% V.R = (2)(0.8) - (4)(0.6) = -0.8%



25. Ans: (a)

Sol: Given %R = 1%, %X = 5% and $\cos\phi = 0.8$ % Reg = (%R) $\cos\phi + (%X)\sin\phi$ (:: lag pf) = (1)(0.8) + (5)(0.6) = 3.8%

26. Ans: (a)

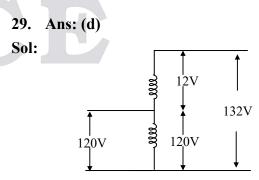
- **Sol:** If resistance drop is completely compensated by reactance drop, zero voltage regulation takes place. It is possible at leading power factor loads.
 - If reactance drop is more as compared to resistance drop at leading power factor loads, negative voltage regulation will occur.

27. Ans: (c)

Sol: 3, 4, 5 condition's are necessary conditions1 & 2 are desirable conditions for parallel operations.

28. Ans: (d)

Sol: If impedance decreases, current will increase and therefore sharing of load will increase.



For series additive polarity of winding, voltage =132 V.

For series subtractive polarity of winding, voltage = 108 V.

Engineering Publications	67	Postal Coaching Solutions
30. Ans: (c)		31. Ans: (c)
Sol: 240/120 V, 12 kVA		Sol: In auto transformer, power is not only
$\eta = 96.2\%$		transferred by induction process but also by
$\eta = \frac{12000 \times 1}{12000 \times 1 + \text{losses}} = 0.962$		conduction process.
$\Rightarrow 12000 + \text{losses} = 12474$		
Losses = 474 W		
When connected across 360V,		
The rating becomes= $\frac{12}{1-k} = \frac{12}{1-\frac{2}{3}} = 36 \text{ kVA}$	A	
$36000 \times 0.85 + 10sses$	ER <i>II</i>	NGACA
$=\frac{30,600}{30,600+474}=98.5\%$		YO IL
Sin		995
A		

Three Phase Induction Motors

01. Ans: (d)

Chapter 🖌 📕

Sol: For motoring, the stator poles and rotor poles must be equal. In the above case, the stator windings are wound for 4 poles, where as the rotor windings are wound for 6 poles. As the stator poles and rotor poles are unequal the torque developed is zero and speed is zero.

02. Ans: (c)

Sol: An inductin motor stator is replaced by a 6pole stator, then the rotor poles will also be 6 poles, because in squirrel cage rotor, the rotor poles are induced pole. Then, the synchronous speed with 6 poles for 50 Hz supply is 1000 rpm Therefore, the rotor speed will be less than 1000 rpm

03. Ans: (c)

Sol: With the increase in the air gap, the reluctance of the magnetic circuit will be increase; because of this the motor draws more magnetizing current. Hence the power factor decreases.

04. Ans: (b)

- Sol: 1. It helps in reduction of magnetic hum, thus keeping the motor quiet,
 - 2. It also helps to avoid "Cogging", i.e. locking tendency of the rotor. The tendency of rotor teeth remaining under

the stator teeth due to the direct magnetic attraction between the two,

- 3. Increase in effective ratio of transformation between stator & rotor,
- Increased rotor resistance due to comparatively lengthier rotor conductor bars, to improve the starting torque & starting power factor
- 5. Increased slip for a given torque.

05. Ans: (a, d)

Sol: Synchronous speed of stator field,

Ns =
$$\frac{120f}{P} = \frac{120 \times 50}{4} = 1500 \text{ rpm}$$

Synchronous speed of Rotor field,

$$(N_r)s = \frac{120 \times 30}{4} = 900 \text{ rpm}$$

But rotor speed,
$$N_r = N_s \pm (N_r)s$$

 $= 1500 \pm 900$

= 2400 rpm and 600 rpm

06. Ans: (b)

1995

Sol: The frequency of generated emf by the alternator is given as

$$f = \frac{PN_{pm}}{120} = \frac{4 \times 1500}{120} = 50Hz$$

The synchronous speed of Induction motor

$$N_{s} = \frac{120f}{P} = \frac{120 \times 50}{6} = 1000 \text{ rpm}$$

% Slip = $\frac{N_{s} - N_{r}}{N_{s}} \times 100$
= $\frac{1000 - 960}{1000} \times 100 = 4\%$



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07. Ans: (a)

Sol: Given data: P = 4, $N_r = 1440$ rpm and f = 50 Hz

$$N_{s} = \frac{120f}{P} = \frac{120 \times 50}{4} = 1500 \text{ rpm}$$
$$Slip = \frac{N_{s} - N_{r}}{N_{s}} = \frac{1500 - 1440}{1500} = \frac{6}{150}$$

The frequency in the rotor of induction motor is slip frequency (sf).

$$\therefore$$
 Frequency of emf is, $\frac{6}{150} \times 50 = 2$ Hz.

