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CIVIL ENGINEERING

Reinforced Cement Concrete

(**Text Book** : Theory with worked out Examples and Practice Questions)

Reinforced Cement Concrete

(Solutions for Text Book Practice Questions)

01. Materiel, Workmanship, Inspection and testing

01. Ans: (a), (b), (c), (d)

Sol: Cement requires in total of 23% by weight of water for hydration, this water chemically bounds with the cement compounds and is known as bound water. Some quantity of water is required for cement gel pores. This is about 15% by weight. This water is also known as gel water and is not available for hydration of cement. Hence total water required for complete hydration of water is 38%.

Plasticizers act as deflocculating agents and hence gets adsorb over the cement particles, thereby makes the entrapped water free which modifies the properties of the mix. Dose of plasticizers varies in the range of 0.1 to 0.4% by weight of the cement. Plasticizers usually increases the slump of concrete with a given water content. Plasticizers can reduce the water requirement of a concrete mix for a given workability as a rule of thumb by 10%.

Application of compressive load leads to the development of complex compressive stresses in the specimen due to the restraining effect of the steel plates used over the specimen while testing. This restraining effect is observed due to difference in development of lateral strain in steel plates and concrete specimen. Lateral strain in steel plates is approximately 0.4 times the lateral strain in concrete specimen. Hence the test results obtained by this test are more than actual. The restraining effect in cylindrical specimen is comparatively less than in cube specimen. In cube specimen the restraining effect is observed over the whole depth but in cylindrical specimen it is limited to the end region. Result obtain by the cylindrical specimen is approximately 0.8 times those obtained by the cubical specimen.

Moist curing aims to keep the concrete as nearly saturated as possible at normal temperature-by continually spraying water, or by 'ponding', or by covering the concrete with a layer of any kind of ' sacking' which is kept wet.

The ingress of curing water into the capillary pores stimulates hydration. This process, in fact, goes on, even after active curing has stopped, by absorption of the moisture in the atmosphere. The period of curing should be as long as conveniently possible in practice. The Code specifies the duration as "atleast seven days from the date of placing of concrete in case of OPC" under normal weather conditions, and at least ten days when dry and hot weather conditions are encountered. When mineral admixtures or blended cements are used. the recommended minimum period is 10 days, which should preferably be extended to 14 days or more.

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02. Limit state design method fundamentals

01. Ans: (a), (b), (d)

Sol: The uncertainties due to load and strength in working stress method is taken care by using only one FOS that is applied to strength of the material to get a permissible. By this the strength of the material is underestimated to such an extent that stresses are with in a permissible limit and with in the linear region of the stress strain curve. Non linear strength is completely ignored.

> The section sizes produced by working stress method of design are large and have good stiffness therefore perform good under serviceability criteria that is lesser deflections and cracking.

> One of The problem with working stress method is that there is not proper utilisation of strength of the material as the strength of material underestimated the is to considerable extent hence the resulting section sizes produced were large more material was required. Hence uneconomical. Drawbacks of working stress method are taken care by limit state method of design by considering a probabilistic approach for strength and loads(characteristic strength and characteristic load), and applying partial safety factors to both load and strength.

03. Limit State Design- Singly Reinforced Beams

01. Ans: (a)

Sol: For Fe415,

$$\begin{split} M_{u \text{ limit}} &= \text{Equation (1) with } x_{u \text{ max}} \\ &= 0.138 \text{ } f_{ck} \text{bd}^2 \\ &= 0.138 \times 15 \times 200 \times (500)^2 \\ &= 103.5 \text{ kN-m} \end{split}$$

02. Ans: (c)

Sol: Balanced (or) limiting percentage of steel (use x_{u max})

C = T0.36 f_{ck} bx_{u max} = 0.87 f_y A_{st} 0.36 f_{ck} b(0.48d) = 0.87 × 415 A_{st} 0.36×15 × 200 × 0.48 × 300 = 0.87 × 415 A_{st} A_{st} = 430mm²

03. Ans: (b)
Sol:
$$M_u = 138 \times 10^6$$
 N-mm
 $M_u = M_{u \ limit}$
 $= 0.138 \times f_{ck} \ bd^2 - (design \ as \ BS)$
 $138 \times 10^6 = 0.138 \times 20 \times 200 \times d^2$
 $d = 500 \ mm$



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Modulus of rupture/ter from bending equation $\frac{M}{I} = \frac{f}{y}$ $\Rightarrow M = f_{cr} \times z \qquad [\because z]$ $= 2\left[\frac{250 \times 400^2}{6}\right]$ $M = P.a$ $13.3 = P \times 1.5$ $P = \frac{13.3}{1.5} = 8.86 \text{ kN}$ O7. Ans: 31.6 kN Sol: $b = 250 \text{ mm}$ $f = \frac{13.3}{1.5} = 8.86 \text{ kN}$ Sol: $b = 250 \text{ mm}$ $f = \frac{13.3}{1.5} = 4.86 \text{ kN}$ Sol: $b = 250 \text{ mm}$ $f = \frac{13.3}{1.5} = 4.86 \text{ kN}$ Sol: $b = 250 \text{ mm}$ $f = \frac{13.3}{1.5} = 4.86 \text{ kN}$ Sol: $b = 250 \text{ mm}$ $f = \frac{13.3}{1.5} = 4.86 \text{ kN}$ Sol: $b = 250 \text{ mm}$ $f = \frac{13.3}{1.5} = 4.86 \text{ kN}$ Sol: $b = 250 \text{ mm}$ $f = \frac{13.3}{1.5} = 4.86 \text{ kN}$ Sol: $b = 250 \text{ mm}$ $f = \frac{13.3}{1.5} = 4.86 \text{ kN}$ Sol: $b = 250 \text{ mm}$ $f = \frac{13.3}{1.5} = 4.86 \text{ kN}$ Sol: $b = 2.50 \text{ mm}$ $f = \frac{13.3}{1.5} = 4.86 \text{ kN}$ Sol: $b = 2.50 \text{ mm}$ $f = \frac{13.3}{1.5} = 4.86 \text{ kN}$ Sol: $b = 2.50 \text{ mm}$ $f = \frac{13.3}{1.5} = 4.86 \text{ kN}$ Sol: $b = 2.50 \text{ mm}$ $f = \frac{13.3}{1.5} = 4.86 \text{ kN}$ Sol: $b = 2.50 \text{ mm}$ $f = \frac{13.3}{1.5} = 4.86 \text{ kN}$ Sol: $b = 2.50 \text{ mm}$ $f = \frac{13.3}{1.5} = 4.86 \text{ kN}$ Sol: $b = 2.50 \text{ mm}$ $f = \frac{13.3}{1.5} = 4.86 \text{ kN}$ Sol: $b = 2.50 \text{ mm}$ $f = \frac{13.3}{1.5} = 4.86 \text{ kN}$ Sol: $f = \frac{13.3}{1.5} = 4.$	ensile stress of concrete $= \frac{bD^2}{6}$ $= 13.33 \times 10^6 \text{N-mm}$ $= 60 \text{mm}$ $= 5 Since the second stress of the second stress o$	4 .R //	CIVIL-Postal Coaching Solutions $\therefore \text{ Under reinforced section}$ $M.R = 0.36f_{ck} bx_u (d - 0.42x_u)$ $= 0.36 \times 20 \times 250 \times 80.65$ $(360 - 0.42 \times 80.65)$ $M_u = 47.5 \text{ kN-m}$ $M_u = P \times a$ $47.5 = P \times a$ $P = \frac{47.5}{1.5}$ $P = 31.6 \text{ kN}$ O8. Ans: 51 kN-m Sol: $150 \text{ mm} \qquad 0.003 0.45 \text{ f}_{ck} C_2$ C_1 $T_1 T_2$ $x_u \max = 0.48 \times d$ $= 0.48 \times 350$ $= 168 \text{ mm}$
$= 0.48 \times 300 =$ C = T $0.36f_{ck}bx_u = 0.87 f_y A_y$	st		$M_{u \text{ limit}} = 0.36 f_{ck} b x_{u \text{ max}} (d-0.42 x_{u \text{ max}})$ $= 0.36 \times 20 \times 150 \times 168 (350-0.42 \times 168)$
$0.36 \times 20 \times 250 \times x_u$ $= 0.87 \times 415 \times \left(2 \times \frac{1}{2}\right)$ $1800 x_u = 145186.8$ $x_u = 80.65 mm$ $x_u < x_{max}$	$\left(\frac{\pi}{4} \times 16^2\right)$		= 50.70×10^{6} N-m = 51 kN-m
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04. Limit State Design -Doubly Reinforced Beams

01. Ans: (c) **Sol:** BM = 300 kN-mConcrete, $M_{15} = f_{ck} = 15$ Steel, $f_v = 415$ f_{sc} =353.7 MPa Effective Cover d' = 50mm350 mm In LSM, we have to use T B Factored moment 0 0 700 mm 50 $M_u = M \times \gamma_f$ Use $\gamma_f = 1.5$ $= 300 \times 1.5 = 450 \text{ kN-m}$ 000 To calculate M_{u limit} $M_{u \text{ limit}} = 0.138 \text{ f}_{ck} \text{ bd}^2$ $= 0.138 \times 15 \times 350 \times (700)^2$ $M_{u \text{ limit}} = 355 \text{ kN-m}$ $M_{\rm u} = 450 \, \rm kN-m$ $\therefore M_u > M_{ulimit}$ So we need to use 'DRB' $M_{ulimit} = 0.87 f_v A_{st} (d-0.42 x_{u max})$ $355 \times 10^{6} = 0.87 \times 415 \times A_{st}(700 - 0.42 \times 0.48 \times 700)$ $A_{st} = 1759.31 \text{ mm}^2$ for extra moment we need to provide tensile steel & comp. steel $M_u - M_{u \text{ limit}} = 0.87 f_v (d - d') A_{st2}$ $(450-355) \times 10^6 = 0.87 \times 415 A_{st2}(700-50)$ $= 234682.5 A_{st2}$ $A_{st2} = 404.8 \simeq 405 \text{ mm}^2$ $A_{st} = A_{st1} + A_{st2} = 2165 \text{ mm}^2$ Now our purpose is to calculate 'Asc' M_u - $M_{ulimit} = f_{sc}A_{sc}(d-d')$ (or) $f_{sc} A_{sc} = 0.87 f_v A_{st2}$ $A_{sc} = 413.2 \text{ mm}^2$

02. Ans: 271 kN-m

Sol:



b = 300 mm, D = 500 mm, d = 462.5 mm $f_{ck} = 25 \text{ N/mm}^2$, $f_v = 415 \text{ N/mm}^2$, $f_{sc} = 0.8566 f_v$ $A_{st} = 4 \times \frac{\pi}{4} \times 25^2 = 1963.495 \text{ mm}^2$ $A_{sc} = 2 \times \frac{\pi}{4} \times 16^2 = 402.12 \text{ mm}^2$ $\Rightarrow C = T$ \Rightarrow C₁ +C₂ = T $0.36 \times f_{ck} b x_u + f_{sc}A_{sc} = 0.87 f_v A_{st}$ $0.36 \times 25 \times 300 \times x_{u} + (0.8566 \times 415) \times 402.12$ $= 0.87 \times 415 \times 1963.495$ $x_u = 209.618 \text{ mm}$ $x_{u max} = 0.48 \times d$ $= 0.48 \times 462.5 = 222 \text{ mm}$ $x_u < x_{u max}$: under reinforced section. $M_{\mu} = 0.36 f_{ck} \cdot b \cdot x_{\mu} (d - 0.42 x_{\mu}) + f_{sc} A_{sc} (d - d^{1})$ $= 0.36 \times 25 \times 300 \times 209.6$ $(462.5 - 0.42 \times 209.6) + (0.8556 \times 415)$

×402.12 (462.5 –50)

$$= 270.9 \text{ kN-m}$$



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ACE Ans: 18.82 kN/m 03. Sol: Working /line moment, $M = \frac{270.9}{1.5} = 180.6 \text{kN} - \text{m}$ Self weight of beam, $w_D = (\gamma_c) b \times D$ $= (25 \text{kN} / \text{m}^3) \times (0.3 \times 0.5)$ W = 3.75 kN/m $= \mathbf{w}_{\mathrm{D}} + \mathbf{w}_{\mathrm{L}}$ l = 8 m $M = \frac{(w_{\rm D} + w_{\rm L}) \times l^2}{8}$ $180.6 = \frac{(3.75 + w_L) \times 8^2}{8}$ $w_L = 18.825 \text{ kN/m}$ 04. Ans: (a) & (b) Statement 3 is wrong. Permissible value for Fe 250 grade of steel when subjected to compression is equal to $0.87 f_v$ for all values of strains. But the permissible values for HYSD bars is required to be found from stress strain curve for their respective values of strains. Statement 4 is correct.

> There is no advantage of using high strength of steel on compression side as compression reinforcement as the permissible stress is relatively low and unrelated to grade of steel. For both Fe 415 and Fe 500 the permissible value in compression is 190 MPa.