08. Ans: (c)

Sol: If the rotor is assumed to run at synchronous speed N_s in the direction of rotating magnetic fields, then there would be no flux cutting action, no emf in the rotor conductors, no currents in the rotor bars and therefore no developed torque. Thus, the rotor of 3-phase induction motor can never attain synchronous speed.

09. Ans: (d)

- Sol: For 50 Hz, supply the possible synchronous speeds with different poles.
 2 poles → 3000 rpm
 - 4 poles \rightarrow 1500 rpm
 - 6 poles \rightarrow 1000 rpm
 - 8 poles \rightarrow 750 rpm
 - 10 poles \rightarrow 600 rpm
 - 12 poles \rightarrow 500 rpm
 - 20 poles \rightarrow 300 rpm

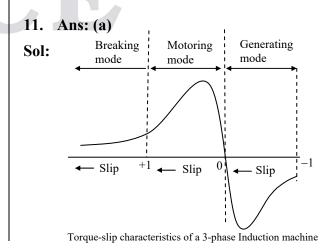
We know that, the rotor of an induction motor always tries to rotate with speed closer to synchronous speed, there fore the synchronous speed closer to 285 rpm for 50 Hz supply is 300 rpm and poles are 20 poles.

So its 20 poles induction motor.

10. Ans: (c)

Sol: If any two leads from slip rings are interchanged in a 3-phase induction motor, the motor will run in a direction opposite to previous one

The direction of rotation in a 3- phase motor depends upon the sequence in which the magnetic poles are created by the respective phase lines. This in turn creates a rotating magnetic field. By interchanging any two phases (lines) the sequence of pole formation is being changed i.e., the direction of the rotating magnetic field is reversed. Hence the direction of rotation of the motor also changes accordingly.



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12. Ans: (c, d) **Sol:** Rotor speed = $\frac{120 \times f}{P}$ $=\frac{120\times50}{4}$ = 1500 rpmPossible relative speeds between states and rotor are $N_s + N_r$ and $N_s - N_r$. Synchronous speed $N_s = \frac{120 f}{P} = \frac{120 \times 50}{6} = 1000 rpm$ $s = \frac{N_s + N_r}{N_c} = \frac{1000 + 1500}{1000} = 2.5$ Slip frequency, sf = 2.5×50 = 125 Hz $s = \frac{N_s - N_r}{N_s} = \frac{1000 - 1500}{1000} = -0.5$ Slip frequency = 25 Hz13. Ans: (b) **Sol:** $\frac{T_{st}}{T_{rr}} = \frac{2s_m}{1+s^2}$ Where $s_m = \frac{N_s - N_r}{N}$ Since $N_s = \frac{120f}{P} = \frac{120 \times 50}{4} = 1500 \text{ rpm}$ $N_r = 1200 \text{ rpm}$ \therefore s_m = $\frac{1500 - 1200}{1500} = 0.2 = 20\%$ Now, $\frac{T_{st}}{T_{FL}} = \frac{2(0.2)}{1+(0.2)^2} = 0.384$ 14. Ans: (c) **Sol:** Efficiency $(\eta) = \frac{\text{output shaft power}}{1 + 1 + 1}$ input power

N_s =
$$\frac{120f}{P} = \frac{120 \times 50}{6} = 1000 \text{ rpm}$$

N_r = 975 rpm (Given)
∴ s = $\frac{N_s - N_r}{N_s} = \frac{1000 - 975}{1000} = 0.025$

Air gap power = Stator input – Stator losses = 40 - 1 = 39 kW

Gross mechanical power output = $(1 - s) \times \text{Air gap power}$ = $(1 - 0.025) \times 39 = 38.025 \text{ kW}$

Shaft power output

= Gross mechanical power output – Mechanical losses

$$= 38.025 - 2 = 36.025 \text{ kW}$$

$$\therefore \qquad \% \eta = \frac{36.025}{40} \times 100$$

$$= 90.0625\%$$

15. Ans: (c) Sol: Slip s = 5% = 0.05 Rotor output/gross mechanical power developed $P_{ro} = 20 \text{ kW}$.

k

Rotor copper loss =
$$\frac{s}{1-s} \times P_{r0}$$

= $\frac{0.05}{1-0.05} \times 20$
= 1052 W

16. Ans: (c)

Sol: Increase in air gap, increase reluctance and hence draws more magnetizing current and power factor decreases.