05. Limit State Design- Flanged Beams 01. Ans: (c) 15 m Sol: For T-beams, 10 m $\mathbf{b}_{\mathrm{f}} = \frac{l_0}{6} + \mathbf{b}_{\mathrm{w}} + 6\mathbf{D}_{\mathrm{f}}$ $=\frac{0.7\times10}{6}+0.25+6\times0.1$ Fixed to column $l_0 = 0.7 l$ $n \ge c = 3 m$ m 02. Ans: (d) Sol: L – beam $B_{f} = \frac{l_{0}}{12} + b_{w} + 3D_{f}$ $=\frac{10}{12}+0.25+3\times0.1$ $= 1.38 \text{ m} \ge c = 3 \text{ m}$ 1995. $b_f = 1.38 \text{ m}$ 03. Ans: (d) n,

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Sol: Statement 1 and 2 are correct.

$$= 2.01 \text{ r}$$
$$\therefore \text{ b}_{\text{f}} = 2.01$$

Sol:
$$D_f = 100 \text{ mm}, b_w = 300 \text{ mm}, d = 500 \text{ mm}$$

 $c = 3 \text{m}, \qquad l = 6 \text{m}, l_0 = 3.6 \text{ m}, b_f = ?$
 $b_f = \frac{l_0}{6} + b_w + 6 D_f \implies c$
 $= \frac{3.6}{6} + 0.3 + 6 \times 0.1$
 $= 1.5 \text{ m} \implies c = 3 \text{ m}$
 $= 1.5 \times 1000 \text{ m} = 1500 \text{ mm}$

04. Ans: (a), (d)

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Sol: Statement 1 is correct: When the slab is relatively wide, the flexural compressive stress is not uniform over its width. The stress varies from maximum at the web region to progressively at lower values at points farther away from web. The term shear lag is used to explain this concept. The longitudinal stresses at the junction of the web and flange are transmitted through in plane shear to the flange regions. The resulting shear deformations in the flange are maximum at the junction and reduce progressively at regions farther away from the web. Such shear lag behaviour can be easily visualised in the case of a rectangular piece of sponge that is compressed in the middle.

The effective width of flange tends to increase with the span, width and increased flange thickness. It also depends upon the type of loading (concentrated or distributed) and the support conditions. It is seen that the equivalent flange width is less when concentrated load is applied at the midspan of a simply supported beam, compared to the same load when applied as a uniformly distributed beam.

Statement 3 is wrong: It should be noted that the flange is effective only when it is on the compression side that is when the beam is in the sagging mode of flexure (with slab on top). Alternatively if the beam is upturned (inverted T beam) and is subjected to hogging moments, the T beam action is effective, as the flange is under compression.

Statement 4 is correct:

The integral action between the flange and the web is usually ensured by the transverse bars in the slab and the stirrups in the beam. In the case of isolated flanged beams (as in spandrel beams of staircases), the detailing of reinforcement depicted in Fig. (a) may be adopted. The overhanging portions of the slab should be designed as cantilevers and the reinforcement provided accordingly.

Adequate transverse reinforcement must be provided near the top of the flange. Such reinforcement is usually present in the form of negative moment reinforcement in the continuous slabs which span across and form the flanges of the T-beams. When this is not the case (as in slabs where the main bars run parallel to the beam), the Code (CI. 23.1.1b) specifies that transverse reinforcement should be provided in the flange of the T-beam (or L-beam) as shown in Fig. (b). The area of such steel should be not less than 60 percent of the main area of steel provided at the midspan of the slab, and should extend on either side of the beam to a distance not less than one-fourth of the span of the beam.



Detailing of flanged beams to ensure integral action of slab and beam

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ACE 9 06. Limit State of Collapse - Shear 01. Ans: (b) Sol: b = 230 mm=400mm $V_u = 120 \text{ kN}$ 2-8mm ¢ $f_{ck} = 20 \text{ N/mm}^2$ Main steel, $f_y = 415 \text{ N/mm}^2$ Stirrups, $f_v = 250 \text{ N/mm}^2$ $\tau_{c} = 0.48 \text{ N/mm}^{2}$ 8mm–2 legged i) Stirrups $A_{sv} = 2 \times \frac{\pi}{4} \times 8^2$ $= 100.53 \text{ mm}^{2}$ $\tau_v = \frac{V_u}{h \times d} = \frac{120 \times 10^3}{400 \times 230}$ $= 1.3 \text{ N/mm}^{2}$ Since $\tau_v \leq \tau_{c max} - safe in shear$ $\tau_v > \tau_c$ – not safe in shear reinforcement ii) Minimum shear reinforcement is required $V_{us} = \frac{(0.87f_y)A_{sv} \times d}{S}$ $V_{us} = V_u - \tau_c b.d$ $= 120 \times 10^{3} - 0.48 \times 400 \times 230$ = 75840 N = 75.84 kN $75.84 \times 10^3 = \frac{0.87 \times 250 \times 100.53 \times 400}{S}$ $S_v = 115 \text{ mm c/c}$

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02. Ans: (c) Sol: T =10.90 kN-m $V_e = V_u + \frac{1.6 T_u}{h}$ $= 120 \times 10^3 + \frac{1.6 \times 10.90 \times 10^6}{230}$ $V_{e} = 196 \text{ kN}$ Design shear force $V_{us} = V_e - \tau_c.b.d$ $= 196 \times 10^{3} - 0.48 \times 230 \times 400$ $V_{us} = 151.84 \times 10^3 N$ = 151.84 kN 03. Ans: (d) **Sol:** b = 230 m, d = 450 mm $V_{u} = 50 \text{ kN}$ $f_{ck} = 20 \text{ N/mm}^2$ $f_v = 250 \text{ N/mm}^2$ $\tau_{c max} = 2.8$ MPa, $\tau_{c} = 0.75$ MPa. $\tau_v = \frac{V_u}{bd} = \frac{50 \times 10^3}{230 \times 450} = 0.483 \text{ MPa}$ $\tau_v < \tau_{c,max}$ safe in shear. Provide minimum shear reinforcement. $\frac{A_{sv}}{bS_{v}} = \frac{0.4}{0.87f_{v}}$ $A_{sv} = 2 \times \frac{\pi \times 8^2}{4} = 100.53 \text{ mm}^2$ $S_v = \frac{100.53 \times 0.87 \times 250}{0.4 \times 230}$ = 237.7 mm c/c $S_v \ge 0.75 d = 0.75 \times 450 = 337.5 mm$ $S_v \ge 300 \text{ mm}$... Provide spacing of 230 mm c/c

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04. Ans: (c) **Sol:** $V_u = 100 \text{ kN}$ $\tau_{\rm v} = \frac{V_{\rm u}}{\rm b \times d} = \frac{100 \times 10^3}{230 \times 450} = 0.966$ $\tau_v < \tau_{c max}$ – shear reinforcement safe $\tau_v > \tau_c$ not safe in shear reinforcement Shear reinforcement is required. Design shear force for shear reinforcement $V_{us} = V_u - \tau_c bd$ $= 100 \times 10^{3} - 0.75 \times 230 \times 450$ = 22.375 kN For vertical stirrups, $V_{us} = \frac{0.87f_yA_{sv}d}{S}$ $S_v = \frac{0.87 \times 250 \times 100.53 \times 450}{22.375 \times 10^3} = 439.75 \text{ mm}$ Min spacing: i. 439.75 mm ii. 0.75d = 0.75 ×450 = 337.5 mm iii. 300 mm iv. Spacing for min shear reinforcement $\frac{A_{sv}}{bS_v} = \frac{0.4}{0.87f_v} \Rightarrow S_v = 237.7 \text{ mm}$ Since Provide min spacing of 230 mm c/c.

05. Ans: (c)

Sol: $V_u = 150 \text{ kN}$

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$$\tau_{\rm v} = \frac{150 \times 10^3}{230 \times 450} = 1.449 \text{ MPa}$$

 $\tau_v < \tau_{c,max} - safe$ in shear reinforcement

 $\tau_v > \tau_c \rightarrow$ Shear reinforcement is required. Design shear force,

$$V_{us} = V_u - \tau_c bd$$

= 150 ×10³ - 0.75 ×230×450
= 72.375 KN

Shear force taken by bent-up bars.

$$V_{us1} = 0.87 f_y A_{sv} sinα$$

= 0.87 ×415 ×2 × $\frac{\pi}{4}$ ×16² ×sin 45°
= 102.66 kN
≥ 0.5 V_{us} = 36.18 kN
∴ V_{us1} > 0.5 V_{us}

As per IS: 456 ; $V_{us1} \ge 0.5 V_{us}$. In this case V_{us1} is exceeding 0.5 V_{us} . Therefore limit V_{us1} as 36.18 kN, the remaining S.F i.e 36.195 kN should be resisted by vertical stirrups.

Vertical stirrups:
For V_{us2} = 36.195 kN
$$36.195 \times 10^3 = \frac{0.87 f_y A_{sv}.d}{S_v}$$

 $S_v = \frac{0.87 \times 250 \times \left(2 \times \frac{\pi}{4} \times 8^2\right) \times 450}{36.195 \times 10^3}$
= 271 708 mm

Provide minimum center to center spacing of 230 mm c/c

06. Ans: (a)
Sol: Beam -P

$$\tau_{c max} = 2.1 \text{ MPa}$$

 $f_{ck} = 30 \text{ N/mm}^2$
 $\tau_c = 0.75 \text{ MPa}$
 $V_u = 400 \text{ kN}$
 $\tau_v = \frac{V_u}{b \times d} = \frac{400 \times 10^3}{750 \times 400}$
 $\tau_v = 1.33 \text{ N/mm}^2$

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i) ii)	$\begin{aligned} \tau_v &< \tau_{c \text{ max}} \text{-shear reinforcement safe} \\ \tau_v &> \tau_c \text{ Minimum shear reinforcement i} \\ \text{required} \\ V_{us} &= V_u - \tau_c bd \\ &= 400 \times 10^3 - 0.75 \times 400 \times 750 \end{aligned}$	s	07. Bond 01. Ans: (c) Sol: ↓250 mm ↓
	$V_{us} = 175 \text{ kN}$ Beam -Q $V_u = 750 \text{ kN}$ $\tau_v = \frac{V_u}{b \times d} = \frac{750 \times 10^3}{750 \times 400} = 2.5 \text{ N/mm}^2$ $T_v \ge T_{a} \text{ max}$	ER//	400 $3-16 \text{ mm } \phi$ $V_4 = 150 \text{ kN}$ Flexural bond: Steel in tension (sagging moment)
07	The beam is not safe in shear. It should be revised.	e	$L_{d} \ge \frac{M_{1}}{V_{u}} + l_{0} \rightarrow \text{continuous beam}$ $l_{0} = 12 \ \phi = 12 \times 16$
07. Sol:	Ans: (b), (c), (d) For Fig 1 the c/s is at a distance 'd' from the face of the support. When the suppor reaction introduces traverser compression in the end region of the member the shea strength of this region is enhanced and inclined cracks do not develop near the face of the support (which is usually the location of maximum shear). In such a case, the code (cl 22.6.2.1) allows a section located at distance 'd' from the face of the support to be treated as critical section. The beam segment between the c/s and the face of th support need to be designed only for sheaf force at the critical section. When a heavy load '2d' is introduced from the face of the support, then the face of th support becomes the critical section, a inclined cracks can develop withing thi	e t n r d e n e a o n e r n e s s	$ \begin{aligned} &= 12 \ \psi = 12 \times 10 \\ &= 192 \text{ mm} \\ d = 400 \text{ mm} \end{aligned} \\ \text{Take } l_0 = 400 \text{ mm} \\ \text{L}_d = \frac{0.87 \text{ f}_y \phi}{4\tau_{bd}} = \frac{0.87 \times 250 \times 16}{4 \times 1} = 870 \text{ mm} \\ \text{x}_{u, \text{max}} = 0.53 \times 400 = 212 \text{ mm} \\ &= \frac{0.87 \times 250 \times 3 \times \frac{\pi}{4} \times 16^2}{0.36 \times 15 \times 250} \\ \text{s}_u = \frac{0.87 \times 250 \times 3 \times \frac{\pi}{4} \times 16^2}{0.36 \times 15 \times 250} \\ = 97.18 \text{ mm} \\ \text{x}_u < \text{x}_{u,\text{max}} \rightarrow \text{Under reinforcement section.} \\ \text{M}_1 = 0.36 \times 15 \times 250 \times 97.18 \ (400 - 0.42 \times 97.18) \\ = 47.12 \times 10^6 \text{ N-mm} \\ \text{L}_d \geqslant \frac{47.12 \times 10^6}{150 \times 10^3} + 400 = 714.15 \text{ mm} \\ \text{L}_d > 714.15 \end{aligned}$

not safe in bond.

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region is the shear strength is exceeded.

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ACE 12 **CIVIL-Postal Coaching Solutions** 05. Ans: 46.8 02. Ans: (d) **Sol:** $\phi = 12$ mm **Sol:** $f_{ck} = 20 \text{ N/mm}^2$, $f_v = 415 \text{ N/mm}^2$ $\tau_{bd} = 1.2 \text{ MPa} \uparrow 60\%$ - HYSD bars $f_{ck}=30~N/mm^2,~\tau_{bd}=2.4~MPa$ Steel bar is in tension $L_{d} = \frac{\phi \sigma_{s}}{\tau_{bd} \times 4}$ $L_{d} = \frac{\phi \sigma_{s}}{4 \times \tau_{1.1}} = \frac{\phi \times 360}{4 \times 1.6 \times 1.2} = 46.8\phi$ $=\frac{12\times0.87\times415}{(1.6\times\tau_{\rm bd})\times4}=282.0703$ $L_d = 282.0703 \text{ mm}$ 06. _Ans: 290 mm L_d with 90° bend = 282.0703-8 ϕ **Sol:** Given, $V_u = 220 \text{ kN}$ $= 282.0703 - 8 \times 12$ $A_{st} = 2 \times \frac{\pi}{4} \times 16^2 = 402.12 \text{ mm}^2$ = 186.1 mmb = 250 mm, d = 425 mm03. Ans: (d) Fe 415 , M_{20} , $\tau_{bd} = 1.2$ MPa Sol: Axially loaded short column $\phi = d = 20$ mm, spliced = 16 mm $l_0 = ?$ for 90° bond $f_v = 415 \text{ N/mm}^2$ $\tau_{bd} = 1.2 \text{ MPa}$ $\frac{\operatorname{lap} \not< l_{\mathrm{d}}}{\not< 24\phi} \max$ = 425 00 Use smaller diameter $\Rightarrow \phi = 16 \text{ mm}$ $L_{d} = \frac{\phi \sigma_{s}}{4 \times \tau_{bd}} = \frac{16 \times 0.87 \times 415}{1.25 \times 4 \times 1.2 \times 1.6}$ **Since 1995** = 601.75 mm $L_{d} = \frac{0.87f_{y}\phi}{4\tau_{y}} = \frac{0.87 \times 415 \times 16}{4 \times 1.6 \times 1.2}$ Lap length \lt L_d = 601.75 mm $\measuredangle 24 \phi = 384 \text{ mm}$ = 752.1875 mm Use maximum, i.e., 601.75 mm L_d (req) = 752.1875 - 8 × 16 04. Ans: (d) = 624.1875 mmSol: 1) Pull out (bond fail) $x_{u max} = 0.48 \times 425 = 204$ $P_1 = \tau_{bd}[\pi Dl]$ $x_u = \frac{0.87f_y A_{st}}{0.36f_y b}$ > minimum 2) Breaking of steel bar $P_2 = \sigma_{st} \left| \frac{\pi}{4} \times D^2 \right|$ $= \frac{0.87 \times 415 \times 402.12}{0.36 \times 20 \times 250}$ = 80.65 mmRegular Live Doubt clearing Sessions | Free Online Test Series | ASK an expert ace Affordable Fee | Available 1M |3M |6M |12M |18M and 24 Months Subscription Packages online