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- 17. Ans: (b)
- Sol: $\tau_{em} = 500$ Nm, $V_2 = 0.5$ V_1 $\tau_{em} \propto V^2$

$$\Rightarrow \frac{\tau_{em1}}{\tau_{em2}} = \left(\frac{V_1}{V_2}\right)^2$$
$$\Rightarrow \tau_{em2} = (0.5)^2 \times 500 = 125 \text{ Nm}$$

18. Ans: (a)

Sol: Given rotor resistance per phase $R_2 = 0.21 \Omega$

Stand still rotor reactance per phase $X_{20} = 7 \Omega$

We have slip at maximum torque given by

$$s_{\text{Tmax}} = \frac{R_2}{X_{20}} = \frac{0.21}{7} = 0.03$$

The synchronous speed of the motor is

 $N_s = \frac{120f}{P} = \frac{120 \times 50}{4} = 1500 \text{ rpm}$

Rotor speed at maximum torque is given by

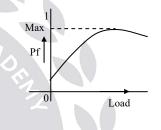
$$N_{rTmax} = N_s(1-s)$$

= 1500(1 - 0.03) = 1455 rpm Since

19. Ans: (d)

Sol: Power factor of an induction motor on noload is very low because of the high value of magnetizing current. With load the power factor increases because the power component of the current is increased and a stage comes after which as load further increase the over all power factor starts slowly decreasing. Low power factor operation is one of the

disadvantages of an induction motor. An induction motor draws a heavy amount of magnetizing current due to presence of air gap between the stator and rotor (unlike a transformer). The reduced the magnetizing current in an induction motor, the air gap is kept as small as possible. It is therefore usual to find the air gap of induction motor smaller than any other type of electrical machine.



20. Ans: (b)

Sol: The rotor bars of squirrel cage induction motor are short circuited at both ends by end-rings of the same material, hence we unable to connect external resistance into rotor, so Rotor resistance control not applicable to cage induction motor.

21. Ans: (a)

Sol: Rotor current's in an induction motor is due to relative speed between stator RMF and physical rotor.

If $N_r = N_s$ i.e. if rotor rotating with 'N_s' speed in the same direction of stator RMF (N_s speed), then the relative speed between them is zero.

 \Rightarrow EMF induced in the rotor winding is zero.

 \Rightarrow current's in rotor winding is zero.



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Hence torque production is zero

 \Rightarrow at N = N_S; rotor won't rotate, hence called "Asynchronous machine".

22. Ans: (d)

Sol: The main function of a starter in a $3-\phi$ induction motor is to limit high starting current to reasonable values.

23. Ans: (a)

24. Ans: (a)

25. Ans: (c)

Sol: This method is used in the case of motors, which are built to run normally with a delta connected stator winding. It consists of a two-way switch, which connects the motor in star for starting and then in delta for normal running. When star connected, the applied voltage over each

phase is reduced by factor $\frac{1}{\sqrt{3}}$ and hence

the torque developed becomes 1/3 of that which would have been developed if motor were directly connected in delta. The line current is reduced to 1/3. Hence during starting period when motor is star connected, it takes 1/3rd as much starting current and develops 1/3 rd as much torque as would have been developed it directly connected in delta.

- 26. Ans: (c)
- **Sol:** $I_{ac} = 400A; k = 0.7$

 $I_{st, sup ply} = k^2 I_{sc} = 0.7^2 \times 400 = 196A$

27. Ans: (a)

Sol: Starting line current with stator winding in star Starting line current with stator winding in delta $=\frac{1}{3}$

Starting line current with stator winding in delta (DOL) = 3×Starting line current with stator winding in star

$$= 3 \times 50$$
$$= 150 \text{A}$$

28. Ans: (a)

Sol: $T_{st} = \frac{1}{4}T_{f\ell}$ $I_{sc} = 4I_{f\ell}$

we have for auto transformer starting

$$\frac{T_{st}}{T_{f\ell}} = k^2 \left(\frac{I_{sc}}{I_{f\ell}}\right)^2 s_{f\ell}$$
$$\frac{1}{4} = k^2 \times 4^2 \times 0.03$$
$$K = 72.2\%$$

29. Ans: (c)

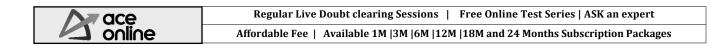
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Sol: Magnitude of starting torque depends upon value of capacitor used at the time of starting. Practically permanent split capacitor start consist high value of capacitor and shaded pole type produces low starting torque.

30. Ans: (d)



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31. Ans: (d)		32. Ans: (b)
Sol: Harmonic field effects on the performance	ce	Sol: Magnetic locking tendency of rotor is
of induction motor are of the followin	ng	nothing but cogging.
kinds:		
1. Asynchronous crawling		
2. Locking and synchronous crawling		
3. Magnetic noise and vibration		
These harmonics fields are due to		
(i) Winding		
(ii) Slotting		
(iii) Saturation and	and the state	
(iv) Irregularities in the air gap field	ERI	NG
CK ENCI		A CAO



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