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Reinforced Cement Concrete

- $\begin{aligned} x_u &< x_{u \max} \rightarrow \text{Under reinforced section} \\ M_1 &= 0.87 \text{ f}_y A_{st} (d 0.42 x_u) \\ &= 0.87 \times 415 \times 402.12 (425 0.42 \times 80.65) \\ &= 56.78 \times 10^6 \text{ N} \text{mm} \\ L_d &= \frac{1.3M_1}{V} + l_0 \\ 624.1875 &= 1.3 \times \frac{56.78 \times 10^6}{220 \times 10^3} + l_0 \end{aligned}$
- $l_0 = 288.66 \text{ mm}$

Minimum extension beyond centre of support = 290 mm

07. And: (a), (b)

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Sol: Asper Clause 26.2.2 the first statement is correct.

The actual bond stress distribution is maximum at the point of embedment and decreases gradually to zero at the extreme end but in the design for bond the bond stress is assumed to be constant.

Splices in flexural members should not be at sections where the bending more than 50 percent of the moment of resistance and not more than half of the bars should be spliced at a section.

The development length of each bar of bundled bars shall be that for the individual bar, increased by 10 percent for two bars in contact, 20 percent for three bars in contact and 33 percent for four bars in contact as per clause 26.2.1.2. Such an increase in the development length is warranted because of the reduction in anchorage bond caused by the reduced interface surface between the steel and the surrounding concrete. 08. Limit State of Collapse - Torsion

01. Ans: (d)

Sol: i) size – 300 × 1000 mm

$$V_u = 150 \text{ kN};$$
 $M_u = 150 \text{ kN}$
 $T_u = 30 \text{ kN} \text{ -m}$
 $V_e = V_u + \frac{1.6T_u}{b}$

$$= 150 \times 10^3 + \frac{1.6 \times 30 \times 10^6}{300} = 310 \text{ kN}$$

$$M_{e1} = M_u + M_T$$

$$= M_{u} + \frac{T_{u} \left[1 + \frac{D}{b} \right]}{1.7}$$
$$= 150 + \frac{30 \left[1 + \frac{1000}{300} \right]}{1.7}$$
$$= 226.47 \text{ kN-m}$$

b = 300 mm, D = 600 mm V = 100 kN, M = 100 kN-m T = 34 kN-m

$$M_{e1} = M_{u} + M_{T}$$

= $M_{u} + \frac{T_{u} \left[1 + \frac{D}{b} \right]}{1.7}$
= $100 + \frac{34 \left[1 + \frac{600}{300} \right]}{1.7}$
= 160 kN-m

Engineering Publications	14	CIVIL-Postal Coaching Solutions
03 Ans: (a)		05 Ans: (d)
Sol: $T = 68 \text{ kN} \text{ m}$		Sol: $V = 20 \text{ kN}$. $T = 9 \text{ kN-m}$
Sol: $I = 00 \text{ km-m}$		$b = 300 \text{ mm}, \qquad M = 200 \text{ kN-m}$
$M_{e2} - M_T - M_u$		gross depth = 425 mm
If $M_T < M_u$ then no need of A_{sc}		cover = 25 mm
$T_{u}\left(1+\frac{D}{L}\right) = 68\left(1+\frac{600}{L}\right)$		$V_e = V_u + V_T$
$M_{\rm T} = \frac{4(b)}{1.7} = \frac{(300)}{1.7}$		$= V_u + 1.6 \frac{T_u}{b} = 20 + 1.6 \left(\frac{9}{0.3}\right) = 68 \text{ kN}$
= 120 kN-m		
$M_T > M_u$ – additional compression	on steel is	06. Ans: (b)
required for M_{e2} i.e $M_{e2} = M_T$ –	M _u	Sol: As $\tau_{ve} < \tau_c$ T = 0
= 120 - 10 = 20 kN-r	DO NEER/	$M_{e1} = M_{\mu} = 200 \text{ kN-m}$
20 KM	C	A _{st} based on M _u only
04. Ans: (a)		
Sol: $b = 500$, $D = 700$ mm	•	07. Ans: (a), (d)
$d = 35 \text{ mm}, \qquad V = 15 \text{ kN}$		Sol: Equivalent shear force, $V_{ue} = V_u + \frac{1.6T_u}{B}$
M = 100kN-m, $T = 10$ kN-m		$=8+\frac{1.6\times 6.5}{1.6\times 6.5}$
$\tau_c = 1.5 \text{ MPa}$		0.29
If $\tau_{ve} \neq \tau_c$ ignore torsion		= 43.86 kN
If $\sigma > \sigma$ consider tersion for A		Nominal shear stress $V_{\rm c} = 42.8 (-10^3)$
$V_e = V_u + V_T$		$\tau_v = \frac{V_{ue}}{bd} = \frac{43.86 \times 10^2}{290 \times 500} = 0.302 \text{ N/mm}^2$
T	Since 1	$\tau_c=$ 0.48 N/mm^2 > τ_v , hence no shear
$= V_u + 1.6 \frac{-u}{b}$	Since	reinforcement required, but minimum shear
(10)		reinforcement is provided as per clause
$=15+1.6\left(\frac{10}{0.5}\right)$		41.3.2, and the beam will be designed for the given factored bending moment i.e. 90
- 47 I-NI		kN-m.
- 47 KIN		The effect of torque will only be taken in
$\tau_{\rm ve} = \frac{V_{\rm e}}{1} = \frac{47 \times 10^3}{1000} \approx \frac{1}{1000}$	47	this value when $\tau_v > \tau_c$ as per clause 41.3.3
b.d $500 \times (700 - 35)$ 0.3	5×0.7	of IS: 456: 2000.
= 0.14 MPa		side face reinforcement = 0.1% of BD
$\tau_{ve} < \tau_c$		$=\frac{0.1}{100} \times 290 \times 500 = 145 \text{ mm}^2$
\therefore Design BM for A_{st} is M_u only		one each face $-\frac{145 \text{ mm}^2}{-72.5 \text{ mm}^2}$
$M_u = 100 \text{ kN-m}$		$\frac{1}{2} = 72.5 \text{ mm}$
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Reinforced Cement Concrete

9. Slabs

01. Ans: (a), (b), (c), (d)

Sol: As per clause B-5.2.1.1of annexure B IS 456:2000 statement 1 is correct.
Statement 2 is correct. Shear reinforcement is only provided when the edges and corners are restricted from lifting.
Statement 3 is correct as per clause D1.8, D1.9, D1.10 of annexure D.
Statement 4 is correct as per Clause D1.2 of Annexure D.

10. Limit State of Collapse - Compression

01. Ans: (c)
Sol:
$$b = 300 \text{ mm}$$

 $d = 600 \text{ mm}$
 $f_y = 415 \text{ MPa}$
 $f_{ck} = 20 \text{ MPa}$

 $P_u = 1829 \text{ kN}$

$$\begin{split} P_u &= 0.40 f_{ck} A_c + 0.67 f_y A_{sc} \\ A_{sc} &= 0.8\% A_g \\ &= \frac{0.8}{100} (300 \times 600) = 1440 \text{ mm}^2 \\ A_c &= A_g - A_{sc} \\ &= 300 \times 600 - 1440 \\ &= 178560 \text{ mm}^2 \\ P_u &= 0.4 \times 20 \times 178560 + 0.67 \times 415 \times 1440 \end{split}$$

22. Ans: (d)
Sol: d = 300 mm;
$$f_{ck} = 20 \text{ N/mm}^2$$

 $f_y = 415 \text{ N/mm}^2$;
 $P_u = 1.05[0.4f_{ck} A_c + 0.67f_y A_{sc}]$
 $A_{sc} = \left(\frac{\pi}{4} \times 300^2\right) \times \frac{1}{100} = 706.85 \text{mm}^2$
 $A_c = A_g - A_{sc}$
 $= \left(\frac{\pi}{4} \times 300^2\right) - 706.85$
 $= 69978.98 \text{ mm}^2$
 $P_u = 1.05(0.4 \times 20 \times 69978.98 + 0.67 \times 415 \times 706.85)$
 $= 794.19 \text{ kN}$



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03. Sol:	Ans: (d) $A_g = 300 \times 300 \text{ mm}$ $f_{ck} = 20 \text{ N/mm}^2$, $A_c = A_g \text{ (neglecting fy} = 415 \text{ N/mm}^2$ $A_{sc} = 4 \times \frac{\pi}{4} \times 20^2 = 120000000000000000000000000000000000$	A _{sc}) 256.63 0+0.67 × 415 ×1256.6	53	$e_{max} = 0.05 \times 450 = 22.5 \text{ mm}$ $e_{max} = 0.05 \times 600 = 30 \text{ mm}$ For the column to be short axially loaded, minimum eccentricity cannot be greater than 0.05 times the lateral dimension. as per clause 39.3 P _u = 0.4 f _{ck} A _c + 0.67 f _y A _{sc} = 0.4 × 30 × $\left(450 \times 600 - 6 \times \frac{\pi}{4} \times 12^2\right)$
04. Sol:	Ans: (d) $m = \frac{E_{strong}}{E_{weak}} = \frac{E_{steel}}{E_{conc}}$ compatability cond (RCC) members $\delta_{s} = \delta_{c}$ $\frac{P_{s}l}{A_{s}E_{s}} = \frac{P_{c}l}{A_{c}E_{c}}$ $\frac{P_{s}}{P_{c}} = \frac{A_{s}}{A_{c}} \left(\frac{E_{s}}{E_{c}}\right) = 0$	lition for composite $\frac{1\% A_{e}}{A_{e}} \times 10 = 10\%$ Since	e ce 1	$+0.67 \times 415 \times 6 \times \frac{\pi}{4} \times 12^{2}$ $= 3420.53 \text{ kN}$ when e = 0, as per clause 39.6 P _{uz} = 0.45 f _{ck} A _c × 0.75 f _y A _{sc} $= 0.45 \times 30 \times \left(450 \times 600 - 6 \times \frac{\pi}{4} \times 12^{2}\right)$ $+ 0.75 \times 415 \times 6 \times \frac{\pi}{4} \times 12^{2}$ P _{uz} = 3847.05 kN
05. Sol: e _{min}	Ans: (b), (c), (d) $= \frac{\text{un sup ported lengt}}{500}$ Minor Axis $= \frac{5000}{500} + \frac{450}{30}$ $= 10 + 15 = 25 \text{ mm}$ $\Rightarrow (e_{\text{max}})$	$\frac{h}{30} + \frac{\text{lateral dimension}}{30}$ $\frac{\text{Major Axis}}{5000} + \frac{600}{30}$ $= 30 \text{ mm}$ ≯(e _{max})		
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$ \begin{aligned} \sigma_{\max} \\ \sigma_{\min} \\ \end{array} &= \frac{P}{A} \pm \frac{M}{Z} \\ &= \frac{450}{3 \times 2} \pm \frac{60}{\left(\frac{2 \times 3^2}{6}\right)} \\ \sigma_{\max} = 95 \text{ kN/m}^2 \text{ compression} \\ \sigma_{\min} = 55 \text{ kN/m}^2 \text{ compression} \\ As \text{ per IS 456 } -2000 \text{ the assumed pressure} \\ \text{distribution below the footing is uniform} \end{aligned} $ $ \begin{aligned} \textbf{01. Ans: (b)} \\ \textbf{Sol: } Prestressing force, P = 2500 \text{ kN} \\ \text{Effective span, } l = 10 \text{ m} \\ \text{udl on the beam, w = 40 \text{ kN/m}} \\ \text{For load balancing} \\ \text{Rec} = \frac{w\ell^2}{8} \\ (2500)(c) = \frac{(40)(10)^2}{8} \\ e = 0.2 \text{ m} = 200 \text{ mm} \\ \text{column size } = 300 \times 300 \text{ mm} \\ q_0 = 320 \text{ kN} \\ \tau_v = ? \\ q_0 = \frac{320}{2 \times 2} = 80 \text{ kN/m}^2 \\ x = \frac{2}{2} - \frac{0.3}{2} - 0.2 \\ &= 1 - 0.15 - 0.2 \\ &= 0.65 \end{aligned} $	Engineering Publications	18 CIVIL-Postal Coaching Solution	ons
$= \frac{450}{3 \times 2} \pm \frac{60}{\left(\frac{2 \times 3^{2}}{6}\right)}$ or $_{max} = 95 \text{ kN/m}^{2}$ compression $\sigma_{min} = 55 \text{ kN/m}^{2}$ compression As per IS 456 -2000 the assumed pressure distribution below the footing is uniform 05. Ans: (a) Sol: $l = 2m$; $d = 200 \text{ mm}$ $column size = 300 \times 300 \text{ mm}$ $q_{0} = 320 \text{ kN}$ $\tau_{v} = ?$ $q_{0} = \frac{320}{2 \times 2} = 80 \text{ kN/m}^{2}$ $x = \frac{2}{2} - \frac{0.3}{2} - 0.2$ = 1 - 0.15 - 0.2 = 0.65 01. Ans: (b) Sol: Prestressing force, P = 2500 kN Effective span, $l = 10 \text{ m}$ udl on the beam, $w = 40 \text{ kN/m}$ For load balancing $P.e = \frac{w\ell^{2}}{8}$ $(2500)(e) = \frac{(40)(10)^{2}}{8}$ e = 0.2 m = 200 mm $\sigma_{t} = 2 \text{ MPa}$ $\sigma_{b} = 20 \text{ MPa}$ $\sigma_{b} = 20 \text{ MPa}$	$\left. \begin{array}{c} \sigma_{\text{max}} \\ \sigma_{\text{min}} \end{array} \right\} = \frac{P}{A} \pm \frac{M}{Z}$	14. Analysis of Prestressed Concrete Members	
One way shear $V_u = q_0$ [hatched area] $= 80[0.65 \times 2] = 104 \text{ kN}$ $V = 104 \times 10^3$ $\sigma_b = \frac{P}{T} + \frac{Pe}{T}$. (1)	$\sigma_{\min} = \overline{A} + \overline{Z}$ $= \frac{450}{3 \times 2} \pm \frac{60}{\left(\frac{2 \times 3^{2}}{6}\right)}$ $\sigma_{\max} = 95 \text{ kN/m}^{2} \text{ compression}$ $\sigma_{\min} = 55 \text{ kN/m}^{2} \text{ compression}$ As per IS 456 -2000 the assumed pressur distribution below the footing is uniform 05. Ans: (a) Sol: $l = 2\text{m}$; $d = 200 \text{ mm}$ column size = $300 \times 300 \text{ mm}$ $q_{0} = 320 \text{ kN}$ $\tau_{v} = ?$ $q_{0} = \frac{320}{2 \times 2} = 80 \text{ kN/m}^{2}$ $x = \frac{2}{2} - \frac{0.3}{2} - 0.2$ = 1 - 0.15 - 0.2 = 0.65 One way shear $V_{u} = q_{0}$ [hatched area] $= 80[0.65 \times 2] = 104 \text{ kN}$ $V = 104 \times 10^{3}$	Concrete Members 01. Ans: (b) Sol: Prestressing force, P = 2500 kN Effective span, $l = 10$ m udl on the beam, w = 40 kN/m For load balancing $P.e = \frac{w\ell^2}{8}$ $(2500)(e) = \frac{(40)(10)^2}{8}$ e = 0.2 m = 200 mm 02. Ans: (b) Sol: $\gamma_e = 24 \text{ kN/m}^3$ $\sigma_t = 2 \text{ MPa}$ $\sigma_b = 20 \text{ MPa}$ $\sigma_b = 20 \text{ MPa}$ $\sigma_b = \frac{P}{2} + \frac{Pe}{Z_b}$ $\sigma_b = \frac{P}{2} + \frac{Pe}{Z_b}$ $\sigma_b = \frac{P}{2} + \frac{Pe}{Z_b}$ $\sigma_b = \frac{P}{2} + \frac{Pe}{Z_b}$	

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	Adding (1) & (2)		04	Ans: (b)
	P Pe	<i></i>)		Sol	: Self weight
	$20 = \frac{1}{A} + \frac{1}{z}$				$w_{\rm p} = v_{\rm r} \times h \times D$
	P Pe				$w_D = \gamma_c \wedge 0 \wedge D$
	$-2 = \frac{1}{A} - \frac{1}{z}$				$= (24 \text{ kN/m}) \times 0.15 \times 0.3$
	$18 = \frac{2P}{18}$				= 1.08 kN/m
	A = 1620 kN				P – line at upper kern point ($\sigma_b = 0$)
	$\sigma_b = \frac{P}{A} + \frac{Pe}{z}$				$M_{\rm D} = \frac{W_{\rm D}l^2}{8} = \frac{1.08 \times 10^2}{8} = 13.5$
	$20 = \frac{1620 \times 10^{-2}}{300 \times 600}$	$\frac{1620 \times 10^3 \times 6 \times e}{300 \times 600^2}$	RI	N	$\sigma_{\rm b} = 0 = \frac{P}{A} + \frac{Pe}{Z} - \frac{M_{\rm D}}{Z} - \frac{M_{\rm L}}{Z}$
	e = 122 mm	GINE			500×10^3 $500 \times 10^3 \times 50$ 12.5×10^6
	• • 125 mm	Le an			$= \frac{500 \times 10}{300 \times 150} + \frac{500 \times 10^{\circ} \times 50}{(150 \times 300^2)} - \frac{13.5 \times 10^{\circ}}{(150 \times 300^2)}$
	$e \simeq 155 \text{ mm}$	A G			$\frac{150\times500}{6} \left(\frac{150\times500}{6} \right) \left(\frac{150\times500}{6} \right)$
03.	Ans: (a)				M
Sol:	150 × 300 mm				$-\frac{M_{\rm L}}{(150 \times 300^2)}$
	l = 10 m, e at so	upport = 0mm			$\left(\frac{100\times 500}{6}\right)$
	e = 50 mm (cer	nter), $P = 500 \text{ kN}$			
	Q =? (at center	of span)			$0 = 11.11 + 11.11 - 6 - \frac{M_L}{225 \times 10^4}$
	150 mm			<	$M = 16.22 \times 225 \times 10^4$
		Since	ce '	19	$M_{L} = 10.22 \times 223 \times 10^{-10}$
		500 kN	N		$M_L = 30.3 \text{ km-m},$
300	0¦¢	3-5			$M_{L} = \frac{Ql}{4}$
					010
					$36.5 = \frac{Q \times 10}{4}$
		← 10m ─ →			$146 = 0 \times 10$
	$O \times l$				$\Omega = 14.6 \mathrm{kN}$
	$Pe = \frac{\sqrt{4}}{4}$				Q = 14.0 km
	$500 \times \frac{50}{1000} = \frac{Q}{2}$	<u>×10</u>			
	$1000 = 0 \times 10$	4			
	Q = 10 kN				
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02. Sol:	Ans: (b) Tensioning from both the ends % loss of stress $=\frac{\% \text{loss of stress}}{2} = \frac{4.28}{2} = 2.15$	of	400 mm c/s of sleeper
03. Sol:	Ans: (b) Straight tendon tensioned from one end Loss of stress in wires = $\sigma[\mu\alpha + kx]$ ($\because \alpha = 0$) 1200(0.35 × (0) + 0.0015 × 10) = 18 MPa % of loss = $\frac{18}{1200}$ × 100 = 1.5% If tensioned from two ends	ERI	Eccentricity of Prestress, $e = 0$ Prestressing force in steel wire $= P = \sigma_s \cdot A_s$ $= 400 \times 500 \text{ mm}^2$ = 200 kN $f_c = \frac{P}{A} + \frac{Pe}{I}(e) = \frac{200 \times 10^3}{200 \times 400} = 2.5 \text{ MPa}$ Loss due to elastic shortening $= m \times f_c = \left(\frac{E_s}{E_c}\right) f_c$
04.	$\frac{\% \text{ of } \text{loss}}{2} = \frac{1.5}{2} = 0.75\%$ Ans: (c)		$\sigma = \left(\frac{200,000}{20,000}\right) \times 2.5 = 25 \text{ MPa}$ % loss of Prestress = $\frac{25}{400} \times 100 = 6.25\%$
Sol:	Hoyer system $ \begin{array}{c} $		05. Ans: (d) Sol: $f_c = \frac{P}{A} + \frac{P}{I}(e)^2$ Initial stress in steel wire =1200 MPa Prestressing force in each steel wire $P = \sigma_s$. A _s

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09. Ans: (c)		Q_2 = rotation at the ends due to the given
Sol: $\varepsilon = \varepsilon_{\text{shrink}} + \varepsilon_{\text{creep}}$		load.
= 0.0008		$Q_2 = \frac{wL^3}{24E} = \frac{52 \times 10^3 \times 8 \times 8000^2 \times 12}{24222000}$
Loss of prestress on steel = $\varepsilon \times E_s$		22 24E _c I _c 24×35000×330×660 ³
$= 0.0008 \times 200 \times 10^3$		$=4\times10^{-3}$ radians
= 160 MPa		Q = net rotation at the ends
Stress remaining after loss = Initial stress-	_	$= Q_1 - Q_2$
Loss		$=(5.24-4)\times10^{-3}$
= 200 - 160 = 40 MPa		= 1.24×10^{-3} radians (hogging)
	DI	If the beam is hogging due to net rotation at
10. Ans: (a), (b), (d)	21117	the ends there will be loss of prestress at the
Sol:	2	ends.
330 mm.		strain lost = $\frac{2eQ}{eQ} = \frac{2 \times 220 \times 1.24 \times 10^{-3}}{2}$
		2 ℓ 8000
		Prestress lost = $\frac{2 \times 220 \times 1.24 \times 10^{-3}}{8000} \times 2.1 \times 10^{5}$
650 mm		$= 14.32 \text{ N/mm}^2$
		Initial prestress = $P_0 = \frac{P}{A_s} = \frac{1650 \times 10^3}{1200}$
		$= 1375 \text{ N/mm}^2$
Given: span = 8 m	ce 1	% prestress loss $\Delta P\% = \frac{\Delta P\%}{P_0} \times 100 = \frac{14.32}{1375} \times 100$
Area of the tendons, $A_s = 1200 \text{ mm}^2$		= 1.04%
prestressing force, $P = 1650 \text{ kN}$		If a straight profile is replaced by a parabolic
Total load = 52 kN/m		profile so that loss is to nollified then,
Eccentricity, $e = 220 \text{ mm}$		Q_1 = rotation due parabolic profile at the ends.
$E_{\rm C} = 350000 \ {\rm N/mm^2}$		Q_2 = rotation due to external loading at the ends
Let Q_1 = end rotation due to prestressing		$Q_1 = Q_2$
force only		$\underline{\text{PeL}} = \underline{\text{w}\ell^{3}}$
when a straight profile is provided.		$3E_{c}I_{c}$ $24E_{c}I_{c}$
$O = PeL = 1650 \times 10^3 \times 220 \times 8000$		$\frac{1620 \times 10^3 \times e \times 8000}{4 \times 10^{-3}} = 4 \times 10^{-3}$
		$3 \times 35000 \times \frac{1}{12} \times 330 \times 660^{3}$
$Q_1 = 524 \times 10^{-3}$ radians		e = 256.2 mm
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16. Cement

41. Ans: (b) & (d)

Sol: The presence of Excess magnesia (MgO) in cement makes the cement unsound and expansive that is it has more tendency towards volume change and formation of cracks. Alumina is responsible for quick setting of the cement and if it is in excess lowers the strength.

> High alumina cement is not a type of Portland cement. The raw materials used for the manufacture of high alumina cement are limestone (ore of lime) and bauxite (ore of alumina).It is not a quick setting cement. It has a high initial setting time about 30 mins and a less final setting time of about 5 hours. It attains strength in 24 hours and has a high early strength, high heat of hydration, and resistance to chemical attack.

17. Aggregates

01. Ans: (a), (c), (d)

Sol: Statement (a) is correct as per Clause 5.3.3.1
Concrete mix made from rounded aggregates do produce a workable mix but the development of bond is poor as interlocking between the particles is less, thus unsuitable for high strength concrete.

Very sharp and rough aggregates particles or flaky and elongated require more fine material to produce a workable concrete as their surface area is more. Accordingly, the water requirement and therefore the cement content increases.

Aggregates made from crushed stones higher compressive strength due to development of stronger aggregate mortar bond.

Reinforced Cement Concrete

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18. Concrete

01. Ans: (a), (b), (c), (d)

Sol: Maximum strength for the mix will only be achieved at a water cement ratio at which minimum capillary cavities will be formed and that water cement ratio is 0.4. it may be noted that for complete hydration of cement under controlled conditions the water requirement is about 38%. When it is decreased less than 0.4 there is improper consistency and workability of concrete resulting in honeycomb structure.

At water cement ratio greater than 0.6, the increase in volume of hydrated products will not be able to occupy the space already filled with water. Hence porosity increases and strength decreases.

Concrete compacted by vibrator displays higher strength even upto a water cement ratio of 0.3. on vibration concrete mix can get fluidized and internal friction between the aggregate particles reduces resulting in entrapped air to rise to the surface. On losing entrapped air concrete gets denser. Vibrations do not affect the strength but in turn increases the strength of concrete with lesser water for a given cement content.

At low water cement ratio with proper compaction capillary cavities will be minimum and hence permeability will be lower.

19. Cement Mortar

01. Ans: (b), (d)

Sol: Sand in mortar does not impart strength but helps in readjustment of strength, which can be achieved by increasing or decreasing its proportion.

Use of sand in mortar helps in reducing the shrinkage of binding material, thereby reducing the tendency of development of cracks in it.

Sand used for mortar mix preferably be well graded as the voids produced will be less and the mortar will be more workable.

Sand in mortar should be free from moisture absorbing chemicals from the atmosphere like alkalis as if present it would lead to the presence of efflorescence.

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